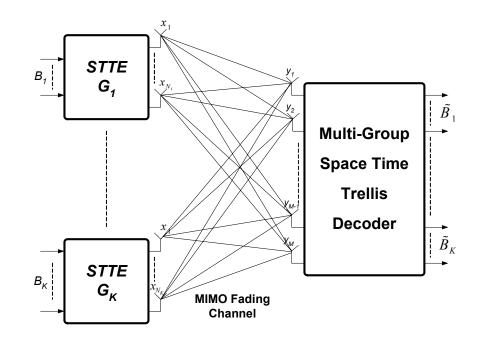
## Iterative Spatial Sequence Estimator for Multi-Group Space Time Trellis Coded Systems

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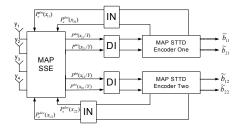
## VTC Fall 04 09/28/2004



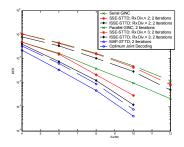


## Iterative spatial sequence estimation algorithm is proposed for decoding Multi-Group STTC systems





#### **ISSE algorithm description**

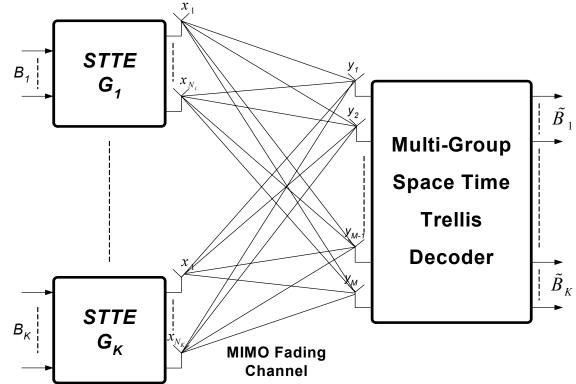


#### **Simulation results**

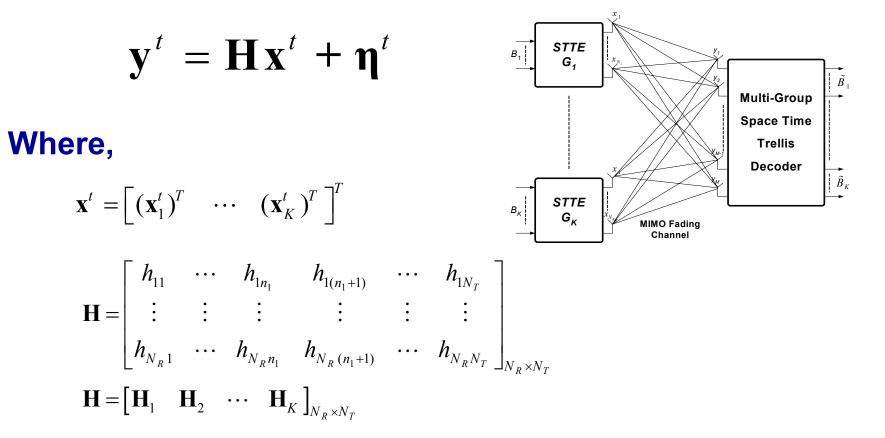
This is a single user system that combines transmit diversity and spatial multiplexing, the transmitter consists of *K* parallel synchronous space-time trellis encoders

Advantages: high data rates, transmit diversity, and coding gains without any bandwidth expansions or extra power

