



## **Homework # 2**

1. Perform the following arithmetic operations:
    - i.  $(175.4 + 234.6)_8 = 432.2_8$
    - ii.  $(1101.101 - 110.01)_2 = 111.011_2$
    - iii.  $(8A5.9 - F.8)_{16} = 896.1_{16}$
  2. Perform the following binary subtractions using the 2's complement:

i.  $11010.11 - 1101.001$

$$\begin{array}{r} \textcolor{red}{11010.110} \\ - \textcolor{red}{01101.001} \\ \hline \end{array} \rightarrow \begin{array}{r} \textcolor{red}{11010.110} \\ + \textcolor{red}{10010.111} \\ \hline \end{array}$$

End Carry (ignore)

**101101.101**

$$\text{ii. } 100100 - 110010 \quad \begin{array}{r} 100100 \\ - 110010 \\ \hline \end{array} \rightarrow \begin{array}{r} 100100 \\ + 001110 \\ \hline 110010 \end{array}$$

No end Carry  
Answer is negative  
= - 001110

3. Convert the decimal numbers -94 and +45 to binary using 10 bit signed 2's complement representation, then obtain the sum  $(-94) + (+45)$  in binary and convert the result to decimal.

$94 = 64 + 16 + 8 + 4 + 2 \rightarrow$	1011110
+94	$\rightarrow 0001011110$
-94	$\rightarrow 1110100010$
	*****
$45 = 32 + 8 + 4 + 1 \rightarrow$	101101
+45	$\rightarrow 0000101101$
	*****
o end Carry over is negative <del>000110001 &gt; 49</del>	----- 1111001111

4. Represent the decimal number 2965 in binary, BCD, and ASCII with 8 bits, where the 8<sup>th</sup> bit is an even parity bit. Express the ASCII code in Hexadecimal form.

2965 = 2048 + 512 + 256 + 128 + 16 + 4 + 1 =  $2^{11} + 2^9 + 2^8 + 2^7 + 2^4 + 2^2 + 2^0$

→ 101110010101 binary  
 → 0010 1001 0110 0101 BCD  
 → 1011 0010 0011 1001 0011 0110 0011 0101 ASCII (8 bits)  
 → B 2 3 9 3 6 3 5 ASCII(Hex.)