

Full Name: \_\_\_\_\_ ID# \_\_\_\_\_ Ser# \_\_\_\_\_

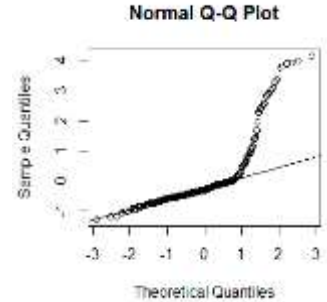
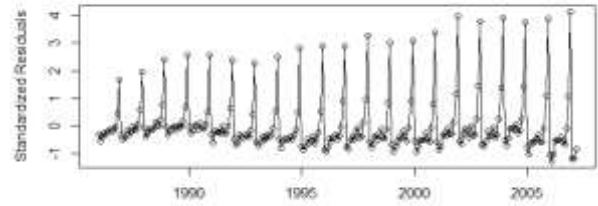
Q1. The UK retail sales from Jan 1986 to Mar 2007 was analyzed.

Using the following **partial summary and residual plots**,

	Estimate	Std. Error	t value	Pr(> t )
Intercept	-7334.9763	307.0736	-23.89	<2e-16 ***
time(retail)		0.1538	24.17	<2e-16 ***

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 15.07 on 253 degrees of freedom  
 Multiple R-squared: 0.6978, Adjusted R-squared: 0.6966  
 F-statistic: 584.1 on 1 and 253 DF, p-value: < 2.2e-16



- Write the time series **model** that was used in the analysis.
- Describe any **remaining patterns** in the data that should be modeled.
- Should you use the **random cosine** model for this data? Why or why not?

Q2. Suppose that a **stationary** time series  $\{Y_t\}$ , has an autocorrelation of  $\rho_k = 0.35^k$  for  $k=1,2,\dots$

- Compute  $Var(\bar{Y})$   
 (Hint: For  $|\lambda| < 1$ ,  $\sum_{k=0}^n \lambda^k = \frac{1-\lambda^{n+1}}{1-\lambda}$  and  $\sum_{k=0}^n k\lambda^{k-1} = \frac{d}{d\lambda} [\sum_{k=0}^n \lambda^k]$ )
- For large  $n$ , compare the **precision** of this series with the series  $Y_t = \mu + e_t$ , where  $e_t$  is zero-mean white noise process.