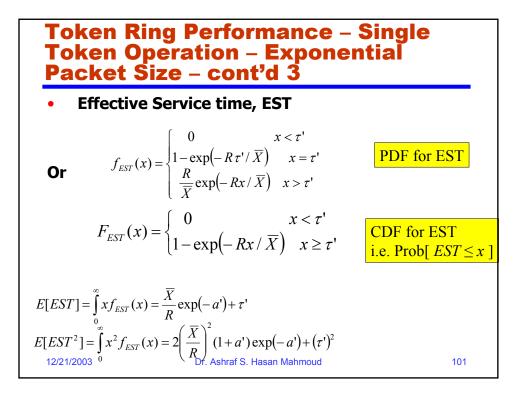
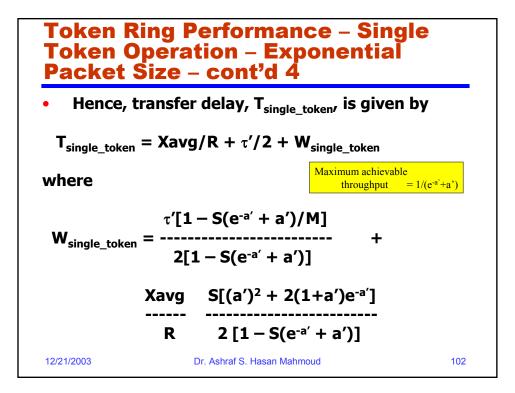
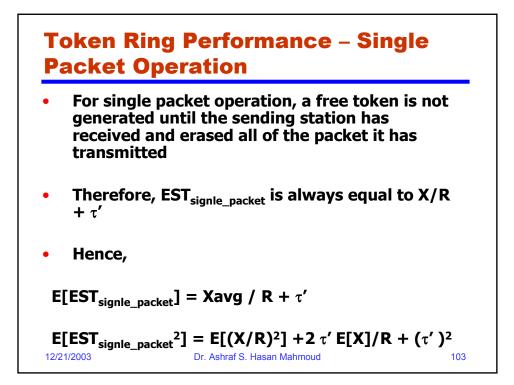


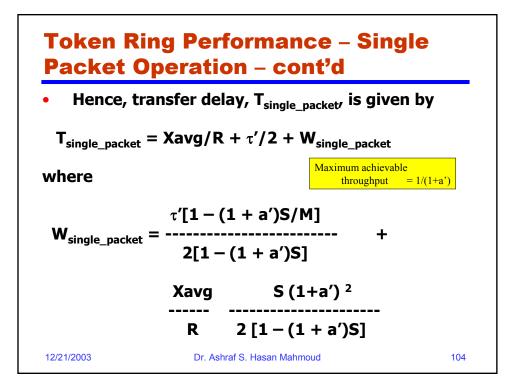
Token Ring Performance – Single
Joken Operation – Exponential
Packet Size – cont'd 2
• Service time = X/R
$$\Rightarrow$$

 $f_{X/R}(x) = R \times f_X(Rx) = \begin{cases} 0 & x < 0 \\ \frac{R}{\overline{X}} \exp(-Rx/\overline{X}) & x \ge 0 \end{cases}$ PDF for X/R
Or
 $F_{X/R}(x) = \begin{cases} 0 & x < 0 \\ 1 - \exp(-Rx/\overline{X}) & x \ge 0 \end{cases}$ CDF for X/R
i.e. Prob[$X/R \le x$]
Where E[X/R] = Xavg/R = \overline{X}/R

