# **VOI. 2** Chapte r 1.9

#### Page 1

Good morning, everyone. Welcome back to Phys 608, Laser Spectroscopy.

I'm Distinguished Professor Dr M A Gondal, and today, we'll be delving into a very practical and important section of our course, corresponding to Chapter 1, section 9 of our materials.

#### Page 2:

The central theme of our lecture today will be a comprehensive "Comparison Between the Different Methods" of laser spectroscopy. As experimental physicists, it's not enough to know that a multitude of techniques exist. The true skill lies in understanding the strengths, weaknesses, and underlying physical principles of each method, so that for any given scientific problem, you can select the most appropriate and powerful tool. That is our goal for today.

#### **Page 3:**

So, let's begin with our motivation: Why should we compare these various Doppler-limited laser spectroscopy techniques?

The primary goal of this section, and indeed a major goal for you as developing researchers, is to be able to identify the MOST suitable experimental method for a given scientific challenge. This choice depends on several critical factors: the spectral region you're working in—are you in the infrared, the visible, or the ultraviolet? It depends on the molecular

species you're studying—is it a stable molecule, a transient radical, an ion? It depends on the sample conditions, such as the pressure range. And finally, it depends on your objective: what is the desired sensitivity? Are you trying to detect a trace gas at parts-per-billion levels, or are you trying to precisely measure a fundamental molecular constant?

Now, I want to draw your attention to a key phrase on this slide: "Doppler-limited" context. For this entire discussion, we are operating under the assumption that the ultimate resolution of our measurement, the narrowest spectral feature we can observe, is determined by the Doppler broadening of the transition in our sample. As you recall, this broadening arises from the thermal motion of the atoms or molecules. We are explicitly *not* considering the more advanced, so-called "Doppler-free" techniques, such as saturation spectroscopy or two-photon spectroscopy, which can achieve even narrower, sub-megahertz linewidths. We will cover those fascinating methods later in the course. For now, our universe is the world of Doppler-limited spectroscopy, which encompasses a vast and powerful array of a spectroscopist's most common tools.

## Page 4:

To guide our comparison, we're going to address three key practical questions that every experimentalist must ask themselves when designing an experiment.

First: Which detection channel will maximize my signal-to-noise ratio? The "detection channel" is the physical manifestation of the light-matter interaction that we choose to measure. Are we going to detect the re-

emitted photons from fluorescence? Are we going to detect ions created by photoionization? Are we going to detect the heat deposited in the sample? Or are we going to detect a change in an electrical current? The choice of channel is arguably the most fundamental decision you will make, as it dictates the very nature of your experiment and its ultimate performance.

Second: How do the various experimental parameters interplay with one another? Specifically, we need to consider how the detector's own quantum efficiency—that is, its intrinsic ability to register an event—interacts with the collection geometry—how efficiently can we physically gather the signal and direct it to the detector?—and the sample's own relaxation dynamics. Relaxation dynamics refers to all the processes, like collisions or non-radiative decay, that compete with the signal we want to measure. Understanding this interplay is essential for optimizing any experiment. A fantastic detector is useless if you can't collect any signal, and a strong signal can be completely undermined by rapid quenching in the sample.

And third, a question of profound practical importance: What added experimental complexity is acceptable? Do we need to introduce extra lasers? Do we require high magnetic or electric fields? Do we need sophisticated modulation electronics and lock-in amplifiers? There is always a trade-off in physics between performance and complexity. The simplest experiment that achieves the scientific goal is often the best, but sometimes, achieving that goal demands a more complex, and therefore more challenging, experimental setup.

We will keep these three questions in mind as we evaluate each technique.

# **Page 5:**

Ultimately, the outcome of our discussion today is to help you create a mental "decision tree" that can guide you, as a researcher, in selecting the best method for your specific problem.

On the screen, you see a flowchart that visualizes this decision-making process. Let's walk through it together, as it provides a superb roadmap for our lecture.

We begin at the top left, in the yellow box labeled "START: Sample & Goals". The very first question we must ask is, "What is the sample's phase?" Is it a condensed phase—a liquid or a solid—or is it a gas? The spectroscopic techniques for these are often quite different.

Let's follow the "Gas" branch upwards. The next critical question is, "What is the pressure regime?" Is the pressure low, less than about 1 Torr, where the gas is essentially collision-free? Or is it high, greater than 1 Torr, where collisions dominate the physics?

Suppose we're in the low-pressure, collision-free regime. The next question becomes: "Does the excited state fluoresce efficiently?" This depends on the quantum yield, or QY. If the answer is "Yes," as in the case of many electronic transitions, the path leads us directly to Laser-Induced Fluorescence, or LIF. This is a high signal-to-noise, species-specific technique, but it's very sensitive to collisional quenching, which is why it's a good choice at low pressure.

What if the excited state does *not* fluoresce efficiently? Perhaps it predissociates or has a low quantum yield. The tree then asks: "Is efficient multi-photon ionization possible?" If "Yes," we are led to Resonance-Enhanced Multi-Photon Ionization, or REMPI. This technique can have

extremely high sensitivity and offers mass selectivity, but it adds the complexity of ion detection.

If neither fluorescence nor ionization are good options in the gas phase, we move down the tree. Let's now consider the high-pressure, collisional regime. Here, the question "Is acoustic detection feasible?" becomes relevant. If yes, this leads to Photoacoustic Spectroscopy, or PAS, which has zero background and works beautifully at high pressures because it uses collisions to generate the signal.

If acoustic detection isn't the way to go, we ask another question: "Is ultimate sensitivity the primary goal?" If yes, and we're willing to accept some complexity, the path points to Cavity-Enhanced Methods like Cavity Ring-Down Spectroscopy. If we prefer simplicity, we might choose a simpler technique like Direct Absorption.

And notice the special case: "Is the sample in a plasma or discharge?" If so, we have a unique option: Optogalvanic Spectroscopy, or OGS.

This flowchart is our guide. We will now go through each of these major techniques, starting with Laser-Induced Fluorescence, and unpack the physics that justifies its position in this decision tree.

#### <u> Page 6:</u>

Alright, let's begin with our first major technique: Laser-Induced Fluorescence Spectroscopy, often abbreviated as LIF. This corresponds to the top-right box in our decision tree.

The working concept of LIF is beautifully simple and follows a three-step process. First, we use a laser, tuned to a specific resonance, to make an atom or molecule *absorb* a photon. This absorption promotes the species from its ground state to a specific excited electronic state, which we can label with the ket notation, \ket E k \ket{E\_\text{k}}\\$. Second, after some characteristic time, the excited state relaxes. In LIF, we are interested in the case where it relaxes by *spontaneously emitting a photon*. This is fluorescence. Third, we *detect* that spontaneously emitted fluorescence photon. The intensity of this detected light is directly proportional to the population of the absorbing species, which is how we perform spectroscopy.

So, where does this technique work best? The preferred spectral window for LIF is the Visible and the Ultraviolet. Why? Because these regions of the electromagnetic spectrum correspond to photon energies that match the energy gaps of *electronic* transitions in atoms and molecules. As the slide notes, these transitions have an energy difference,  $\Delta \to \Delta E$ , on the order of a few electron volts, or eV. If you recall the fundamental relation  $\to$  = h c  $\to$   $\to$   $\to$  a few eV of energy corresponds to wavelengths,  $\to$   $\to$  that are less than or equal to about 700 nanometers. This firmly places us in the visible and UV parts of the spectrum. In the infrared, where photon energies are much lower, we are typically exciting vibrational transitions, which, as we will see later, are not well-suited for fluorescence detection.

#### Page 7: Laser-Induced Fluorescence

Let's continue our discussion of Laser-Induced Fluorescence. A key reason LIF is so effective for electronic transitions is that these excited states typically have short natural lifetimes. On the slide, you see that the lifetime, denoted as  $\tau$  k  $\tau_k$ , is on the order of 1 to 100 nanoseconds.

Now, you'll remember from your quantum mechanics courses that the lifetime is inversely related to the spontaneous emission rate, which is the Einstein A- coefficient. So, a short lifetime implies a *high* spontaneous emission rate. We can write this as

Aki = 1 Tk.

$$A_{ki} = \frac{1}{\tau_{k}}.$$

A high rate of spontaneous emission is exactly what we want if we're trying to detect fluorescence! The molecule doesn't wait around for long; it quickly emits a photon that we can detect.

This brings us to one of the most important concepts in fluorescence spectroscopy: the fluorescence quantum efficiency, or quantum yield. This is denoted by the Greek letter  $\eta$  k  $\eta_k$ . The quantum efficiency is defined as the fraction of excited molecules that actually decay by emitting a photon.

Look at the equation on the slide. It reads:

 $\eta k = \Gamma rad \Gamma rad + \Gamma nr$ .

$$\eta_{\mathsf{k}} = \frac{\Gamma_{\mathsf{rad}}}{\Gamma_{\mathsf{rad}} + \Gamma_{\mathsf{nr}}}.$$

\*  $\eta$  k  $\eta_k$  (  $\eta$  k  $\eta_k$ ) is the fluorescence quantum efficiency. It's a dimensionless number between 0 and 1. \*  $\Gamma$  r a d  $\Gamma_{rad}$  (Capital  $\Gamma$  r a d  $\Gamma_{rad}$ )

is the radiative decay rate. This is simply the Einstein A- coefficient, or one over the natural lifetime,  $1 \text{ T k} \frac{1}{\tau_k}$ . It represents the probability per unit time that the molecule will decay by emitting a photon. \*  $\Gamma$  n r  $\Gamma_{nr}$  (Capital  $\Gamma$  n r  $\Gamma_{nr}$ ) is the \emph{non-radiative} decay rate. This term represents the sum of all other possible decay channels that do \emph{not} produce a fluorescence photon. These are the competing processes that can "quench" the fluorescence. As the slide notes, this includes collision-induced decay, predissociation, and internal conversion.

