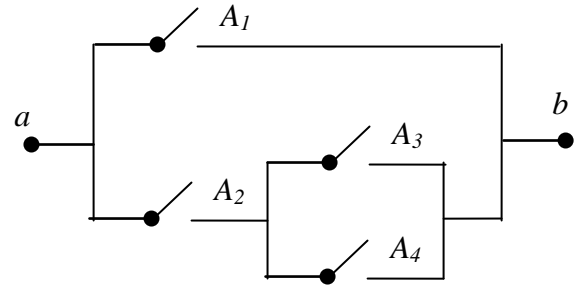


GG5377'Ugevkp%5''S wkt %4:

Q1 Consider the following switching network shown. Let A_1 , A_2 , A_3 , and A_4 denote the events that the associated switches are closed (connecting). Let A_{ab} denote the event that there is a closed path between terminals a and b . (i.e A_{ab} closed)

a) Express A_{ab} in terms of A_1, A_2, A_3 , and A_4

b) If all switches are independent and the probability of being closed is 0.5. That is $P(A_1) = P(A_2) = P(A_3) = P(A_4) = 0.5$. Find $P(A_{ab})$. i.e $P(\text{path between } a \text{ and } b \text{ is closed (connecting)})$



Q2 Consider a communication system with two transmitted symbols 0 and 1. Define events B_i and A_i , $i=1$ and 2 , to represent symbols after and before the channel, respectively. Assume channel transition probabilities are all equal at $P(B_i/A_j)=0.1$, $i \neq j$, while symbol 0 transmission probability $P(A_0)=0.4$.

- What is symbol 1 transmission probability $P(A_1)$?
- What is the transition probability $P(B_i/A_j)$ for $i=j$?
- Sketch the tree diagram and put all labels.
- What is the received symbol probability $P(B_1)$?
- What is the posteriori probability of A_1 transmitted given that B_1 is received?