Disadvantage: more decoding complexity

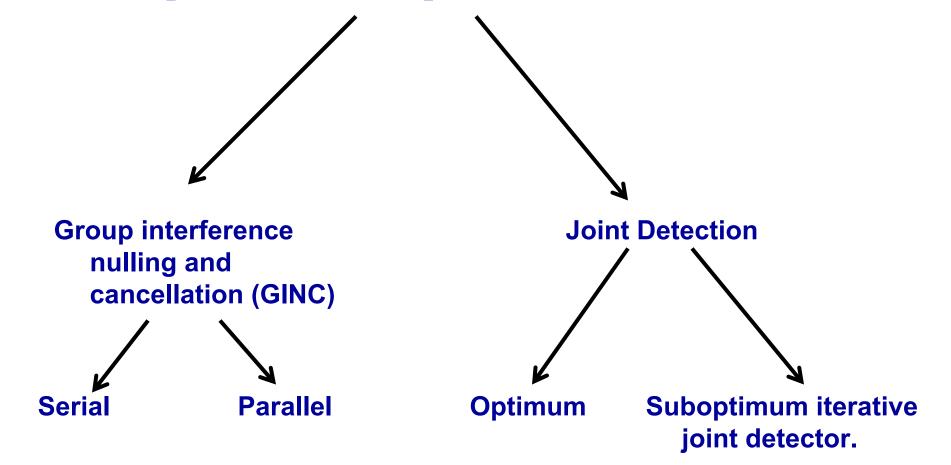


## At the receiver, the discrete received vector is



#### $\eta^{t}$ is the AWGN vector of zero mean and $N_{0}/2$ variance

# Previous detection algorithms were studied earlier in [samir et. al 04]



# Background : group interference nulling and cancellation

## **Group interference nulling:**

 $\mathbf{y} = \begin{bmatrix} \mathbf{H}_1 & \mathbf{H}_2 & \cdots & \mathbf{H}_K \end{bmatrix} \mathbf{x} + \mathbf{\eta}$ 

-To detect group k, find the orthonormal bases  $(\Theta_k)$  of the null space of H-{H<sub>k</sub>}, then project y into this null space

$$\tilde{\mathbf{y}}_k = \mathbf{\Theta}_k \, \mathbf{y} = \tilde{\mathbf{H}}_k \, \tilde{\mathbf{a}}_k + \tilde{\mathbf{\eta}}_k$$

source of Rx diversity reduction

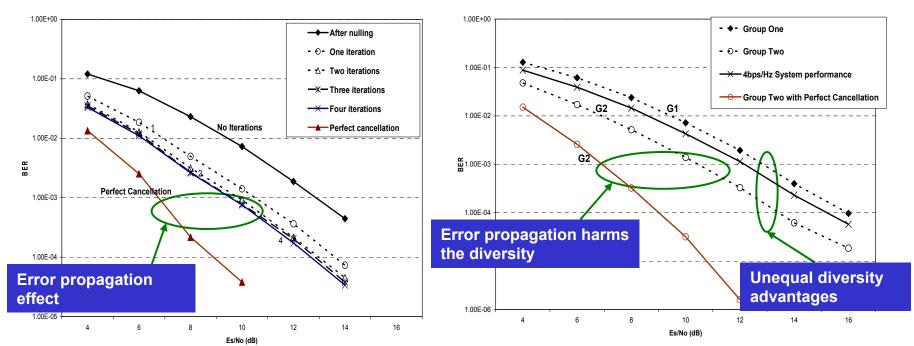
**Group interference cancellation:** 

$$\tilde{\mathbf{y}} = \mathbf{y} - \mathbf{H}_k \, \tilde{\mathbf{x}}_k$$

source of error propagation

## **Disadvantages of GINC**

### **Error propagation, Reduced receive diversity**

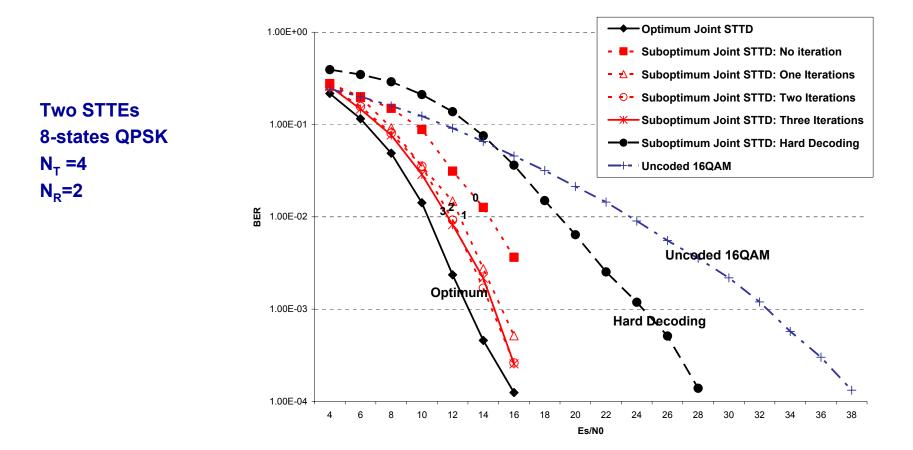


#### Parallel

Serial [Tarokh99]

Two GSTTCs,  $N_T = N_R = 4$ 

### Joint detection is provides full diversity and doesn't suffer form error propagation but with exponential complexity per group



Our proposal in this work is a new multi-group detector that is based on the spatial sequence estimator (SSE) [Maruf et al session 3.4.4 today].