So, the equation is essentially a branching ratio: the rate of the desired process (radiation) divided by the sum of the rates of *all* possible processes (radiative plus non-radiative).

Now, consider the ideal case. When non-radiative channels are negligible, which means we're at a very low pressure so there are no collisions, and the molecule is photostable, then  $\Gamma$  n r  $\rightarrow$  0  $\Gamma_{\rm nr} \rightarrow$  0. In this limit, the equation simplifies to  $\Gamma$  r a d /  $\Gamma$  r a d  $\Gamma_{\rm rad}/\Gamma_{\rm rad}$ , and the quantum efficiency,  $\eta$  k  $\eta_{\rm k}$ , approaches 1. This is the perfect scenario for LIF.

# Page 8

This leads us to a very important result. In these ideal cases, where the quantum efficiency is near unity, every single photon that is absorbed by our sample can, in principle, generate one fluorescence photon.

This means that Laser-Induced Fluorescence has an intrinsic signal gain of order one.

Now, a "gain of order one" might not sound very impressive at first, but let's think about what it means. It means that for every quantum of energy we put into the system via an absorbed laser photon, we get one quantum of signal out in the form of a fluorescence photon. There is no fundamental loss in the signal generation step itself. We are essentially converting one photon into another. This is in contrast to a technique like absorption spectroscopy, where we are looking for a very small *decrease* in a very large signal. In LIF, we are looking for the appearance of photons against a nearly dark background. This "zero-background" nature, combined with the one-to-one photon conversion, is what makes LIF an incredibly sensitive technique under the right conditions.

#### **Page 9:**

Alright, so we've established that in an ideal case, one absorbed photon creates one fluorescence photon. But our job isn't done. We still have to detect that photon. This brings us to the full fluorescence detection chain and the various efficiencies that limit our final signal.

The central question is this: What is the *total probability* that ONE absorbed photon in our sample ultimately produces ONE measurable photo- electron in our detector?

This total probability, which we'll call  $\eta$  to t $\eta_{tot}$  (eta sub total), is the product of three separate efficiencies. The equation on the slide expresses this clearly:

ηtot=ηkδηsens

$$\eta_{\text{tot}} = \eta_k \, \delta \, \eta_{\text{sens}}$$

Let's dissect each term in this critical equation.

\*  $\eta$  k  $\eta_k$  is the fluorescence quantum efficiency of the sample itself. We just discussed this. It's the probability that the excited molecule produces a fluorescence photon. Its value is between 0 and 1. \*  $\delta$  (the Greek letter delta) is the geometric collection factor. Fluorescence is typically emitted isotropically, meaning in all directions—over a full 4  $\pi$  4 $\pi$  steradians of solid angle. Our detection system, consisting of lenses or mirrors, can only capture a small fraction of this total emission. Delta represents this fraction. It's the solid angle of our collection optics divided by 4  $\pi$  4 $\pi$ . Its value is also between 0 and 1, and is often disappointingly small. \*  $\eta$  s e n s  $\eta_{sens}$  (eta sub sens) is the quantum yield, or quantum efficiency, of the sensor itself. This is the probability that a photon, having been successfully collected and arriving at the detector, will actually generate a photo- electron and produce an electronic signal. This depends on the type of detector, like a photomultiplier tube or a CCD camera, and the wavelength of the light. Again, its value is between 0 and 1.

So, to get our final signal, our photon must survive all three of these probabilistic hurdles. The molecule must fluoresce, we must catch the photon, and the detector must see it.

Let's look at some typical numbers for experiments in the visible or UV range to get a feel for how this plays out in the real world.

#### **Page 10:**

So, what are some typical, real-world values for these efficiencies?

First, the fluorescence quantum efficiency,  $\eta$  k  $\eta_k$ . As we discussed, for a good fluorescing species at low pressure, we can be optimistic and say  $\eta$  k  $\eta_k$  is approximately 1. This is our starting point.

Second, the collection solid angle fraction,  $\delta$   $\delta$ . This is where we often take a big hit. It is determined by practical things like the diameter of our collection lens, how close we can get it to the sample (the working distance), and the refractive index of any windows on our sample cell. A typical, reasonably good collection system might gather a solid angle fraction between 0.01 and 0.30. That means, even with a good setup, we are immediately losing between 70% and 99% of our fluorescence photons because they are simply emitted in directions we are not looking.

Third, the detector's quantum efficiency,  $\eta$  s e n s  $\eta_{sens}$ . For a standard photomultiplier tube, or PMT, or an intensified CCD camera, the efficiency with which the photocathode converts an incoming photon into a photoelectron typically ranges from 0.01 to 0.30, so 1% to 30%. This efficiency is highly dependent on the photocathode material and the wavelength of the light being detected.

Now, let's combine these values to find the total detection probability,  $\eta$  to t  $\eta_{\rm tot}$ . If we multiply our optimistic values together—let's say  $\eta$  k  $\eta_{\rm k}$  is 1,  $\delta$   $\delta$  is 0.3, and  $\eta$  s e n s  $\eta_{\rm sens}$  is 0.3—we get a total efficiency of about 0.09, or about 10 - 1  $10^{-1}$ . If we take more pessimistic, but still realistic, values—say  $\delta$   $\delta$  is 0.01 and  $\eta$  s e n s  $\eta_{\rm sens}$  is 0.1—our total efficiency plummets to 10-3  $10^{-3}$ .

So, the sobering reality is that our total detection efficiency,  $\eta$  t o t  $\eta_{\rm tot}$ , typically lies somewhere in the range of 10 – 3  $10^{-3}$  to 10 – 1  $10^{-1}$ . This

means that for every *thousand* photons absorbed by our sample, we might only successfully detect between one and one hundred photo- electrons.

This is a very small signal! And this explains why, for high-sensitivity LIF experiments, we often employ photon-counting electronics. These systems, which might use a discriminator and a Time-to-Amplitude Converter (TAC) or a multichannel scaler, are designed to resolve and count individual photo-electron events, distinguishing them from the detector's intrinsic dark-count rate, which, as the slide notes, can be less than 100 counts per second for a good, cooled PMT. This allows us to detect even these incredibly faint signals, enabling the detection of single absorbed photons in the sample, despite the losses in the detection chain.

# **Page 11:**

This diagram provides an excellent visualization of the fluorescence detection chain we've just been discussing. Let's walk through it.

On the left, we see the red line representing the "Excitation Laser Beam" entering our sample, which is contained in a cuvette. Inside the cuvette, a molecule absorbs a laser photon and is promoted to an excited state.

The orange dashed lines radiating outwards from the center illustrate the process of "Isotropic Fluorescence." The excited molecule emits a photon, but it does so in a random direction, over the full  $4 \pi 4\pi$  steradians of solid angle. This emission is the physical basis for our first efficiency factor, the sample's intrinsic "Quantum Efficiency," labeled  $\eta$  k  $\eta_k$ .

Now, notice the "Collection Lens" placed above the cuvette. It can only intercept a fraction of the emitted light, defined by the solid angle  $\Omega$ . This

is the origin of our second efficiency factor, the "Geometric Collection,"  $\delta$   $\delta$ , which is equal to  $\Omega$   $\Omega$  divided by  $4 \pi 4\pi$ . All the photons emitted outside of this cone are lost forever.

The light that is successfully collected by the lens is then focused onto our detector, which in this diagram is a Photomultiplier Tube, or PMT. The final efficiency factor comes into play here: the "Sensor Efficiency,"  $\eta$  sens  $\eta_{\text{sens}}$ . This represents the probability that the PMT will convert an incident photon into a measurable electronic pulse.

So, this schematic beautifully ties together the three probabilistic steps: the emission ( $\eta$  k  $\eta_k$ ), the collection ( $\delta$ ), and the detection ( $\eta$  sens  $\eta_{sens}$ ). The text at the top reminds us that even with these losses, the technique is so powerful that with photon counting electronics capable of handling dark count rates below 100 s – 1 100 s<sup>-1</sup>, we can achieve the remarkable feat of detecting single absorbed photons within our sample. This is the essence of high-sensitivity Laser-Induced Fluorescence spectroscopy.

# **Page 12:**

Now, let's move to a different branch of our decision tree and explore another powerful technique: the excitation of Rydberg-like states followed by ion detection. This method is often called Resonance-Enhanced Multi-Photon Ionization, or REMPI.

Here's the scenario. Instead of exciting a state that fluoresces efficiently, we use a laser to promote a molecule or atom to a very high-lying bound state. This state, which we can again label  $|E_k\rangle$ , is energetically

located just below the ionization limit of the species, E i o n  $E_{ion}$ . These highly excited, weakly bound states are called Rydberg states.