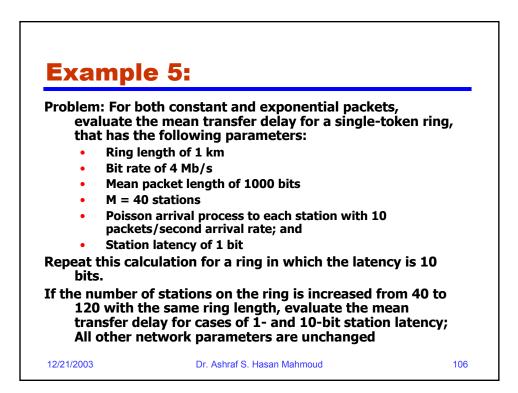


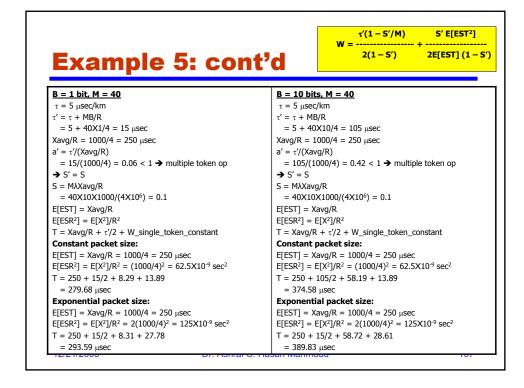




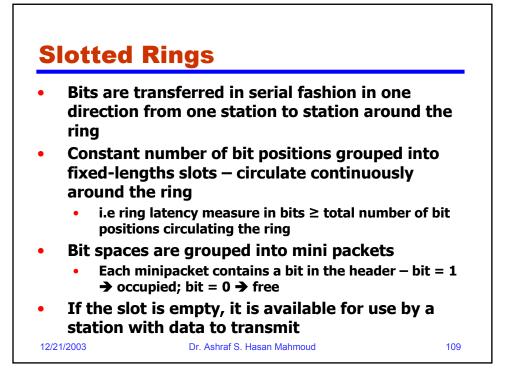


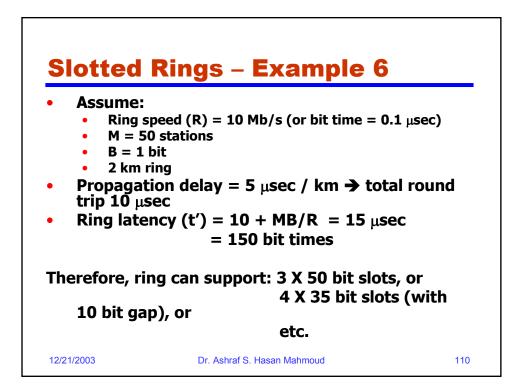
Ring Parameters:	<pre>τ = total round trip propagation time (seconds) τ' (ring latency) = τ + MB/R (seconds) w (equivalent walk time) = τ'/M s' (counciliand integrate latence)</pre>	M = number of stations B = token size (bits) R = channel bit rate (b/s) EST – effective service time
Performance:	a' (normalized ring latency) = τ'/(Xavg/R) T = Xavg / R + τ'/2 + W t' (1-S'/M) S' E[EST ²] W =	
Multiple Tokens	$EST = X/R \Rightarrow E[EST] = Xavg/R; E[ESR2] = E[X2]/R2$ S' \rightarrow S	
Single Token – Constant X	If X/R > $\tau' \rightarrow$ same as multiple tokens If X/R < $\tau' \rightarrow$ EST = τ' , E[EST] = τ' and E[EST ²] = τ'^2 S' \rightarrow Sa'	
Single Token – Exponential X	EST = τ' if X/R < τ' X/R if X/R > τ' → E[EST] = (Xavg/R) $e^{-a'} + \tau'$, E[EST ²] = $(\tau')^2 + 2(Xavg/R)^2 e^{-a'} (1+a')$ S' → S($e^{-a'} + a'$)	
Single Packet	EST = X/R + $\tau' \rightarrow$ E[EST] = (Xavg/R) + τ' , E[EST ²] = (τ') ² + 2 τ' (Xavg/R) + E[X ²]/R ² S' \rightarrow S(1+a')	

