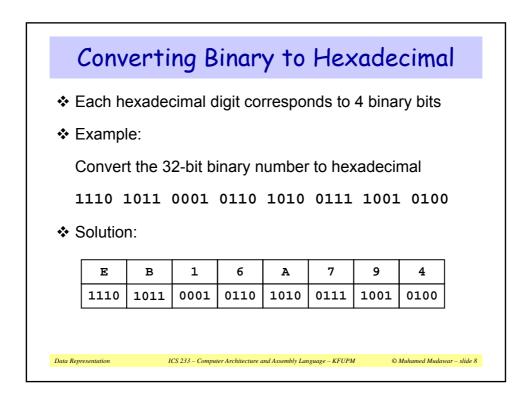
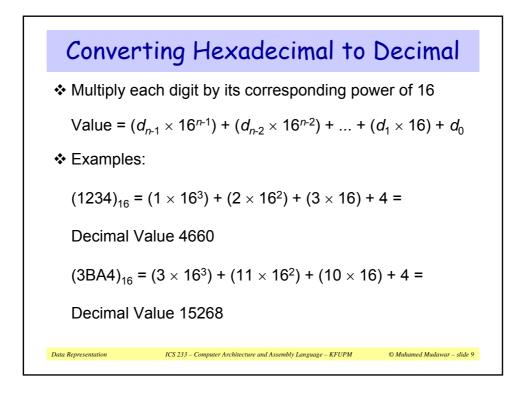
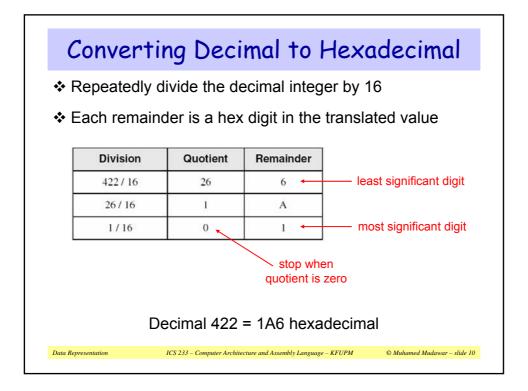


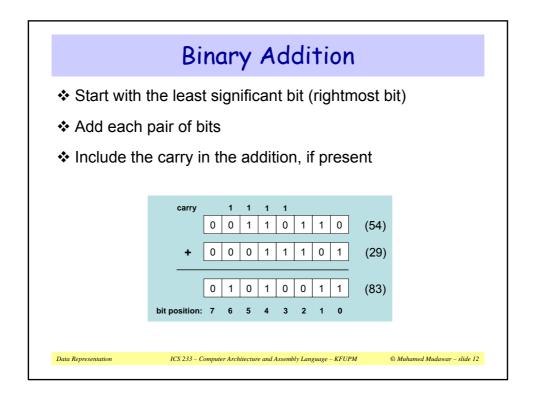
	Hexadecimal Integers						
🌢 16 H	exad	ecimal	Digits: 0 –	9, A – I	F		
More	e conv	/enient	to use tha	n binar	y numb	ers	
				•			
			nal, and He				I
В	Binary	Decimal	Hexadecimal	Binary	Decimal	Hexadecimal	
	0000	0	0	1000	8	8	
	0001	1	1	1001	9	9	
	0001 0010	1 2	1 2	1001 1010	9 10	9 A	
					, ,	· ·	
	0010	2	2	1010	10	A	
	0010 0011	2	2 3	1010	10 11	A	
	0010 0011 0100	2 3 4	2 3 4	1010 1011 1100	10 11 12	A B C	

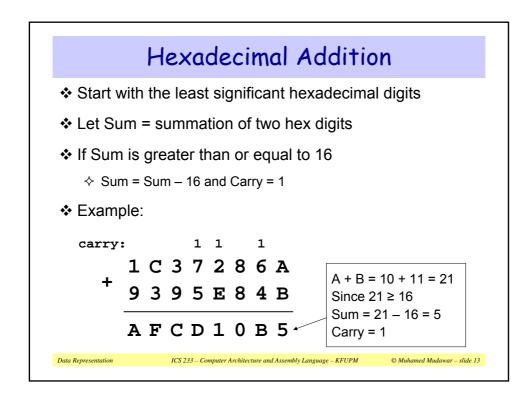


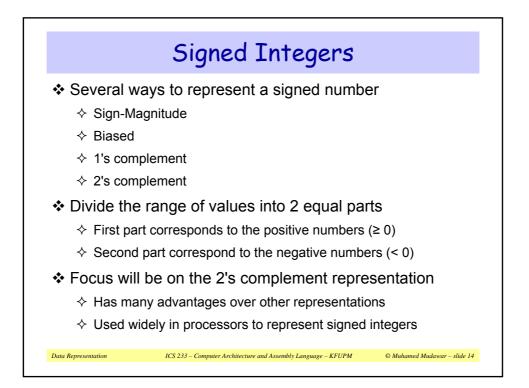


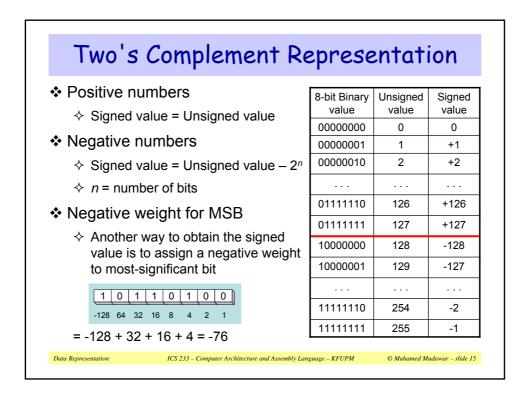


	Byte Half Word Word	8 Storage Sizes	
	Double Word	64	
Storag	е Туре	Unsigned Range	Powers of 2
Byte		0 to 255	0 to (2 ⁸ – 1)
Half Word		0 to 65,535	0 to (2 ¹⁶ – 1)
Word		0 to 4,294,967,295	0 to (2 ³² – 1)
Double Word		0 to 18,446,744,073,709,551,615	0 to (2 ⁶⁴ – 1)
		rgest 20-bit unsigned integ 1 = 1,048,575	ger?