The molecule is now in this precarious, high-energy state. It doesn't want to stay there. What happens next is a *second process* that provides the final push needed to kick the electron out completely, creating an ion pair—a positive ion and a free electron.

This second step can happen in two primary ways. It can be caused by the absorption of a *second photon*. This could be another photon from the same laser beam or from a second, different laser. This is the "photoionization" step in REMPI. Alternatively, if the pressure is high enough, a collision with another particle could provide the energy needed to ionize the excited molecule.

The key feature of this technique is that we are no longer detecting photons. We are detecting the charged particle we created: the ion. And as we'll see, the features of ion collection are what make this method so extraordinarily sensitive.

#### **Page 13:**

So, what are the features of ion collection that make ionization spectroscopy so powerful?

First, we can achieve near-unity extraction efficiency with very modest D.C. electric fields. We're talking about fields on the order of 100 Volts per centimeter. If you create an ion inside such a field, you can guide it with nearly 100% certainty to your detector. Compare this to the geometric collection efficiency for fluorescence,  $\delta$   $\delta$ , where we were thrilled to collect

even 10 or 20 percent of the signal. Here, we can collect almost *all* of it. This is a massive advantage.

Second, there is practically no background signal. Think about it: in a typical high-vacuum experiment, there are no free-floating, low-energy ions just waiting to be detected. Unlike stray photons which can be a major source of background in fluorescence experiments, few-eV ions simply cannot pre-exist in the chamber without the laser being on to create them. This means we are detecting our signal against a backdrop of almost perfect darkness.

The consequence of these two factors—near-perfect collection efficiency and near-zero background—is profound. Ionization spectroscopy often offers the HIGHEST sensitivity among all Doppler-limited methods. It is the go-to technique for detecting minute quantities of a substance, provided that a convenient two-step excitation and ionization pathway exists for the species in question.

Of course, this supreme sensitivity comes at a cost, which is the experimental overhead. What do we need? First, we need at least one tunable laser, which is scanned to hit the initial resonance step.

#### **Page 14:**

Continuing with the experimental overhead for ionization spectroscopy, after the first tunable laser excites the resonant intermediate state, we need a way to perform the ionization step. This often requires, as point number 2 states, either a second laser, which can be at a fixed wavelength or also tunable, to provide the ionization photons. In some cases, if the laser

intensity is high enough, we can rely on absorbing two photons from the *same* laser beam via a two-photon resonance.

Third, and this is a significant addition compared to a simple absorption experiment, we need specialized equipment to handle the ions. This includes ion optics—a set of electrostatic lenses to guide the ions—and an ion detector, such as a channeltron or a microchannel plate, or MCP, which can amplify the signal from a single ion into a measurable electronic pulse.

Now, this technique, for all its power, has limitations. It's not a universal solution. One major limitation is that it's not applicable when the ionization energy of the molecule is too high for the available photon energies. If you can't get enough energy from one or two photons from your laser system to actually kick the electron out, the technique simply won't work.

Another important limitation arises in experiments where the creation of ions would actually disturb the sample you're trying to study. A classic example is in precision lifetime studies of neutral atoms or molecules. Creating a sea of charged particles in your sample volume would generate stray electric fields, which could perturb the very energy levels you are trying to measure precisely via the Stark effect. In such cases, a non-invasive technique like fluorescence detection would be preferred.

# **Page 15:**

This slide provides a beautiful illustration of the Two-Step Resonant Ionization Spectroscopy process, broken down into two panels.

Let's first look at the left panel, the "Energy Level Diagram." At the bottom, we have the ground state, labeled E g  $E_{\rm g}$ . Our first laser, which is tunable and provides photons of energy h v 1  $hv_1$ , is scanned until its energy precisely matches the gap between the ground state and an intermediate, high-lying state, E k  $E_{\rm k}$ . This is the resonant step. This intermediate state is labeled as a "Rydberg-like State," sitting just below the "lonization Limit." Above this limit is the shaded "lonization Continuum," representing the state where the electron is free from the atom. The second step is accomplished by a second photon, h v 2  $hv_2$ , which is often from a fixed-frequency laser. This photon has enough energy to take the molecule from state E k  $E_{\rm k}$  up into the continuum, creating an ion.

Now, let's turn to the right panel, the "Ion Detection Scheme," which shows what happens physically. We see our atom, A A, in the interaction region where the two laser beams, h v 1  $hv_1$  and h v 2  $hv_2$ , overlap. Upon absorbing the two photons, an ion, A +  $A^+$ , is created. This ion is born between two parallel plates. The top plate is held at ground potential, GND, while the bottom plate has a positive DC field applied to it. This electric field accelerates the newly formed positive ion A +  $A^+$  upwards, as shown by the dashed blue arrow, towards the "Ion Detector." This detector, which could be an MCP or a Channeltron, then registers the arrival of the ion and generates an electrical signal. This schematic perfectly illustrates the high collection efficiency we talked about; the electric field ensures that any ion created in the volume is efficiently directed towards the detector.

#### **Page 16:**

Now, let's shift gears and consider a different region of the electromagnetic spectrum. Let's move from the UV and Visible to the Infrared, or IR. As we do this, we need to ask a crucial question: Why does fluorescence, which was so powerful for electronic transitions, become largely inefficient and ineffective in the IR?

The fundamental reason is that infrared photons have much less energy than UV or visible photons. When a molecule absorbs an IR photon, it typically doesn't have enough energy to excite an electron to a higher electronic state. Instead, it excites the molecule to a higher *vibrational* level.

These vibrationally excited states behave very differently from electronically excited states. First, as the slide notes, their lifetimes,  $\tau \ v \ \tau_v$ , are incredibly long. We are talking about  $10 - 4 \ 10^{-4}$  to  $10 - 2 \ 10^{-2}$  seconds—that's tenths of a millisecond to tens of milliseconds. This is a million to a billion times longer than the nanosecond lifetimes of electronic states!

Why are the lifetimes so long? It's because the transitions are governed by the molecule's electric-dipole moment, and the vibrational transition dipole moments are generally much weaker than electronic transition moments. This weakness translates directly into very small Einstein A *A*-coefficients for spontaneous emission. While an electronic transition might have an A *A*-coefficient of  $10.8 \text{ s} - 1.10^8 \text{ s}^{-1}$ , a vibrational transition might have one of  $\leq 100 \text{ s} - 1 \leq 100 \text{ s}^{-1}$ . The probability of spontaneous emission is just drastically lower.

This long lifetime and low emission probability have two severe, detrimental consequences for trying to use fluorescence as a detection method in the infrared.

#### **Page 17:**

So, what are these two detrimental consequences of long vibrational lifetimes that kill fluorescence in the infrared?

First, at low pressures, where molecules travel long distances between collisions, the excited molecules will simply diffuse OUT of the detector's field of view long before they have a chance to radiate. Remember, the lifetime can be on the order of milliseconds. In that time, a room-temperature molecule can travel several centimeters. It's very likely to leave the small volume that your collection lens is focused on before it emits its photon. So, you create the excitation, but the molecule carries it away before you can see it.

Second, let's consider the opposite case: higher pressures. Now, collisions are frequent. That long millisecond lifetime gives other molecules plenty of time to collide with our excited molecule. In these collisions, the vibrational energy is very efficiently transferred into translational energy—that is, heat. This is called radiationless relaxation, through processes like V-T (vibration-to-translation) or V-V (vibration-to-vibration) energy transfer. The collision "quenches" the excited state, robbing it of its energy before it can fluoresce.

The end result is the same in both cases. The effective fluorescence yield,  $\eta k \eta_k$ , becomes very, very much less than one. The non-radiative decay rate,  $\Gamma$  n r  $\Gamma_{nr}$ , completely dominates the radiative rate,  $\Gamma$  r a d  $\Gamma_{rad}$ .

This means that our workhorse technique from the visible/UV, excitation spectroscopy via fluorescence detection, completely loses its sensitivity in the infrared.

This is a critical branch in our decision tree. If we are in the IR, we need an alternative transduction mechanism. We need a way to convert the deposited laser energy, which now primarily ends up as heat due to collisions, into some other, easier-to-measure signal. And the slide gives us a hint: perhaps we can detect this energy as sound or as heat directly.

#### **Page 18:**

So, we've established that in the infrared, especially at higher pressures, the energy we deposit in the sample via laser absorption is efficiently converted into heat through collisional relaxation.

If we can't detect the fluorescence photons, what *can* we detect? The next technique we will discuss does something truly clever: it takes this deposited heat and turns it into a measurable acoustic wave, or sound.

#### **Page 19:**

This brings us to Photo-Acoustic Spectroscopy, or PAS. This technique is the perfect solution for situations where collisional quenching is not a problem, but rather the very basis of the signal generation mechanism.

The fundamental idea is as follows. We begin with a laser whose intensity is modulated, meaning it's being turned on and off periodically. This is often done with a mechanical chopper or by modulating the laser's power supply.

When this modulated laser beam passes through our gas sample and is absorbed, it leads to periodic heating of the gas, synchronized with the laser modulation. This is due to the efficient non-radiative decay we just discussed. This periodic heating, in turn, creates a periodic expansion and contraction of the gas in the laser path, launching a pressure wave. And a propagating pressure wave is, by definition, sound. We have literally turned light into sound.

