



جامعة الملك فهد للبترول و المعادن  
King Fahd University of Petroleum & Minerals



# CRP 514: Geographic Information Systems (GIS)

## Mobile-Based Location Estimation For Emergency Call Situations

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- Introduction
- Objective
- The Approach and Methods
  - TOA
  - AOA
  - Single BS
- Simulation and Results
- Conclusion



# Introduction

- **Where are you?**
- **You know whom you are calling but not where.**
- **U.S. Federal Communications Commission ( FCC ) with in an accuracy of 125 m in 67%**
- **Show the performance of selected methods**



# Introduction

- **Even the most sophisticated positioning algorithms requires:**
  - ✓ **At least three BSs to achieve satisfactory precision**
  - ✓ **Algorithm that makes use of a single-BS**



# Introduction

- The algorithm assumes that the signal sent by the MT, takes an absolute time  $\tau_{BSi}$ .
- The signal will interact with buildings, trees, cars, and any other obstacles before reaching the BS.
- $N_{BS}$  circles are determined; their intersection.
- Initial guess  $(\hat{x}_{MT}^{(0)}, \hat{y}_{MT}^{(0)})$  for the MT location can be obtained

# Objectives

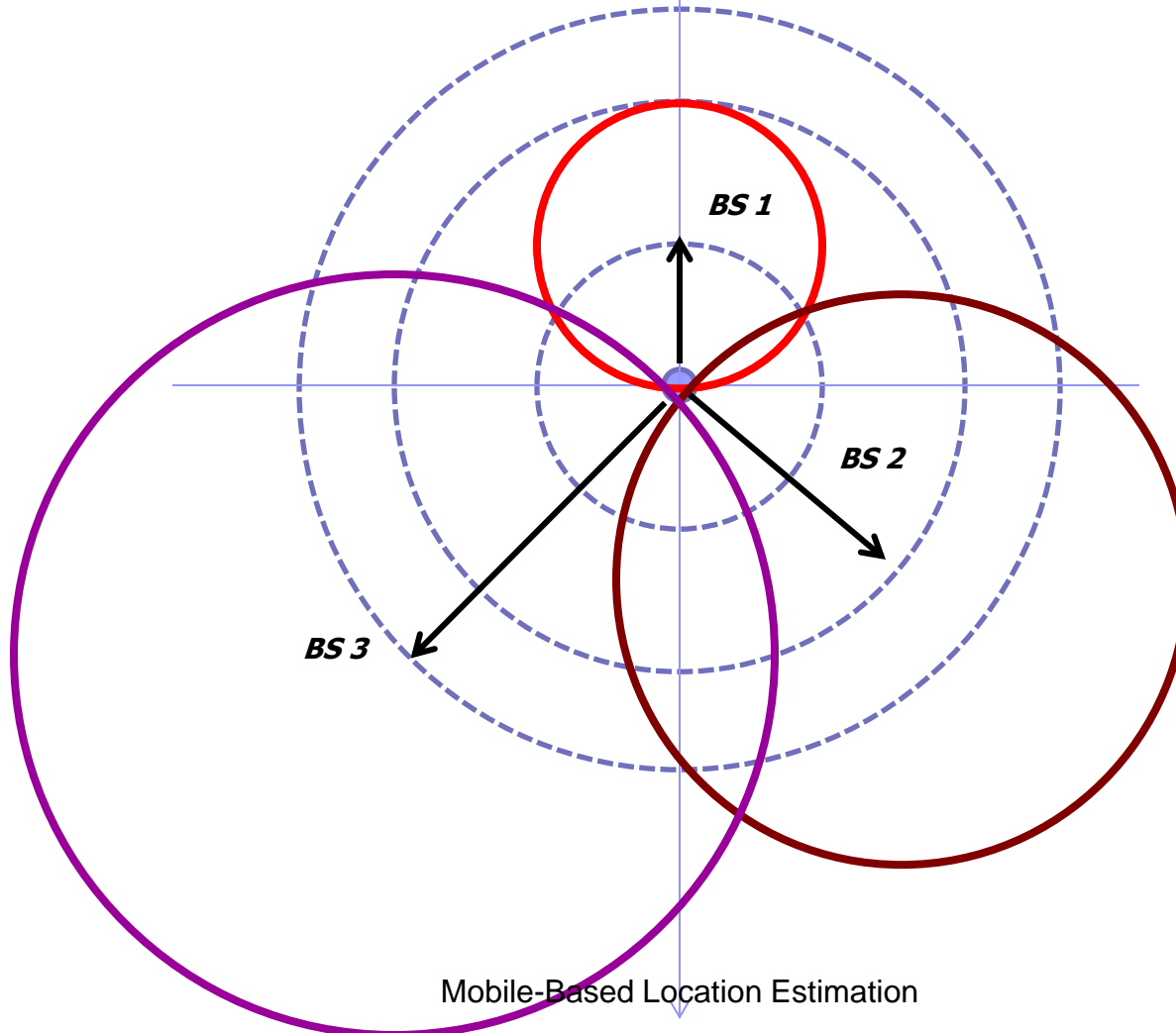
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- To identify the subscribers locations using different techniques.
- To implement our selected approaches in some possible scenarios.
- Validate the acquired results with FCC standard.