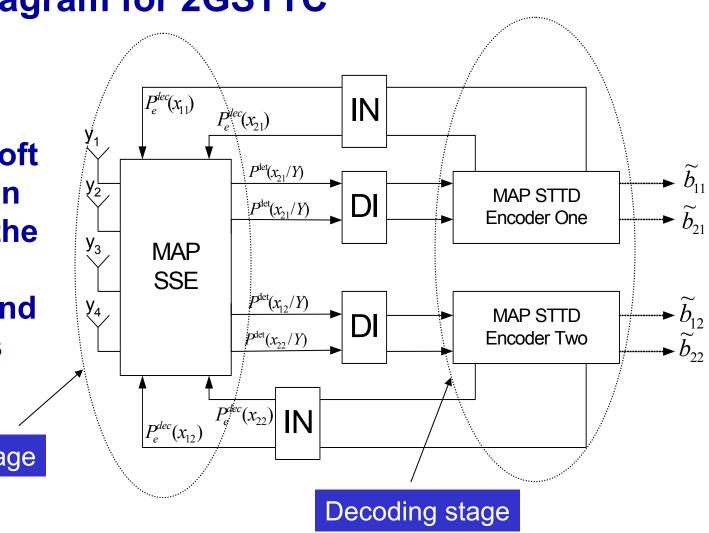
The algorithm combines joint detection and interference nulling in away that permits complexity / performance tradeoffs -inherent in the algorithm- and avoids error propagation among the groups.

To minimize information loss, soft input soft output algorithm is built onto the SSE to detect the MGSTTC systems.

## **Block diagram for 2GSTTC**

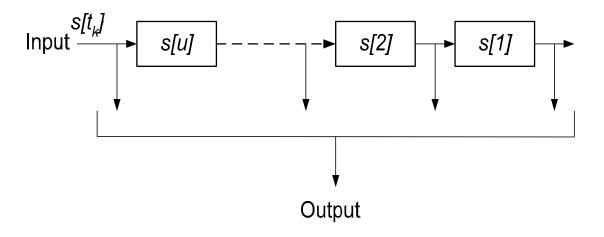
Iterating soft information between the MAP-SSE detector and the STTDs

Detection stage



## Trellis formulation for the spatial sequence estimator is based on introducing memory into spatially transmitted symbols