The next step, of course, is to detect this sound. The acoustic wave is detected by a very sensitive microphone or a piezoelectric sensor. To enhance the signal, the sensor is typically placed inside a resonant acoustic cell. This cell is designed so that the laser modulation frequency matches one of the cell's acoustic resonance frequencies, typically in the range of 100 Hertz to 10 kiloHertz. This creates a standing acoustic wave in the cell, greatly amplifying the pressure variations at the microphone's location.

And crucially, the amplitude of the resulting signal is proportional to several key experimental parameters.

#### **Page 20:**

Let's examine what the Photo-Acoustic, or PAS, signal amplitude is proportional to. The slide shows a proportionality relation:

SPA α Plasery Q cell V cell.

$$S_{PA} \propto \alpha \, P_{\mathrm{laser}} \, \gamma \, \frac{Q_{\mathrm{cell}}}{V_{\mathrm{cell}}}.$$

- S P A  $S_{PA}$  is our measured photoacoustic signal. -  $\alpha$   $\alpha$  is the absorption coefficient of the gas sample at the laser wavelength. This makes perfect sense: the more light is absorbed, the more heating we get, and the louder the sound. Our signal is directly proportional to the quantity we want to measure. - P I a s e r  $P_{\rm laser}$  is the incident laser power. Again, this is intuitive. A more powerful laser will deposit more energy per unit time, resulting in a stronger signal. -  $\gamma$   $\gamma$  is the ratio of specific heats of the gas. This term arises from the thermodynamics of converting heat into a pressure wave. - And finally, the term in parentheses, Q c e I I / V c e I I  $Q_{\rm cell}/V_{\rm cell}$ , represents the acoustic resonance gain of the cell. Q c e I I  $Q_{\rm cell}$  is the quality factor of the acoustic resonance—a high Q-factor means a very sharp and strong resonance, which greatly amplifies the signal. V c e I I  $V_{\rm cell}$  is the volume of the cell. A smaller volume concentrates the acoustic energy, also boosting the signal.

Now, looking at these dependencies, when is this technique optimal? It is ideal for higher pressures, in the range of roughly 100 to 1000 millibar, or about a tenth of an atmosphere to one full atmosphere.

Why? Because this is the regime where collisional de-excitation is extremely efficient. The collisions are what turn the absorbed photon energy into heat, which is the very first step in generating the signal. In this sense, PAS is the "anti-fluorescence" technique; it thrives under the exact conditions where fluorescence fails.

#### **Page 21:**

Given its strengths, what are the primary applications of Photo-Acoustic Spectroscopy?

One of its most important uses is in trace-gas analysis. PAS is capable of detecting pollutants and other species at extremely low concentrations. For example, it can achieve parts-per-billion, or ppb, detection of molecules like nitrogen dioxide ( N O 2 NO<sub>2</sub>), methane ( C H 4 CH<sub>4</sub>), or carbon monoxide ( C O CO). This makes it invaluable for environmental monitoring, industrial process control, and medical breath analysis.

A major practical advantage of PAS is that it has no requirement for expensive, high-quantum-efficiency optical detectors like PMTs or cooled semiconductor detectors. The detector is simply a high-quality, sensitive microphone. The performance of a microphone is often characterized by its Noise Equivalent Power, or NEP. For a good microphone, the NEP is on the order of 10 - 12 W / Hz  $10^{-12} \text{ W} / \sqrt{\text{Hz}}$ . This means it can detect incredibly small amounts of deposited power, which translates directly into very high sensitivity for detecting absorbing gases. This combination of high sensitivity and relatively simple, inexpensive detection hardware makes PAS a very attractive technique for many real-world applications.

#### **Page 22:**

This slide shows a fantastic schematic of a Photo-Acoustic Spectroscopy resonant cell, which helps us visualize the entire process.

Let's start from the left. A "Modulated IR Laser Beam" enters the cell through an "IR Window." The cell itself is a cylinder, labeled as the

"Acoustic Resonator." The laser beam travels down the central axis of the cylinder.

Inside the cell is the gas sample. As the modulated laser passes through, the gas molecules that are resonant with the laser frequency absorb the light. This absorption leads to periodic heating, which generates a "Standing Acoustic Wave." This wave is depicted by the shaded red region, which has its maximum amplitude, or antinode, in the center of the cell and nodes at the ends.

At the very top of the cell, positioned precisely at the pressure antinode to maximize the signal, is the "Microphone." This microphone detects the pressure oscillations of the standing wave.

The cell also has a "Gas Inlet" and a "Gas Outlet" to allow the sample gas to flow through the system.

Finally, the process is summarized beautifully at the bottom of the slide.

- Step 1: Modulated laser absorption. - This leads to Step 2: Periodic heating. - Which, in turn, leads to Step 3: A pressure wave, or sound, which is detected.

This diagram perfectly encapsulates how PAS turns light into a detectable sound signal.

## **Page 23:**

Let's consider a practical example of Photo-Acoustic Spectroscopy in action: automotive exhaust monitoring. This is a challenging application that perfectly highlights the strengths of PAS.

The target molecules in exhaust are a complex mixture, including carbon monoxide (CO), nitric oxide (NO), nitrogen dioxide (NO<sub>2</sub>), and various unburned hydrocarbons.

To detect these molecules, one would use Mid-Infrared lasers, as these species have strong fundamental vibrational absorption bands in that region. Suitable laser sources include lead-salt diode lasers or, more commonly today, quantum-cascade lasers (QCLs). The output of the laser is chopped, or modulated, at a frequency that matches an acoustic resonance of the PAS cell, maximizing the signal.

The performance of such systems is truly impressive. Typical demonstrated sensitivities include the detection of 1 part-per-billion of NO<sub>2</sub> with just a 1-second integration time.

To put this in terms of fundamental physics, this corresponds to a minimum detectable absorption coefficient of  $5 \times 10 - 10 \text{ cm} - 1.5 \times 10^{-10} \text{ cm}^{-1}$ . This is an incredibly small absorption, a testament to the sensitivity of the technique.

#### **Page 24**

Continuing with our automotive exhaust example, PAS has another crucial advantage in this type of messy, real-world environment. It is incredibly robust against scattering from particulates.

Automotive exhaust is not a clean gas; it contains soot and other small particles. In a traditional absorption experiment, these particles would scatter the laser light, causing a drop in transmitted power that could be mistaken for absorption, leading to a false signal.

However, in PAS, the signal arises ONLY from true absorption that leads to heating of the *gas* phase. Light that is simply scattered by a particle does not contribute to the periodic heating of the gas and therefore does not generate an acoustic signal. This makes PAS "blind" to scattering, which is a massive advantage for analyzing dirty samples.

Because of this robustness and high sensitivity, portable PAS instruments are now widely deployed for on-site emission certification of vehicles and industrial facilities, providing rapid and reliable measurements right at the source.

# **Page 25:**

Now, let's shift our focus to another very important absorption-based technique: Wavelength-Modulated Absorption Spectroscopy, or WMAS. As we saw in our decision tree, this can be a strong competitor to PAS, especially in certain regimes.

The principle of WMAS is quite different from the amplitude modulation used in PAS. Here, we don't chop the laser's intensity. Instead, we modulate, or "dither," the *frequency* of the laser. We sinusoidally vary the laser's frequency right around the center of an absorption line.

The equation on the slide describes this mathematically:

v L (t) = v 0 + 
$$\Delta$$
 v sin  $\square$  (2  $\pi$  f m t) 
$$\nu_{L}(t) = \nu_{0} + \Delta \nu \sin(2\pi f_{m}t)$$

Here, v 0  $\nu_0$  is the average frequency of the laser, which we scan across the absorption feature. f m  $f_{\rm m}$  is the modulation frequency, and  $\Delta$  v  $\Delta\nu$  is the depth of the frequency modulation.

A key condition for WMAS is that this modulation depth,  $\Delta \ v \ \Delta v$ , must be much smaller than the width of the absorption line, which is typically the Doppler width. We are only probing the shape of the line over a very small frequency range.

So what happens? As the laser frequency dithers back and forth across the absorption profile, the transmitted power,  $P T (t) P_T(t)$ , which is detected by a photodiode, will vary in response. This variation in the transmitted power will contain harmonics of the modulation frequency,  $f m f_m$ .

The real magic of WMAS is what we find when we use a lock-in amplifier to detect the signal at the first harmonic, 1 f 1 f. The amplitude of this 1 f 1 f signal turns out to be proportional to the first *derivative* of the absorption profile. A derivative signal is zero far from the line, goes positive on one side, negative on the other, and passes through zero exactly at the line center. This provides a background-free signal. We are no longer looking for a tiny dip in a large DC signal, but rather for a characteristic derivative shape that only appears when there is absorption. This is what enables the detection of very small absorption coefficients,  $\alpha$   $\alpha$ .

## <u>Page 26:</u>

So when might we choose Wavelength Modulation Spectroscopy over Photoacoustic Spectroscopy?

For pure gases at low pressure, where collisions are weak, WMAS can often outperform PAS. There are two main reasons for this.

First, the detection noise floor in WMAS is set by the fundamental shot-noise of the photodiode used to detect the transmitted laser light. The shot-noise is proportional to the square root of the total detected power,  $P T P_T$ . For a stable laser and a good detector, this noise floor can be extremely low, allowing for the detection of very small modulations caused by absorption. In PAS, at low pressure, the signal itself becomes weak because it relies on collisions, so its signal-to-noise ratio suffers.