# Time of Arrival (TOA)

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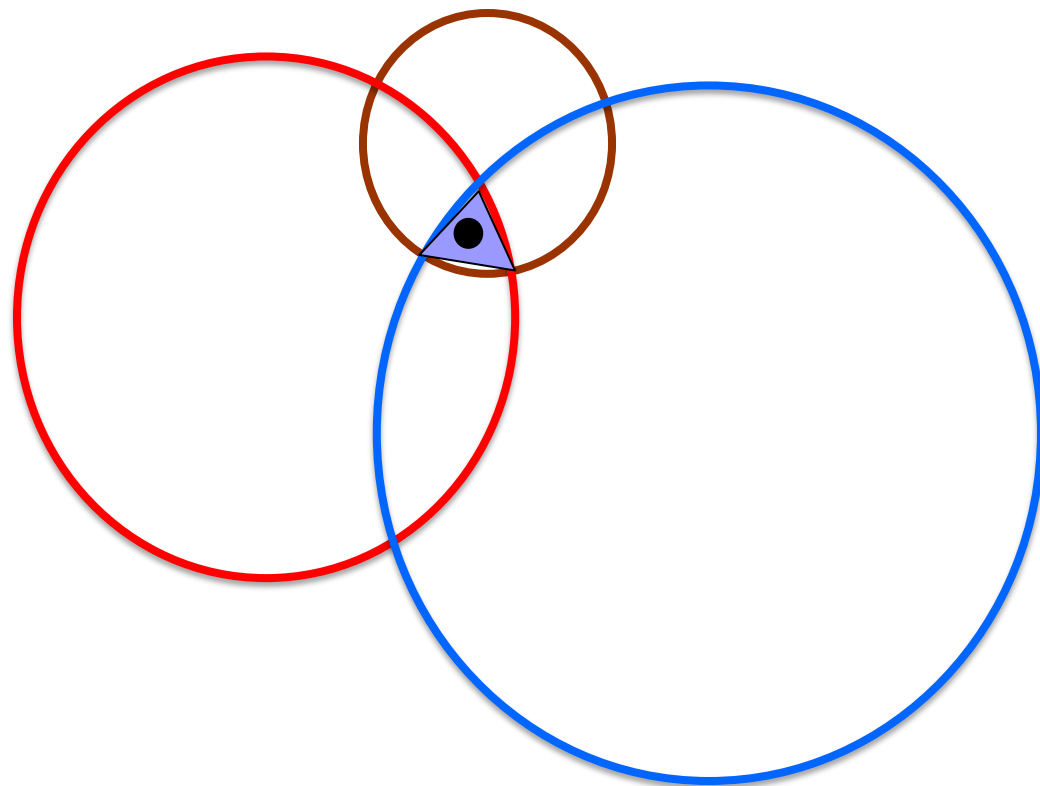
# Time of Arrival (TOA)

