

ICS 103, Term 083

Computer Programming in C

HW# 1

Due date: Saturday, July 25, 2009

- Q.1.** Assume that a curve has a slope of $ax+b$ at each point (x, y) on the curve. You are required to find the equation of the curve assuming that it passes through point (c, d) . Write a C program to do the following:
- Ask the user to enter the parameters a, b, c, d as integers.
 - Compute the equation of the curve and print it. Your program should display the equation properly formatted taking into account the sign of the coefficients.

A sample execution of the program is shown below:

```
Enter the parameters a & b of the curve slope: 2 3
Enter the coordinates (c,d) of the point through which the curve passes: 1 3
Equation of the Curve: Y = 1.0 X^2 + 3 X - 1.0
Press any key to continue . . . _
```

```
Enter the parameters a & b of the curve slope: -1 -3
Enter the coordinates (c,d) of the point through which the curve passes: 1 3
Equation of the Curve: Y = -0.5 X^2 - 3 X + 6.5
Press any key to continue . . .
```

- Q.2.** Write a C program that asks the user to enter a decimal number and displays its binary representation. Assume that the decimal number is in the range 0-255.

A sample execution of the program is shown below:

```
Enter a decimal number (0-255): 100
Number in Binary is: 01100100
Press any key to continue . . .
```

```
Enter a decimal number (0-255): 205
Number in Binary is: 11001101
Press any key to continue . . . _
```

- Q.3.** A cubic equation has the following format: $aX^3 + bX^2 + cX + d = 0$. The cubic equation can be solved as follows: Let $f = ((3c/a) - (b^2/a^2))/3$, $g = ((2b^3/a^3) - (9bc/a^2) + (27d/a))/27$ and $h = (g^2/4) + (f^3/27)$.

If $(f=0$ and $g=0$ and $h=0)$ then all 3 roots are real and equal. $x_1 = x_2 = x_3 = (d/a)^{1/3} * -1$.

If $(h \leq 0)$ then all 3 roots are real and are computed as follows:

$$i = ((g^2/4) - h)^{1/2}, \quad j = (i)^{1/3}, \quad k = \arccos(- (g / 2i)), \quad L = j * -1, \quad M = \cosine (K/3),$$

$N = (\text{Square Root of } 3) * \sin(k/3)$, $P = (b/3a) * -1$,
 $x_1 = 2j * \cos(k/3) - (b/3a)$, $x_2 = L * (M + N) + P$, $x_3 = L * (M - N) + P$.
 If ($h > 0$) then there is only one real root computed as follows:
 $R = -(g/2) + (h)^{1/2}$, $S = (R)^{1/3}$, $T = -(g/2) - (h)^{1/2}$, $U = (T)^{1/3}$, $x_1 = (S + U) - (b/3a)$.

Write a C program that asks the user to input the parameters of the cubic equation and then computes all real roots and prints them. You can test your program by comparing your solution to the cubic equation calculator in <http://www.1728.com/cubic.htm>.

A sample execution of the program is shown below:

```

Enter cubic equation a X^3 + b X^2 + c X + d coefficients: 1 6 12 8
You have entered the cubic equation 1 X^3 + 6 X^2 + 12 X + 8 = 0
Cubic equation has three equal real roots ...
x1=x2=x3= -2.00
Press any key to continue . . . _
  
```

```

Enter cubic equation a X^3 + b X^2 + c X + d coefficients: 2 -4 -22 24
You have entered the cubic equation 2 X^3 - 4 X^2 - 22 X + 24 = 0
Cubic equation has three real roots ...
x1 = 4.00
x2 = -3.00
x3 = 1.00
Press any key to continue . . .
  
```

```

Enter cubic equation a X^3 + b X^2 + c X + d coefficients: 3 -10 14 27
You have entered the cubic equation 3 X^3 - 10 X^2 + 14 X + 27 = 0
Cubic equation has one real root ...
x1 = -1.00
Press any key to continue . . . _
  
```

The solution should be well organized and your program should be well documented. Submit a soft copy of your solution in a zip file. Your solution should be submitted in a word file that contains the following items:

- i) *Your name and ID*
- ii) *Homework number*
- iii) *Problem statement for each question*
- iv) *Your solution along with the code for each question*
- v) *Discussion of what worked and what did not work in your programs. Include snapshots that demonstrate the working parts of your programs. If things did not work and you attempted to solve them, mention that and write about the difficulty that you have faced.*

The soft copy should also contain the source code files (i.e. .c) for each question separately.