Second, WMAS does not rely on a specific acoustic resonance of a cell. This means the measurement can be made over a much wider bandwidth. You are free to choose a modulation frequency that is optimal for your laser and electronics, perhaps moving to high frequencies where laser noise is lower. In contrast, PAS is locked into the specific, often narrow, acoustic resonances of its cell.

Of course, WMAS has its own requirements. It requires a laser whose frequency can be stably and rapidly modulated. Diode lasers are perfect for this, as their frequency can be modulated via their injection current. It also requires a lock-in amplifier to perform the phase-sensitive detection at the modulation frequency, which adds a layer of electronic complexity.

## **Page 27:**

This diagram beautifully illustrates the principle of Wavelength Modulation Spectroscopy.

Let's focus on the large graph first. The horizontal axis is the Frequency Detuning, which is the laser frequency v  $\nu$  minus the line center frequency v 0  $\nu_0$ . The vertical axis is the Normalized Signal.

The broad blue curve is the "Absorption Profile," which is proportional to the absorption coefficient,  $\alpha$   $\alpha$ . This is the familiar Gaussian or Lorentzian lineshape we would measure in a direct absorption experiment.

At the top of the peak, you see a green double-arrow indicating the laser frequency modulation:  $\Delta v \sin \Box (2 \pi f t) \Delta v \sin(2\pi f t)$ . This shows the small-amplitude dithering of the laser frequency back and forth around the line center.

Now, the red curve is the key to understanding WMAS. This is the "1f Signal," which is what a lock-in amplifier locked to the modulation frequency would output. Notice its shape. It is exactly the first derivative of the blue absorption profile. It is proportional to d  $\alpha$  d v  $d\alpha/dv$ . This signal is zero far from the line, rises to a positive peak, crosses zero exactly at the line center, falls to a negative peak, and then returns to zero.

The small inset box in the top right, labeled "Lock-in Output (1f)," shows this characteristic derivative or "dispersive" lineshape again. This is the signature of a WMAS signal. Measuring this background-free shape allows for far greater sensitivity than trying to measure the tiny dip in the blue curve directly.

#### **Page 28:**

Let's now consider a very special experimental environment: a molecular beam. This leads us to another technique, Optothermal Spectroscopy.

The primary application for this technique is infrared spectroscopy of cold, collision-free samples. These samples are typically prepared inside a supersonic or effusive molecular beam propagating in a vacuum chamber.

Now, think about our decision tree. We are in the infrared, so fluorescence is out. We are in a collision-free environment (a vacuum), so Photo-Acoustic Spectroscopy is also out, as there are no collisions to generate the sound wave. We have to find another way to detect the energy deposited by the IR laser.

Optothermal spectroscopy does this by detecting the temperature increase caused by the absorbed energy. When a molecule in the beam absorbs an IR photon, it gets vibrationally excited. This molecule then travels along with the beam and eventually strikes a detector. If the molecule can transfer its internal vibrational energy to the detector upon impact, it will cause a tiny increase in the detector's temperature.

This temperature change can be detected in two main ways. One is to use a secondary probe laser to detect the thermal lensing or refractive index change in the medium near the detector. A more common method is to use a bolometric sensor. A bolometer is essentially an ultra-sensitive thermometer, often a cryogenically cooled semiconductor, whose resistance changes dramatically with a small change in temperature. The signal is the small temperature rise of the bolometer caused by the stream of vibrationally excited molecules hitting it.

#### **Page 29:**

What are the strengths of this specialized Optothermal Spectroscopy technique?

First, and this defines its niche, it works precisely when fluorescence is absent *and* collisions are scarce. This fills the gap in our toolkit for IR spectroscopy in the low-pressure or beam vacuum regime, where the pressure p < 10 - 4 p <  $10^{-4}$  millibar. This is the regime where both LIF and PAS fail.

Second, it is perfectly compatible with supersonic molecular beams. One of the great advantages of using a supersonic expansion is that it produces significant rotational cooling of the molecules, often to just a few Kelvin. This collapses the complex forest of rotational lines found in a room-temperature spectrum into just a few strong, well-resolved transitions. This spectral simplification is a massive benefit for high-resolution spectroscopy, and optothermal detection is one of the few ways to perform IR spectroscopy under these desirable conditions.

Third, the detection sensitivity is limited mainly by the fundamental thermal noise of the detector itself—specifically, the thermal conduction noise of the substrate sensor or bolometer. With careful cryogenic design, these detectors can be made extraordinarily sensitive, allowing for the detection of very weak IR absorption signals from the molecules in the beam.

#### **Page 30:**

We've now considered samples that are neutral gases, both at high and low pressures, and even in molecular beams.

Let's turn our attention to another unique state of matter that is of great interest in many areas of physics and chemistry: a plasma. If our sample is in a plasma or discharge, we have access to a new set of powerful spectroscopic tools that rely on detecting changes in the electrical properties of the sample itself.

# Page 31: Slide 10: Optogalvanic Spectroscopy

This brings us to Slide 10: Optogalvanic Spectroscopy, where we use the discharge current itself as our signal.

The sample in this case is not a neutral gas in a cell, but rather the atoms and ions that exist inside a glow discharge or a hollow-cathode lamp. These environments are rich in excited states, radicals, and ions that are difficult or impossible to produce otherwise.

The principle of Optogalvanic Spectroscopy, or OGS, is fascinating. We shine a laser, tuned to a resonance of one of the species in the discharge, through the plasma. The resonant absorption of laser light alters the population distribution among the various energy levels of that species. This change in population, in turn, changes the overall conductivity or ionization balance of the entire plasma. For example, if the laser excites an atom to a state that is more easily ionized by collisions with electrons, the

total number of charge carriers (ions and electrons) in the plasma will increase.

This change in the plasma's electrical properties modulates the total discharge current, I g  $I_g$ , that flows through it. By measuring this small change in current, which is synchronized with our laser absorption, we can obtain a spectrum. We are using the entire plasma as our detector.

And one of the most appealing aspects of OGS is its experimental simplicity.

# **Page 32:**

Let's look at the features that make Optogalvanic Spectroscopy so attractive.

First, as I mentioned, is its remarkable experimental simplicity. To detect the signal, all you need is an ammeter to measure the discharge current and a bias supply to run the discharge itself. You do not need any optical detector—no PMT, no photodiode, no spectrometer. This can dramatically simplify the experimental setup.

Second, OGS works over a very wide spectral range, from the UV all the way to the IR. As long as you can generate the species of interest in your discharge, and you have a laser that can reach one of its transitions, you can perform optogalvanic spectroscopy.

Third, its sensitivity can be surprisingly high. In cases where the discharge noise is low and collisional relaxation processes efficiently channel the absorbed energy into pathways that change the ionization balance, the sensitivity of OGS can rival that of Laser-Induced Fluorescence.

Finally, OGS naturally complements fluorescence spectroscopy. In a plasma, you often have both neutral atoms and their corresponding ions present simultaneously. OGS is sensitive to changes in the populations of both ions and neutrals, because both can affect the overall plasma impedance. This allows you to probe multiple species in the plasma with a single detection scheme, providing a more complete picture of the plasma chemistry.

#### **Page 33:**

Now we come to a brilliant and elegant variation on spectroscopy in discharges: Velocity-Modulation Spectroscopy, or VMS. This technique provides a powerful way to achieve something very difficult: discriminating the spectral signatures of ions from those of neutral species.

Here's how it works. We start with a discharge tube, just as in OGS. But now, we apply an oscillating, or AC, electric field along the axis of the tube. This field is described by the equation  $E(t) = E \cdot 0 \sin \square (2 \pi f t)$ 

$$E(t) = E_0 \sin(2\pi f t)$$

.

 are electrically neutral, so their motion is, on average, unaffected by the AC field. They just continue their random thermal motion.

This difference in motion is the key. Because the ions are moving, their absorption lines will experience a Doppler shift. And because their velocity is oscillating, the Doppler shift will also oscillate.

The shift is given by  $\Delta v(t) = v d(t) c v 0$ 

$$\Delta v(t) = \frac{v_{\rm d}(t)}{c} \, v_0$$

. This means the absorption lines of the ions are modulated in frequency, while the absorption lines of the neutrals remain stationary.

The final step is to use lock-in detection. We send a probe laser through the discharge and detect the transmitted intensity with a lock-in amplifier referenced to the AC field frequency, f f. The lock-in will only pick up signals that are modulated at frequency f f. Since only the ion signals are modulated due to the oscillating Doppler shift, this technique completely isolates the ion spectrum from the much stronger and more congested spectrum of the neutral species.

# **Page 34:**

The ability of Velocity-Modulation Spectroscopy to separate ion signals from neutral signals is absolutely crucial in many research areas.

Imagine you are studying a complex chemical mixture, like the plasma chemistry in an astrophysical environment or in a semiconductor processing chamber. The spectrum is often a dense forest of lines, with the absorption features from abundant neutral species completely overwhelming the weak signals from the trace ions you are interested in. VMS acts like a filter, making the neutral spectrum disappear and allowing the ion spectrum to be observed with a clean background.

