

Summary of chapter 29

I. Objective:

1. Calculate the magnetic force \mathbf{F} (magnitude and direction) on a **moving charge** in a **magnetic field**.
 2. Calculate the magnetic force \mathbf{F} (magnitude and direction) on a **current-carrying conductor** when placed in **magnetic field**.
 3. Calculate the torque $\mathbf{\tau}$ (magnitude and direction) exerted on a closed current loop in a magnetic field.
 4. Study the motion of charged particles in a magnetic field.
-

II. Summary of major points:

1. The magnetic force that acts on a charge q moving with a velocity \mathbf{v} in an external magnetic field \mathbf{B} is given by;

$$\vec{F}_M = q\vec{v} \times \vec{B}$$

where F_M is in Newton(N), q is in coulomb(C), v is in m/s and B is in Tesla(T).

Important:

The force is **perpendicular** to \mathbf{v} and \mathbf{B} . The magnitude of the force is given by;

$$F_M = qvB\sin \theta$$

where θ is the angle between the velocity \mathbf{v} and the magnetic field \mathbf{B} .

To find the direction of the magnetic force, use the **RIGHT HAND RULE**.

2. If a **straight** conductor of **length** l carries a **current** \mathbf{I} , the force on that conductor in the external magnetic field \mathbf{B} is given by;

$$\vec{F}_M = I(\vec{L} \times \vec{B})$$

where F_M is in Newton(N), I is in Ampere(A), L is in meters(m) and B is in Tesla(T).

3. The magnetic moment \mathbf{m} of a **current loop** carrying a current \mathbf{I} is:

$$\vec{\mu} = I\vec{A}$$

where μ is magnetic moment ($A.m^2$), I is current (A) and A is vector area (m^2) perpendicular to the plane of the loop.

The torque τ on a current loop placed in a uniform magnetic field \mathbf{B} is:

$$\vec{\tau} = \vec{\mu} \times \vec{B}$$

where τ is magnetic torque (N.m), μ is magnetic moment ($A.m^2$) and B is magnetic field (T).

- Magnitude of the torque is:

$$\tau = \mu B \sin \alpha$$

where α is the angle between \mathbf{v} and \mathbf{B} .

- Direction: **Use the right hand rule.**

4. If a charged particle moves in a uniform magnetic field \mathbf{B} such that \mathbf{B} is perpendicular to \mathbf{v} , then the particle will move in a **circle** whose plane is **perpendicular** to \mathbf{B} .

- The radius r of the circle is:

$$r = \frac{mv}{qB}$$

where m is mass, v is velocity, q is charge of the particle and B is magnetic field.

- The angular frequency ω of the particle is:

$$\omega = \frac{qB}{m}$$