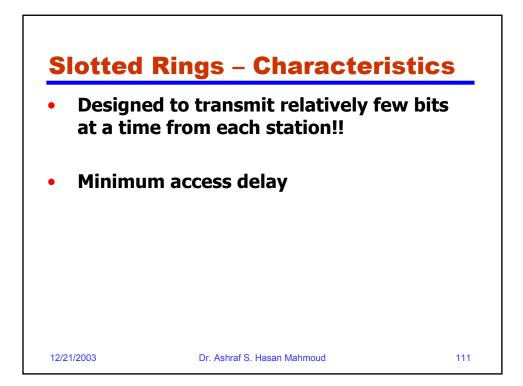


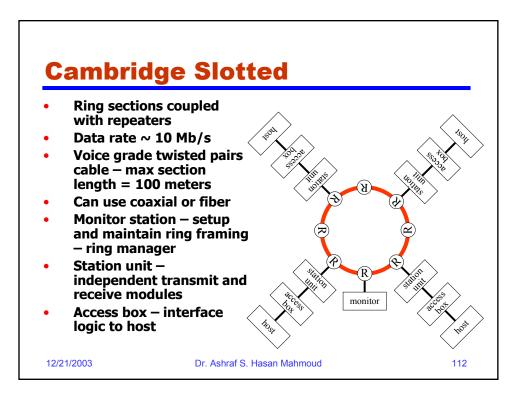


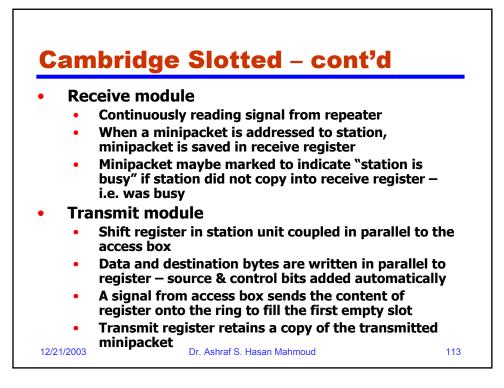
	$\frac{\tau'(1 - S'/M)}{W - \cdots + \cdots$	
Example 5: con	2(1 – S') 2E[EST] (1 –	
B = 1 bit, M = 120	B = 10 bits, M = 120	
$\tau = 5 \mu \text{sec/km}$	$\tau = 5 \mu \text{sec/km}$	
$\tau' = \tau + MB/R$	$\tau' = \tau + MB/R$	
= 5 + 120X1/4 = 35 μsec	= 5 + 120X10/4 = 305 μsec	
Xavg/R = 1000/4 = 250 μsec	Xavg/R = 1000/4 = 250 µsec	
$a' = \tau'/(Xavg/R)$	$a' = \tau'/(Xavg/R)$	
= 35/(1000/4) = 0.14 < 1 → multiple token op	= 305/(1000/4) = 1.22 > 1 → <u>NOT</u> multiple token op	
→ S' = S	→ S' = Sa'	
$S = M\lambda Xavg/R$	$S = M\lambda Xavg/R$	
$= 120 \times 10 \times 1000 / (4 \times 10^6) = 0.3$	$= 120 \times 10 \times 1000 / (4 \times 10^6) = 0.3$	
E[EST] = Xavg/R	E[EST] = Xavg/R	
$E[ESR^2] = E[X^2]/R^2$	$E[ESR^2] = E[X^2]/R^2$	
$T = Xavg/R + \tau'/2 + W_single_token_constant$	$T = Xavg/R + \tau'/2 + W_single_token_constant$	
Constant packet size:	Constant packet size:	
E[EST] = Xavg/R = 1000/4 = 250 µsec	E[EST] = Xavg/R = 1000/4 = 250 µsec	
$E[ESR^2] = E[X^2]/R^2 = (1000/4)^2 = 62.5X10^{-9} sec^2$	$E[ESR^2] = E[X^2]/R^2 = (1000/4)^2 = 62.5X10^{-9} sec^2$	
T = 250 + 35/2 + 24.94 + 53.57	T = 250 + 305/2 + 239.80 + 88.04	
= 346.01 µsec	= 730.34 µsec	
Exponential packet size:	Exponential packet size:	
$E[EST] = Xavg/R = 1000/4 = 250 \ \mu sec$	$E[EST] = Xavg/R = 1000/4 = 250 \ \mu sec$	
$E[ESR^2] = E[X^2]/R^2 = 2(1000/4)^2 = 125X10^{-9} sec^2$		
T = 250 + 35/2 + 25.04 + 107.67	T = 250 + 305/2 + 278.54 + 192.45	
= 400.21 µsec	= 873.49 µsec	