There is, however, a practical consideration. The technique works best for a suitable mass range, typically small to medium-sized ions. This is because the drift velocity an ion acquires depends on its mobility, which is inversely related to its mass and the collisional drag it experiences. For a given electric field E, heavier ions will acquire a smaller drift velocity. A smaller velocity means a smaller Doppler shift, which in turn leads to a smaller VMS signal. So, while it is a phenomenal technique, its efficiency can decrease for very heavy molecular ions.

#### **Page 35:**

This diagram provides an excellent visual summary of Velocity-Modulation Spectroscopy.

At the very top, we see a schematic of the "Glow Discharge Tube." A "Probe Laser" with frequency v  $\nu$  passes through it. An "Oscillating Electric Field," E (t) E(t), is applied along the tube, causing the ions to oscillate back and forth with a velocity v d (t)  $v_{\rm d}(t)$ .

The middle graph, labeled "Absorption," shows what this does to the spectrum. The "Neutral (Stationary)" species has a standard absorption profile centered at frequency  $v \circ v_0$ , shown in gray. The ions, however, are sometimes moving towards the laser (blue-shifted) and sometimes moving away (red-shifted). Their absorption profile effectively sweeps back and

forth in frequency, as indicated by the blue and red curves. The total modulation range is  $\Delta \ v \ \Delta v$ .

The bottom graph, labeled "Signal (1f)", shows the output of the lock-in amplifier. Since the neutral absorption is stationary, the lock-in rejects it completely, producing a zero signal. The modulated ion absorption, however, produces a characteristic first-derivative-like signal, which is zero at the un-shifted line center,  $v \circ v_0$ .

The key takeaway is written at the bottom right: The "Ion signal has a characteristic derivative shape," while the "Neutral signal is rejected." This is the power of VMS for unambiguous ion spectroscopy.

#### **Page 36:**

Let's now turn to another fascinating class of techniques: Laser Magnetic Resonance, or LMR, and its counterpart, Stark Spectroscopy. The central idea here is to turn the usual paradigm of spectroscopy on its head. Instead of tuning the frequency of the laser to match a fixed molecular transition, we use a fixed-frequency laser and tune the molecular transition into resonance with the laser by applying an external field.

As the name suggests, LMR uses a magnetic field to tune the energy levels, while Stark Spectroscopy uses an electric field. The physics is analogous in both cases.

So, the core idea is to sweep an external magnetic field, B B, or an electric field, E E. This field interacts with the magnetic or electric dipole moments of the molecule, causing the energy levels to shift. This is the Zeeman

effect for magnetic fields and the Stark effect for electric fields. As we sweep the field, the frequency of a particular transition will change. We record a signal when the shifted transition frequency crosses the fixed frequency of our laser line.

Let's consider a specific example to see how this works. For a Zeeman effect that is dominated by the electron spin—as is the case for many open-shell radical species—the tuning rate is determined by the interaction of the spin's magnetic moment with the B B field.

#### **Page 37:**

The frequency shift for a Zeeman-tuned transition is given by the equation on the slide:

 $\Delta v Z = g \mu B B h$ 

$$\Delta \nu_{\mathsf{Z}} = \frac{g\mu_{\mathsf{B}}B}{h}$$

Let's break this down:

\*  $\Delta$  v Z  $\Delta v_Z$  is the frequency shift due to the Zeeman effect. \* g g is the g-factor, a dimensionless quantity that characterizes the magnetic moment of the state. For a free electron, g g is approximately 2. \*  $\mu$  B  $\mu_B$  (mu sub B) is the Bohr magneton, a fundamental constant of nature with a value of  $9.27 \times 10^{-24}$  Joules per Tesla. It sets the scale for magnetic interactions. \* B g is the strength of the applied magnetic field. \* h g is Planck's constant.

This equation tells us that the frequency shift is directly proportional to the applied magnetic field.

Now, which species is this technique good for? It requires the species to have a large magnetic moment (for LMR) or a large electric dipole moment (for Stark spectroscopy). This means the technique is primarily used to study open-shell radicals, which have an unpaired electron spin and thus a large magnetic moment. They are often found in electronic states with term symbols like capital Sigma or capital Pi.

What are the advantages of this approach? First, it allows for the direct measurement of g-factors, or the parameters that describe the Stark effect. These are not just numbers; they provide profound insight into the angular-momentum coupling scheme within the molecule. It's a very powerful tool for probing the detailed quantum structure of molecules.

#### **Page 38:**

A second, and very significant, advantage of field-tuning methods like LMR and Stark spectroscopy relates to measurement precision.

With these techniques, the absolute frequency uncertainty of a measured transition is no longer limited by the calibration and stability of your tunable laser. Instead, it is reduced to the calibration error of your *laser* and your *field*. Since the laser frequency is fixed, it can often be locked to a primary frequency standard or measured with extreme accuracy using a frequency comb. This means the dominant source of uncertainty becomes the measurement and calibration of the magnetic or electric field, which can also be done very precisely.

The result is that these techniques can often achieve absolute frequency measurements with uncertainties of less than 1 megahertz. This represents a very high level of precision and is a key reason why LMR and Stark spectroscopy are so valuable for determining fundamental molecular properties and testing theoretical models.

# **Page 39:**

So, how does the sensitivity of LMR and Stark spectroscopy compare with other methods?

The sensitivity can be excellent. The reason for this is that field-tuning avoids the need for broad frequency scans. Instead of rapidly sweeping a laser over many gigahertz, you can slowly and carefully sweep a magnetic or electric field. This allows for a very high dwell time on resonance. You can sit at the peak of the signal for a long time and average out noise very effectively. This leads to excellent signal-to-noise ratios.

The actual detection channel used in an LMR or Stark experiment is typically identical to that of an ordinary absorption or fluorescence experiment. You are still looking for a change in transmitted laser power or for fluorescence photons. Therefore, the ultimate sensitivity is limited by the same fundamental noise sources, such as detector shot-noise. Because you can average for so long on resonance, you can often approach this shot-noise limit very closely.

So, in terms of pure sensitivity, these methods are highly competitive.

#### **Page 40:**

However, the unique value of LMR and Stark spectroscopy often comes not from just their sensitivity, but from their remarkable INFORMATION CONTENT.

When you perform an LMR experiment, you are not just measuring a single line center. The magnetic field splits a single rotational transition into multiple Zeeman components. By resolving these components and measuring their field-dependent positions, you can extract detailed information about the fine-structure and hyperfine-structure constants of the molecule. You are learning about the intricate interactions between the various angular momenta—electron spin, orbital angular momentum, and nuclear spins. This goes far beyond simply identifying a transition.

Of course, this powerful capability comes with experimental constraints. You need highly stable and homogeneous magnetic coils, capable of producing strong fields, often with a stability of  $\pm$  10 – 5  $\pm$ 10<sup>-5</sup>, or better. For Stark spectroscopy, you need parallel plates that can sustain kilovolt-level voltages without discharging.

Furthermore, any inhomogeneity in the field across the sample volume will cause the lines to broaden, degrading resolution. To combat this, it's often desirable to have the laser beam pass through the most homogeneous part of the field. Using optical cavities can help by reducing the laser beam diameter, ensuring that all molecules interact with a more uniform field.

# Page 41:

Let's now move to a family of techniques designed for one primary purpose: achieving the absolute highest sensitivity in absorption spectroscopy by dramatically boosting the effective path length of the measurement. This brings us to Intracavity Absorption and its modern descendant, Cavity Ring-Down Spectroscopy.

The intracavity concept is simple but powerful. Instead of placing your absorbing sample outside the laser, you place it INSIDE the laser resonator itself.

Why would you do this? The light inside a laser cavity bounces back and forth between the mirrors many, many times before it escapes through the output coupler. By placing the absorber inside, the light passes through it on every single round trip. This leads to a huge amplification of the effective path length over which absorption can occur.

The equation on the slide gives an approximation for this effective path length, L e f f  $L_{\rm eff}$ :

Leff≈2LcavT+Lloss

$$L_{\rm eff} \approx \frac{2 L_{\rm cav}}{T + L_{\rm loss}}$$

Let's unpack the terms: \* L e f f  $L_{\rm eff}$  is the effective absorption path length. \* L c a v  $L_{\rm cav}$  is the physical length of the laser cavity. The factor of 2 is there because the light makes a round trip. \* T T is the transmission of the laser's output coupler mirror. This is the fraction of light that escapes on each bounce to form the useful laser beam. \* L I o s s  $L_{\rm loss}$  represents all other round-trip losses in the cavity, such as scattering or absorption by the mirrors themselves.

This equation tells us something profound.

# **Page 42:**

Looking at the equation for the effective path length, L e f f  $L_{\rm eff}$ , we can see that to make it as large as possible, we need to minimize the denominator, T + L I o s s  $T + L_{\rm loss}$ . We can do this by using mirrors with extremely low loss and, crucially, an output coupler with very low transmission, T T.

If we use high-reflectivity mirrors, where T T is very small (say, 0.001 or less), the L e f f  $L_{\rm eff}$  can become enormous. It's possible to achieve effective path lengths in the range of kilometers, even with a physical cavity that is only a meter long.

According to Beer's Law, the absorption signal is proportional to the product of the absorption coefficient,  $\alpha$   $\alpha$ , and the path length. By making the path length gigantic, we can dramatically increase our sensitivity, allowing for the measurement of extremely small absorption coefficients,  $\alpha$   $\alpha$ , often less than  $10 - 8 \ 10^{-8} \ cm^{-1}$ .

