Q1: The weights of cans of soup produced by a company are normally distributed with a mean of 15 ounces and a standard deviation of 0.5 ounces.

- a. What is the probability that a can of soup selected randomly from the entire production will weigh at least 15.8225 ounces?
- b. Determine minimum weight of the heaviest 4% of all cans of soup produced.
- c. If 28,390 of the cans of soup of the entire production weigh at least 15.75 ounces, how many cans of soup have been produced?

Q2: The reading given by a thermometer calibrated in ice water (actual temperature  $0^{\circ}$ C) is a random variable with probability density function

$$f(x) = k(1 - x^2), \ -1 < x < 1$$

Where k is a constant,

- **a.** Find the value of k
- b. What is the probability that the temperature is greater than  $0.5^{\circ}$ C?
- C. What is the median reading?