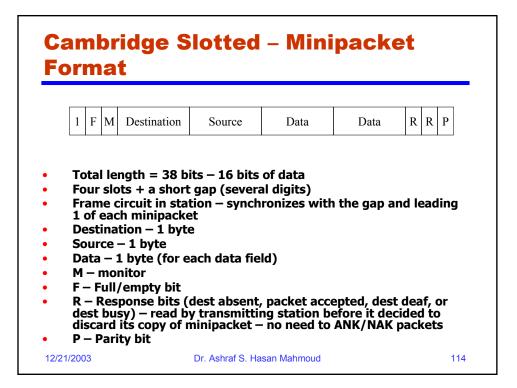


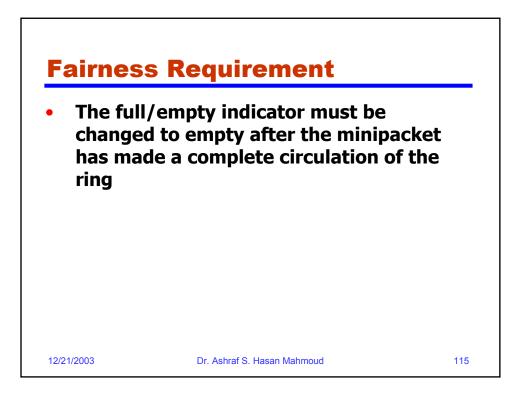


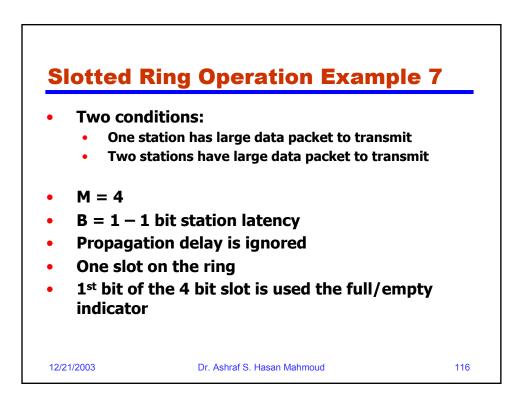


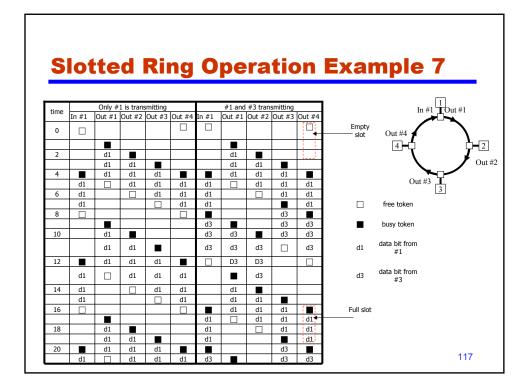


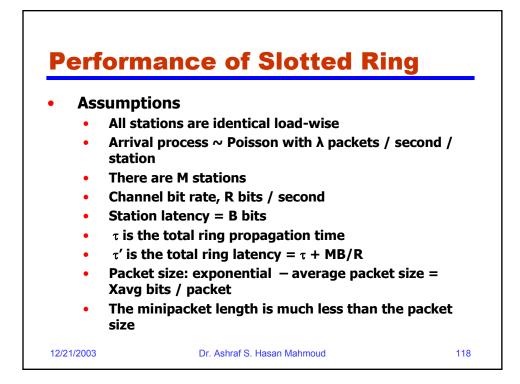


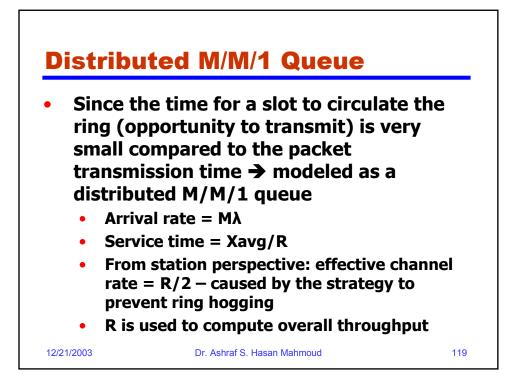


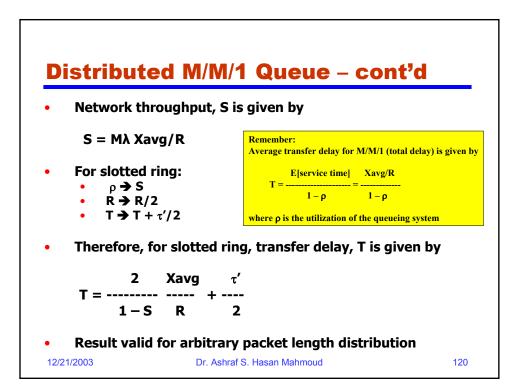


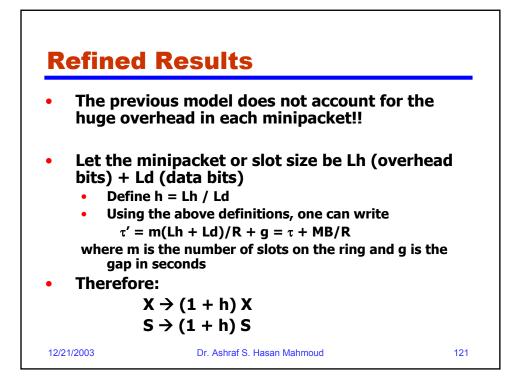


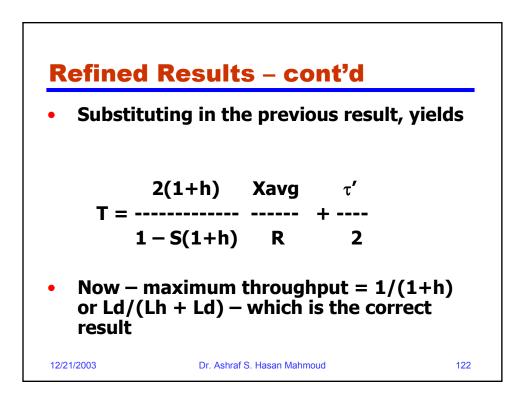


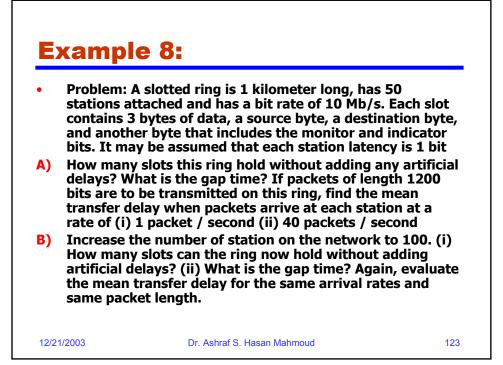


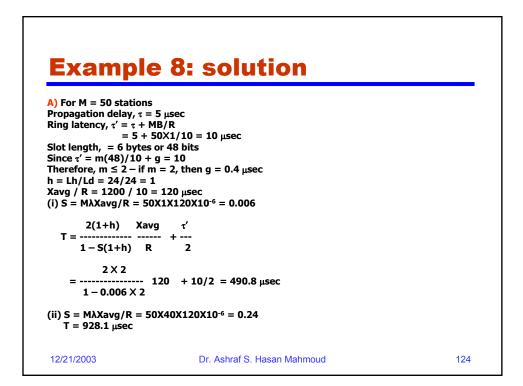












Example 8: solution – cont'd

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B) For M = 100 stations Propagation delay, $\tau = 5 \ \mu \text{sec}$ Ring latency, $\tau' = \tau + MB/R$ $= 5 + 100 \times 1/10 = 15 \ \mu \text{sec}$ Slot length, = 6 bytes or 48 bits Since $\tau' = m(48)/10 + g = 10$ Therefore, $m \le 3 - \text{if } m = 3$, then $g = 0.6 \ \mu \text{sec}$ h = Lh/Ld = 24/24 = 1Xavg / R = 1200 / 10 = 120 \ \mu \text{sec} (i) S = MAXavg/R = 100X1X120X10⁻⁶ = 0.012 $T = \frac{2(1+h)}{1-S(1+h)} \frac{Xavg}{R} + \frac{\tau'}{2}$ $= \frac{2 \times 2}{1-0.012 \times 2}$ (ii) S = MAXavg/R = 100X40X120X10⁻⁶ = 0.48 T = 12007.5 \ \mu \text{sec}

12/21/2003

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