This principle is harnessed in a more robust and quantitative way by a technique called Cavity Ring-Down Spectroscopy, or CRDS.

In CRDS, instead of putting the absorber inside a running laser, we use a separate, high-finesse optical cavity made of two highly reflective mirrors. The process is as follows:

First, we inject a short laser pulse into the cavity. This pulse gets trapped, bouncing back and forth between the mirrors. On each bounce, a tiny fraction of the light leaks out through one of the mirrors.

Second, we use a fast detector to record the intensity of this leakage light. We observe a beautiful exponential decay of the light intensity, described by the equation

 $I(t) = Inaughte - t/\tau$ .

$$I(t) = I_{\text{naught}} e^{-t/\tau}$$

Here,  $\tau \tau$  is the "ring-down time," which is the characteristic time it takes for the light to decay in the cavity.

Now, what happens if we put an absorbing gas inside the cavity? The absorber introduces an additional loss mechanism. The light loses energy not only by leaking through the mirrors but also by being absorbed by the gas. This additional loss causes the light to decay faster, which means the ring-down time,  $\tau \tau$ , becomes shorter.

The key quantitative relationship is given by the final equation on the slide. The change in the inverse of the ring-down time,

$$\Delta (1\tau) = c \alpha n$$
.

$$\Delta(1/\tau) = \frac{c \alpha}{n}.$$

Here, c c is the speed of light,  $\alpha$   $\alpha$  is the absorption coefficient we want to measure, and n n is the refractive index of the gas.

#### **Page 43:**

So, the CRDS measurement boils down to measuring a time constant,  $\tau$ . We measure the ring-down time with the cavity empty, let's call it  $\tau$  empty

 $τ_{\rm empty}$ , and then we measure it with the absorbing sample inside, τ with  $τ_{\rm with}$ . The absorption coefficient α α can then be calculated directly from the difference between these two measurements.

This brings us to a major advantage of CRDS. The measurement is self-referenced against the empty cavity. More importantly, it is immune to laser intensity noise and fluctuations. Whether you inject a strong pulse or a weak pulse into the cavity, the *decay time constant*,  $\tau \tau$ , remains the same. It only depends on the total losses within the cavity. This makes CRDS an incredibly robust and sensitive technique, as it gets rid of one of the major noise sources in conventional absorption spectroscopy. By measuring a rate of decay rather than an absolute intensity, it achieves exquisite sensitivity.

#### **Page 44:**

Let's now make a comparison that is crucial for many applications, especially in the infrared: Fourier Transform, or FT, Infrared Spectroscopy versus Tunable Laser Spectroscopy.

First, let's consider the strengths of FT spectroscopy, which is a workhorse technique in many chemistry and physics labs. The first great strength is its ability to simultaneously acquire a WIDE spectral band. An FT spectrometer, based on a Michelson interferometer, measures an interferogram that contains information about all frequencies in the source's bandwidth at once. This is known as the multiplex, or Fellgett, advantage. Instead of scanning one frequency at a time, you get everything at once. The second strength is rapid data collection. Because of this multiplex

advantage, a complete, broad spectrum can often be recorded in a matter of seconds.

However, FT spectroscopy has a fundamental limitation, and that is its resolution. The spectral resolution of an FT spectrometer is fundamentally set by the maximum optical path difference,  $\delta$  max  $\delta_{max}$ , that can be achieved by moving the mirror in the interferometer.

# **Page 45:**

The relationship between the resolution of an FT spectrometer and the maximum path difference is given by the equation:

 $\Delta$  v F T  $\approx$  1 2  $\delta$  max

$$\Delta v_{FT} \approx \frac{1}{2 \, \delta_{\rm max}}$$

Here,  $\Delta$  v F T  $\Delta v_{FT}$  is the resolution in wavenumbers, or inverse centimeters. Let's plug in a typical number to get a feel for the scale. A high-end research-grade FT spectrometer might have a maximum path difference,  $\delta$  max  $\delta_{max}$ , of about 1 meter. Plugging this into the equation, we find that the resolution,  $\Delta$  v  $\Delta v$ , is 0.5 c m – 1 0.5 cm<sup>-1</sup>.

Now,  $0.5\,$  c m - 1  $0.5\,$  cm $^{-1}$  might sound small, but let's convert it to a more familiar unit for laser spectroscopists, gigahertz. This resolution is equivalent to approximately 15 G H z 15 GHz. This is a very large number compared to the intrinsic widths of spectral lines.

Now, let's contrast this with tunable narrow-line lasers. With a laser, the resolution is not limited by any instrument mechanics. It is typically only

limited by the Doppler width of the transition itself,  $\Delta$  v D  $\Delta\nu_D$ , which for a typical molecule at room temperature is in the M H z MHz range. That's a factor of thousands better than the FT spectrometer. And if we use Doppler-free techniques, the resolution can be even better.

The trade-off, of course, is that to acquire a broad spectrum with a laser, a sequential, point-by-point scan is needed. This can lead to a much longer total acquisition time compared to the rapid survey scan of an FT instrument.

#### **Page 46:**

Beyond resolution, there is another critical difference between FT and laser spectroscopy: sensitivity.

The sensitivity of a laser-based measurement is almost always far superior. The reason comes down to spectral power density. A typical tunable laser might output a few milliwatts of power, but it concentrates all of that power into a single-mode beam with an extremely narrow linewidth, perhaps less than a megahertz.

An FT spectrometer, on the other hand, uses a broadband source, like a globar, which also emits milliwatts of power, but that power is spread out over a vast spectral range of hundreds or thousands of wavenumbers.

This means that the on-line power density—the power per unit frequency interval right at the absorption feature—is orders of magnitude higher for the laser. A higher power density translates directly into a higher signal-to-noise ratio and thus a much lower detection limit. This is why laser

spectroscopy can detect much weaker absorption features than even the best FT spectrometers.

# **Page 47:**

Let's look at a concrete example to make this resolution comparison crystal clear. We'll consider the submillimeter rotational spectrum of the ozone molecule, O3. This slide refers to a comparison from the textbook, Figure 1.62, and we'll interpret the numbers.

First, a state-of-the-art FT spectrometer operating in this region, at a frequency v  $\nu$  of about 1.5 × 10 12 1.5 ×  $10^{12}$  Hertz, or 1.5 terahertz, might achieve a resolution of about 90 megahertz. This is exceptionally good for an FT instrument.

But now, let's calculate the fundamental limit imposed by nature: the Doppler width of the ozone transition at this frequency. The Doppler width,  $\Delta v D \Delta v_D$ , is given by the formula:

 $\Delta vD = vc2kBTm$ .

$$\Delta v_{\mathsf{D}} = rac{v}{c} \sqrt{rac{2k_{\mathsf{B}}T}{m}}.$$

Let's break down the terms: \* v  $\nu$  is the transition frequency, 1.5 x 10 12  $1.5 \times 10^{12}$  Hz. \* c c is the speed of light. \* k B  $k_{\rm B}$  is the Boltzmann constant. \* T T is the temperature. \* m m is the mass of the molecule.

#### **Page 48:**

If we plug in the numbers for the ozone Doppler width calculation—a temperature T T of 300 Kelvin and a mass m m for ozone ( O 3  $O_3$ ) of 48 atomic mass units—we find that the Doppler width,  $\Delta$  v D  $\Delta v_D$ , is approximately 2 megahertz.

Now, let's compare. The FT spectrometer has an instrumental resolution of 90 MHz. The true physical width of the spectral line, set by the Doppler effect, is only 2 MHz.

The conclusion is striking. The laser spectrometer, whose resolution is limited only by this 2 MHz Doppler width, can fully resolve the true, natural lineshape of the transition. The FT spectrometer, on the other hand, sees a feature that is broadened by a factor of 45. What it records is not the true lineshape, but a shape dominated by its own instrumental limitations. It cannot resolve any finer structure that might exist within that 90 MHz window.

This demonstrates that especially in the submillimeter or far-infrared domain, laser sources—such as far-infrared gas lasers or frequency multipliers—can dramatically out-resolve even the most advanced state-of-the-art FT apparatus.

#### **Page 49:**

This pair of graphs provides a powerful visual illustration of the ozone resolution comparison we just discussed.

Let's look at the top plot, labeled "Fourier Transform Spectrometer." The vertical axis is signal intensity, and the horizontal axis is relative frequency in megahertz. We see a single, broad, bell-shaped curve. The full-width at

half-maximum, or FWHM, is indicated to be approximately 90 megahertz. The annotation correctly identifies this as "Instrument-limited resolution." The FT spectrometer is unable to see any detail finer than this.

Now, look at the bottom plot, labeled "Tunable Laser Spectrometer." This shows what the laser sees when it scans over the same spectral region. It's a completely different picture. That single broad peak from the FT is now resolved into a cluster of at least four distinct, much sharper spectral lines. The annotation correctly labels these as "Doppler-limited lines" with the "fine structure resolved." The width of one of these individual components is shown to be about 2 megahertz, which is the true Doppler width.

This figure is a perfect demonstration of the trade-off. The FT gives you a quick, broad overview, but the laser provides the high-resolution "zoom lens" needed to see the true, detailed structure of the spectrum.