Spatial state machine: group of *L* antennas, *u*=*L*-1

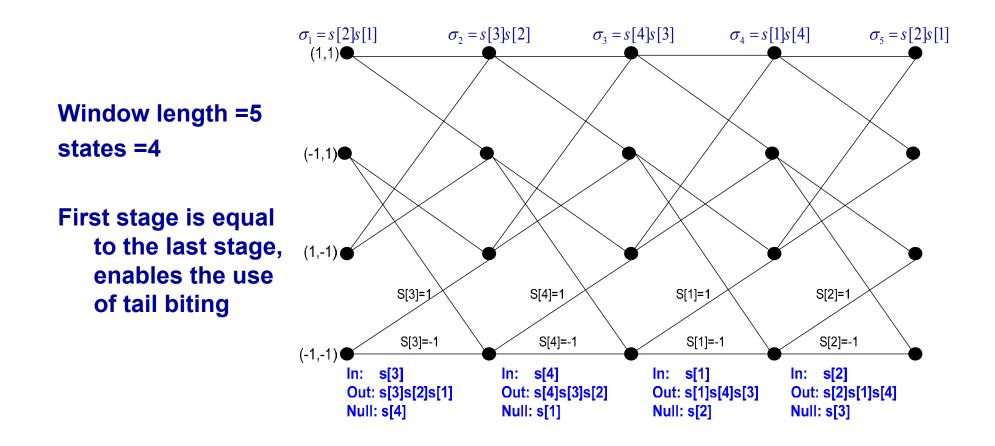


#### Next symbol index is found by

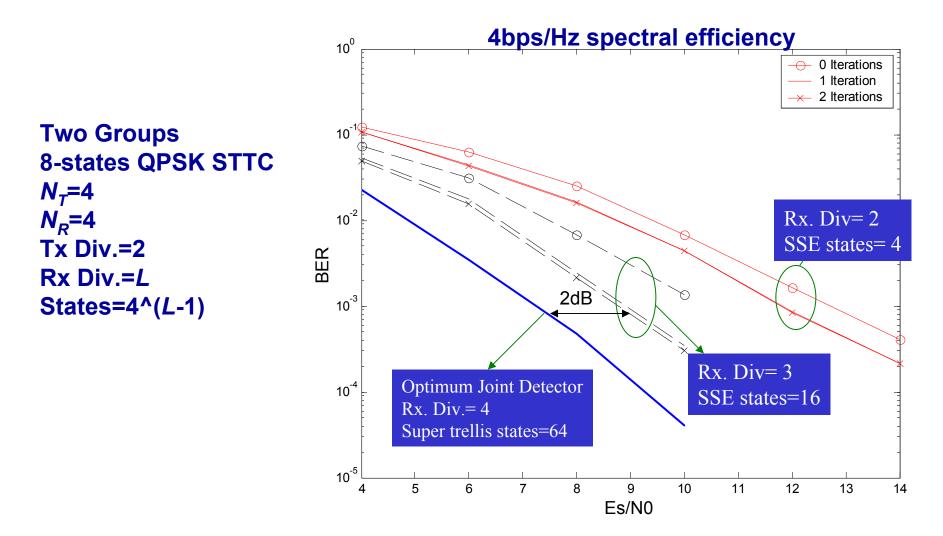
$$t = \text{mod}(\mu + k - 1, N_T + 1) + \left\lfloor (\mu + k - 1) / (N_T + 1) \right\rfloor$$

**Receive diversity is equal for** each group, **Rx Div.=**  $N_R - N_T + L$  Window length =  $N_T$ +1 # of states at each stage =  $M^{L-1}$ each state will have Mtransitions

## Example: $N_T$ =4, BPSK symbols and L=3

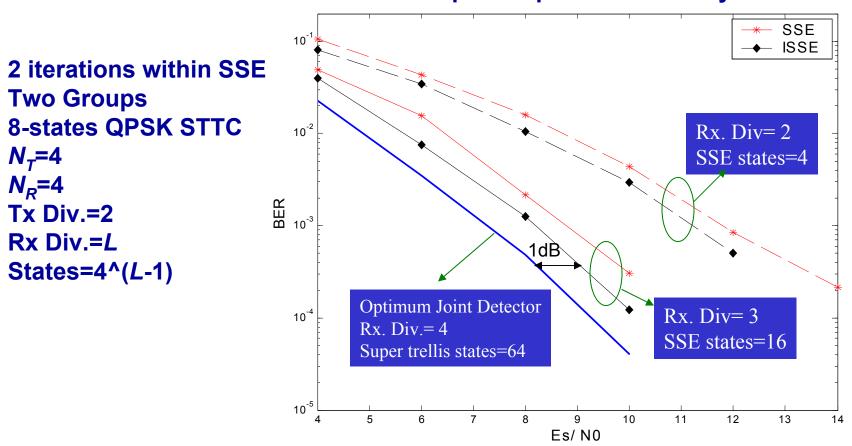


## **SSE performance for 2GSTTCs**



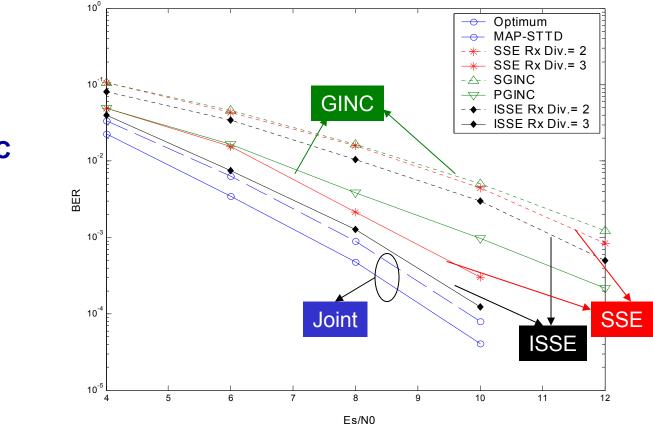
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## Further iterations within the estimator itself improves the performance (utilizing tail biting technique)



#### 4bps/Hz spectral efficiency

## **2GSTTC decoding algorithms comparison**



4bps/Hz spectral efficiency

Two Groups 8-states QPSK STTC  $N_T$ =4  $N_R$ =4 In summary, we have presented and evaluated the performance of a novel multi-group detector (SSE).



•The algorithm combines joint detection and interference nulling to formulate the spatial trellis description of the transmitted symbols.

- •The design parameter of SSE is the number of grouped antennas, *L*, which sets the trade-off between complexity and performance.
- •The receive diversity achieved by all groups is  $N_R$ - $N_T$ +L.

• Cleary as more transmit antennas are grouped, the diversity advantage increases and the number of states increases ( $M^{L-1}$ ), and thus the complexity also increases exponentially.