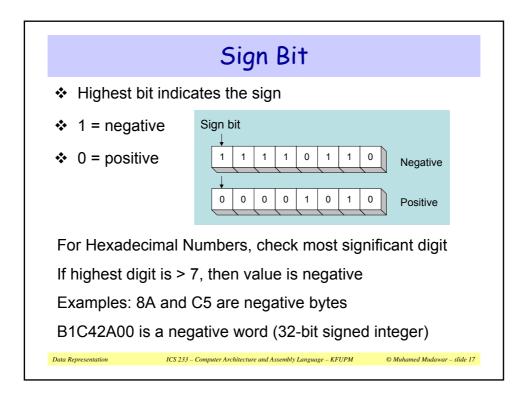


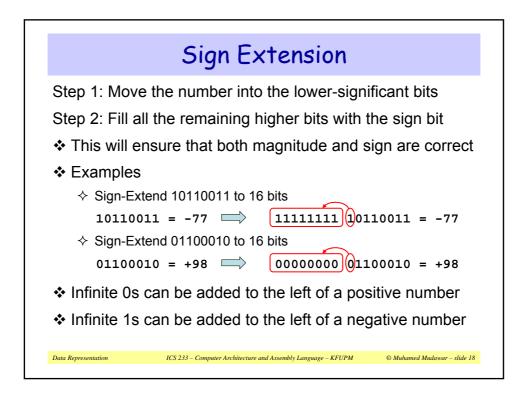


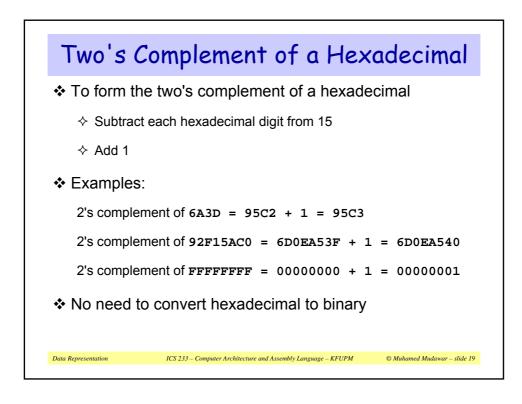


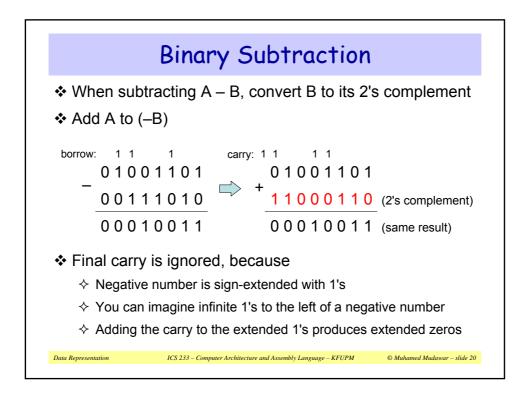


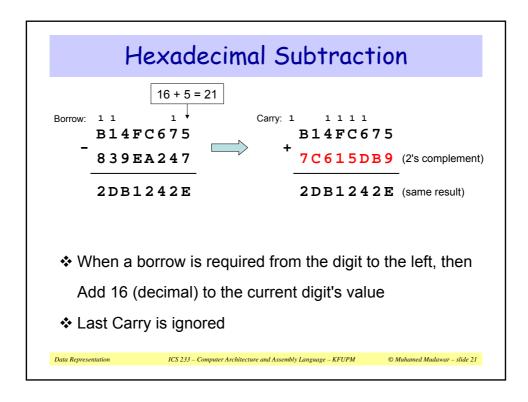
starting value	00100100 = +36
•	
step1: reverse the bits (1's complement)	11011011
step 2: add 1 to the value from step 1	+ 1
sum = 2's complement representation	11011100 = -36
•	
00100100 + 11011100 = 00000000 (8-b	it sum) \Rightarrow Ignore Carry
00100100 + 11011100 = 00000000 (8-b Another way to obtain the 2's complement:	Binary Value
Another way to obtain the 2's complement:	Binary Value











⁻ or <i>n</i> -bit sigr	ned integers: Range is -2 ^{<i>n</i>-1} to ($(2^{n-1}-1)$
Positive rang	le: 0 to 2 ^{<i>n</i>−1} − 1	
Vegative ran	ge: -2 ^{<i>n</i>-1} to -1	
Storage Type	Unsigned Range	Powers of 2
Byte	-128 to +127	-2 ⁷ to (2 ⁷ - 1)
Half Word	-32,768 to +32,767	-2 ¹⁵ to (2 ¹⁵ - 1)
Word	-2,147,483,648 to +2,147,483,647	-2 ³¹ to (2 ³¹ - 1)
Double Word	-9,223,372,036,854,775,808 to	
	+9,223,372,036,854,775,807	-2 ⁶³ to (2 ⁶³ - 1)