#### **Page 50:**

Now let's switch from a resolution example to a sensitivity example. Here, we're looking at an overtone band of the acetylene molecule, C2H2, in the near-infrared region around 1.5 micrometers. Overtone transitions are intrinsically very weak, making this a great test of sensitivity.

The comparison is between a spectrum taken with an FT spectrometer (Figure 1.63a in the text) and one taken with a specialized laser technique: a color-center laser combined with intracavity Photo-Acoustic Spectroscopy (PAS) (Figure 1.63b).

The key observation comes from looking at an expanded inset of the spectra. We see that spectral lines that are completely buried in the noise floor of the FT spectrum—lines you would not even know were there—are still clearly observed with a signal-to-noise ratio greater than 10 in the laser-PAS trace.

This demonstrates the enormous sensitivity advantage of the laser-based technique.

# **Page 51:**

The demonstrated minimum detectable absorption for this intracavity laser-PAS experiment on acetylene is  $\alpha$  min  $\approx$  10 – 9 c m – 1  $\alpha_{\rm min} \approx 10^{-9}$  cm<sup>-1</sup>. This is an astonishingly high sensitivity.

What is the significance of being able to measure such weak transitions? The ability to measure weak overtone bands is critically important for many applications, such as atmospheric sensing of trace gases like methane (  $C + 4 + CH_4$ ) and acetylene (  $C + 2 + 2 + C_2H_2$ ), and for combustion diagnostics, where these molecules are important intermediates.

This example also perfectly highlights the complementarity of the two approaches. You might use an FT spectrometer for a quick, coarse survey of your sample to identify regions of interest. Then, you would use a high-sensitivity, high-resolution laser technique to perform a detailed, line-by-line analysis in those regions, allowing for precise measurements and the determination of absolute line strengths. They are not just competitors; they are partners in spectroscopic analysis.

#### **Page 52:**

Alright, we have now journeyed through a wide variety of laser spectroscopy techniques, examining the physical principles, strengths, and weaknesses of each one. To wrap up, let's try to consolidate all of this information into a set of practical guidelines, bringing us full circle back to the decision tree we started with.

This will serve as a concise summary to help you choose the right tool for your experimental problem.

# Page 53: Here are our consolidated decision guidelines. Let's go through them one by one.

First: If you are working in the UV or Visible region, studying electronic transitions at low pressure, you should almost always choose Laser-Induced Fluorescence, or LIF. Why? Because electronic transitions have high quantum yields, and at low pressure, collisional quenching is minimized, leading to a strong, background-free signal.

Second: If your molecule has accessible high-lying Rydberg states, you should strongly consider adopting resonant ionization spectroscopy (like REMPI) for the ultimate sensitivity. Why? Because ion detection offers near-unity collection efficiency and a virtually zero-background signal, often making it the most sensitive technique of all.

Third: If you are working in the Mid-Infrared at high pressure, Photo-Acoustic Spectroscopy, or PAS, is typically the dominant technique. Why?

Because in the IR, fluorescence is inefficient, and at high pressure, the collisional quenching that kills fluorescence becomes the very source of the PAS signal, making it incredibly sensitive.

Fourth: If you are studying low-pressure pure gases, a technique like Wavelength-Modulated Absorption Spectroscopy may surpass PAS. Why? Because at low pressure, the PAS signal weakens, while the noise floor of a WMAS experiment, set by photodiode shot-noise, can be fundamentally lower, yielding a better signal-to-noise ratio.

# <u>Page 54: Continuing with our guidelines:</u>

Fifth: If your sample is a discharge or a plasma, you have specialized tools at your disposal. Optogalvanic or Velocity-Modulation spectroscopy are excellent choices. VMS, in particular, is the premier technique to separate weak ion signals from the overwhelming background of neutral species.

Sixth: If you are studying radicals or other species with large magnetic moments ( $\mu \mu$ ) or large g-factors, and you need to extract detailed physical constants, then LMR or Stark spectroscopy is the method of choice. These techniques provide unparalleled information content for determining fine and hyperfine structure.

Seventh: When you need an unbeatable effective path length to measure an incredibly weak absorption, your best options are intracavity absorption or Cavity Ring-Down Spectroscopy (CRDS). These methods can provide kilometer-long effective path lengths, pushing absorption sensitivity to its absolute limits.

And finally, a general strategy: If you need to perform a rapid broadband survey to find out what's in your sample, start with a Fourier Transform (FT) spectrometer. Once you've identified the interesting spectral regions, switch to a fine-tuned laser method for high-resolution, high-sensitivity, line-by-line analysis.

Page 55: To help you review, this slide provides a quick reference summary of some of the key equations and symbols we've discussed.

First, the Fluorescence quantum efficiency,  $\,\eta$  k  $\,\eta_{\rm k}.$  The equation is:

 $\eta k = \Gamma rad\Gamma rad + \Gamma nr$ 

$$\eta_{\mathsf{k}} = \frac{\Gamma_{\mathsf{rad}}}{\Gamma_{\mathsf{rad}} + \Gamma_{\mathsf{nr}}}$$

where  $\Gamma$  r a d  $\Gamma_{\rm rad}$  is the radiative decay rate and  $\Gamma$  n r  $\Gamma_{\rm nr}$  is the non-radiative decay rate. This tells us the probability that an excited molecule will actually fluoresce.

Second, the Total detection efficiency in a fluorescence experiment,  $\,\eta$  to t  $\,\eta_{\rm tot}.$  The equation is:

$$\eta tot = \eta k \cdot \delta \cdot \eta sens$$

$$\eta_{\text{tot}} = \eta_{\mathsf{k}} \cdot \delta \cdot \eta_{\text{sens}}$$

This is the product of the fluorescence quantum efficiency (  $\eta$  k  $\eta_k$ ), the geometric collection factor (  $\delta$   $\delta$ ), and the sensor's quantum efficiency (  $\eta$  s e n s  $\eta_{sens}$ ).

Third, the Zeeman tuning equation used in Laser Magnetic Resonance, or LMR.

#### **Page 56:**

The equation for the Zeeman frequency shift is:

$$\Delta v Z = g \mu B B h$$

$$\Delta v_{\mathsf{Z}} = \frac{g \, \mu_{\mathsf{B}} \, B}{h}$$

where g g is the g-factor,  $\mu$  B  $\mu_{\rm B}$  is the Bohr magneton, B B is the magnetic field, and h h is Planck's constant.

Next, we have the derivative signal in Wavelength Modulation Spectroscopy. The amplitude of the first harmonic signal, S 1  $S_1$ , is proportional to the absorption at line center,  $\alpha$  ( v 0 )  $\alpha(v_0)$ , times the modulation depth,  $\Delta v \Delta v$ .

$$S1 \propto \alpha (v0) \Delta v$$

$$S_1 \propto \alpha(\nu_0) \Delta \nu$$

Finally, the crucial relation in Cavity Ring-Down Spectroscopy, which connects the measured absorption to the ring-down time. This can be written to solve for the absorption coefficient,  $\alpha$   $\alpha$ :

 $\alpha = 1 c (1 \tau with - 1 \tau empty)$ 

$$\alpha = \frac{1}{c} \left( \frac{1}{\tau_{\text{with}}} - \frac{1}{\tau_{\text{empty}}} \right)$$

where c c is the speed of light,  $\tau$  with  $\tau_{\rm with}$  is the ring-down time with the sample, and  $\tau$  empty  $\tau_{\rm empty}$  is the ring-down time of the empty cavity. Note that this equation assumes the refractive index n n is approximately 1.

# **Page 57:**

Let's conclude our discussion with a few final remarks.

The most important takeaway from this entire comparison is that there is NO single "best" technique. The optimal choice always emerges from a careful consideration of the specific scientific problem: the wavelength you need, the nature of your sample and its environment, and the desired information content and sensitivity of your measurement. A good experimentalist is like a good carpenter; they have a full toolbox and know which tool to use for which job.

Reflecting this, modern laboratories often HYBRIDISE methods to exploit multiple advantages simultaneously. For example, one might perform laser-induced fluorescence *inside* a high-finesse cavity to benefit from both the zero-background nature of LIF and the power enhancement of the cavity.

Or one might combine Photo-Acoustic Spectroscopy with Velocity Modulation to perform ion-specific trace gas detection in a plasma.

Furthermore, this field is constantly evolving. There are continuous advances in tunable laser sources—like Optical Parametric Oscillators (OPOs), Quantum Cascade Lasers (QCLs), and optical frequency combs—and in detectors, such as superconducting nanowire single-photon detectors.

#### **Page 58:**

These advances in sources and detectors, such as fast microchannel plates (MCPs), are constantly pushing the frontiers of sensitivity and bandwidth. This means you should expect the decision map we've discussed today to evolve over time. New techniques will emerge, and the capabilities of existing ones will improve.

This brings me to my final and most important point. A deep understanding of the fundamental physics behind each detection channel is your most valuable asset. This understanding is what ensures intelligent experimental design. It allows you to make informed choices, to anticipate problems, and to troubleshoot effectively. It is what allows you to maximize the quality of your data while minimizing the unnecessary complexity of your experiment. That is the hallmark of a world-class scientist, and it is the skill I hope you will all continue to cultivate throughout your careers. Thank you.