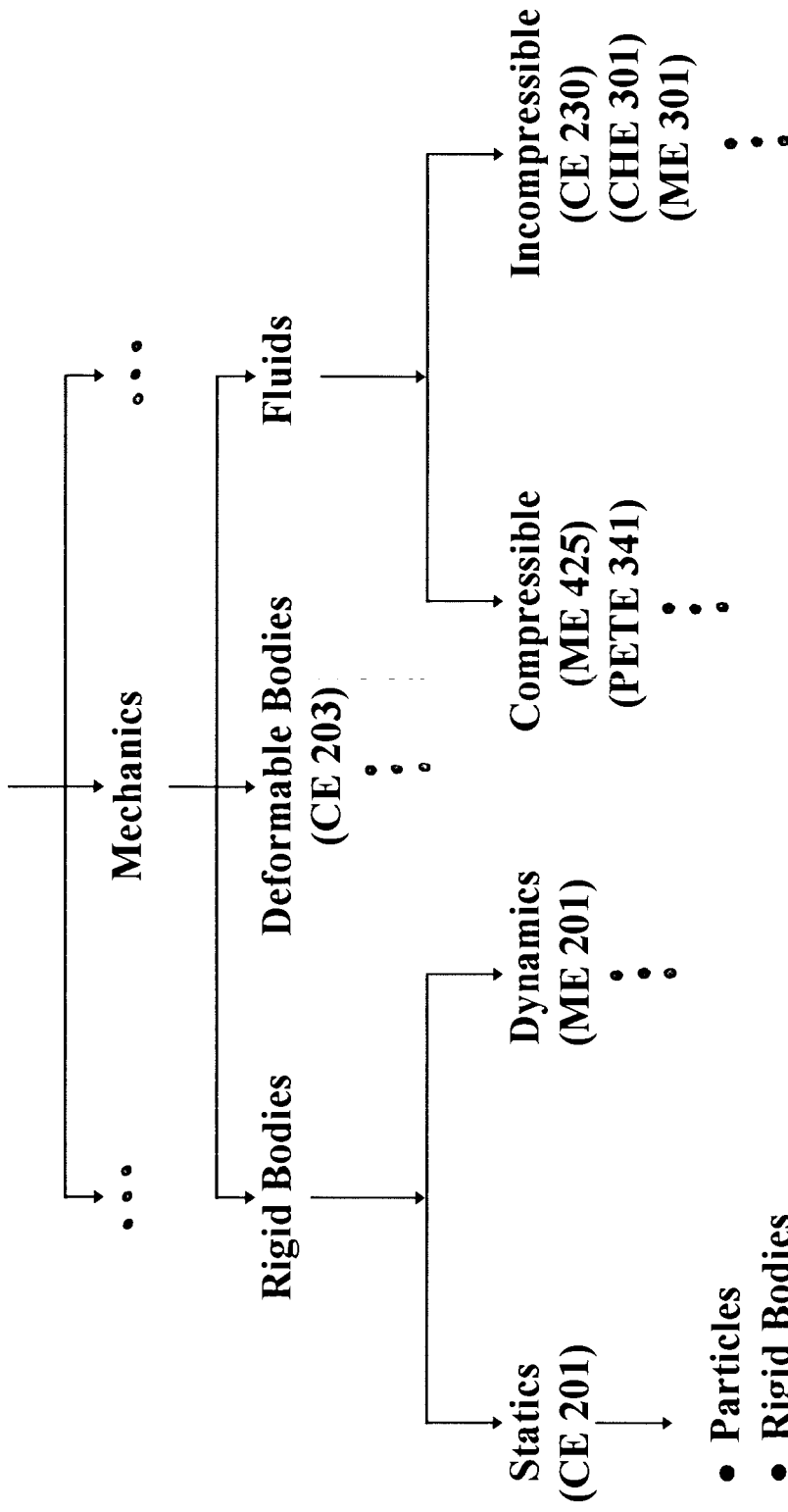


Science

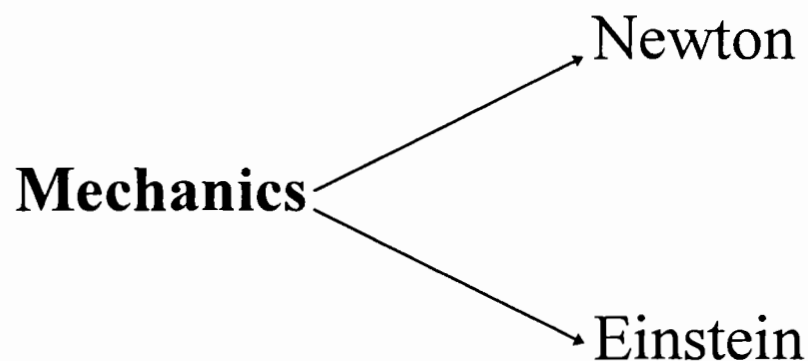


- Particles
- Rigid Bodies
- Forces
- Analysis
-
-
- etc.

Mechanics:

The science which describes and predicts the conditions of rest or motion of bodies under the action of forces.

Mechanics = Applied Science (neither empirical nor abstract [pure] ; it is in-between.)



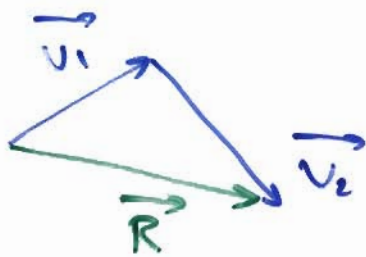
CE 201

Statics

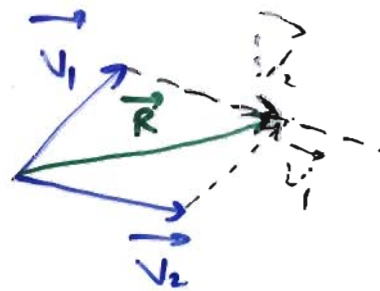
Mechanics =
Statics =

Scalar = a quantity characterized by positive or negative number

Vector = mathematical expression which has magnitude and direction and adds according to the parallelogram law



triangle



parallelogram

If more than 2 vectors, then the summation can be carried out by repeated application of the triangle law.

Vector operations:

* Vectors are commutative: $\vec{V}_1 + \vec{V}_2 = \vec{V}_2 + \vec{V}_1$

* Vectors are associative: $\vec{V}_1 + \vec{V}_2 + \vec{V}_3 = (\vec{V}_1 + \vec{V}_2) + \vec{V}_3 = \vec{V}_1 + (\vec{V}_2 + \vec{V}_3)$

* Product of a scalar and a vector:

$$n(\vec{V}) = n\vec{V}$$
$$\vec{V} + \vec{V} + \vec{V} = 3\vec{V}$$

Force = the action of one body on another.

It has

- ① application point
- ② magnitude (absolute value)
- ③ direction (line of action and sense)

The forces are called **coplanar** if they act in the same plane.

The forces are called **concurrent** if they all pass through the same point.

The effect of the **resultant** force on the body or particle is exactly identical to the effect of all the forces which were replaced by it (original forces).

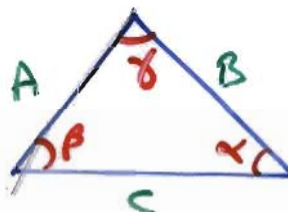
* Resolution of forces: **opposite of resultant (?)**

* Unknowns: any **2** of the following

$\vec{F}_1, \vec{F}_2, \vec{R}, \alpha, \beta, \theta$

side law:

$$\frac{A}{\sin \alpha} = \frac{B}{\sin \beta} = \frac{C}{\sin \gamma}$$



cosine law:

$$C^2 = A^2 + B^2 - 2AB \cos \gamma$$

$$A^2 = \dots$$

$$B^2 = \dots$$