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Name:

Ver.1

A system is defined by the following input-output relationship:  $y(t) = 5x(t - 2) + 10$ .

Is the system causal or non-causal? Justify your answer (no points without justifications) **(2 points)**

Causal because current output depends on the input before 2 seconds and not on future input.

For example  $y(t=5)$  depend on  $x(t=3)$

A system is defined by the following relation between the input,  $x(t)$ , and the output,  $y(t)$ : **(4 points)**

$$\frac{dy}{dt} + 3y + 2 \int_{-\infty}^t y(\beta) d\beta = x(t)$$

Is this system **fixed** or time-varying?.....

Is this system **dynamic** or instantaneous?.....

Is this system **linear** or non-linear?.....

What is the order of this system?.....**2** ( you must first differentiate to write the relation in the standard form)

*No need for justification for this part just choose*

Consider a linear fixed system (LTI) with impulse response,  $h(t) = \frac{1}{3}e^{-t/3} u(t)$ , **(4 points)**

a) What is the step response?

$$a(t) = \int_{-\infty}^t \frac{1}{3} e^{-\beta/3} u(\beta) d\beta = -\left[ e^{-\beta/3} \right]_0^t u(t) = \left[ 1 - e^{-t/3} \right] u(t)$$

b) What is the output if the input is  $x(t) = 2u(t - 5)$  ?

By linearity, the output will be  $2\left[ 1 - e^{-(t-5)/3} \right] u(t - 5)$