$(x_1, y_1)$     $(x_2, y_2)$     $(x_3, y_3)$

$$\hat{x}_{MT} = \frac{(x_1 + x_2 + x_3)}{3}$$

$$\hat{y}_{MT} = \frac{(y_1 + y_2 + y_3)}{3}$$

$$d_i \leq cTBS_i$$





# Time of Arrival (TOA)

$$g_i(x, y) = c\tau_{BSi} - \sqrt{(x - x_{BSi})^2 + (y - y_{BSi})^2}$$

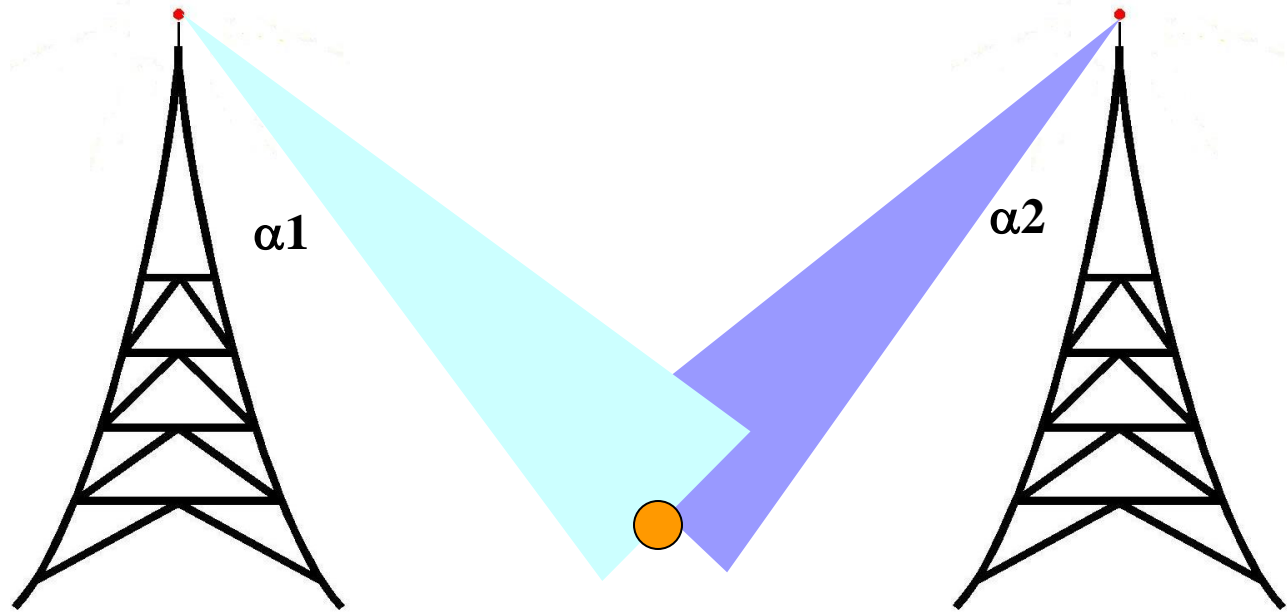
$$(i = 1, \dots, N_{BS})$$

$$G(x, y) = \sum_{i=1}^{N_{BS}} \alpha_i^2 g_i^2(x, y)$$

$$(\hat{x}_{MT}, \hat{y}_{MT}) = \arg \min_{(x, y) \in E} \{G(x, y)\}.$$



# Angle of Arrival (AOA)



# Three Base Station

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# Single Base Station

- ❖ This method needs some minimal information about the environment.
- ❖ First, it is decided if the MT is in line of sight (LoS) of the BS. its location is determined directly .
- ❖ Second, if the MT is found to be in non-LoS (NLoS), its location is then determined by minimizing a given cost function.

# Single Base Station cont.

**This technique uses a single-BS to locate MT:**

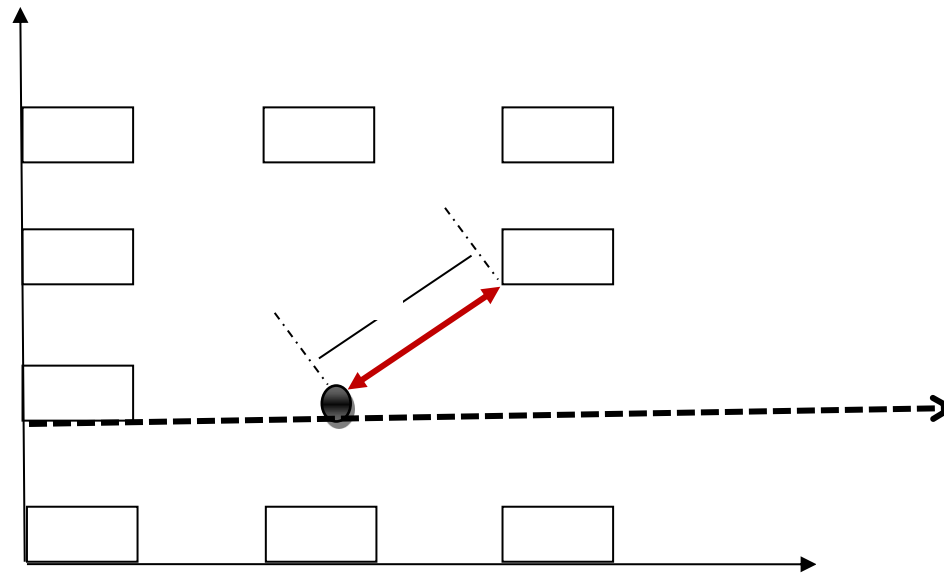
- ❖ **the MT does not have to be synchronized with other BSs.**
- ❖ **The coverage by several BSs is no longer a problem.**

**The algorithm needs knowledge of the following:**

- **AoAs**
- **ToAs**

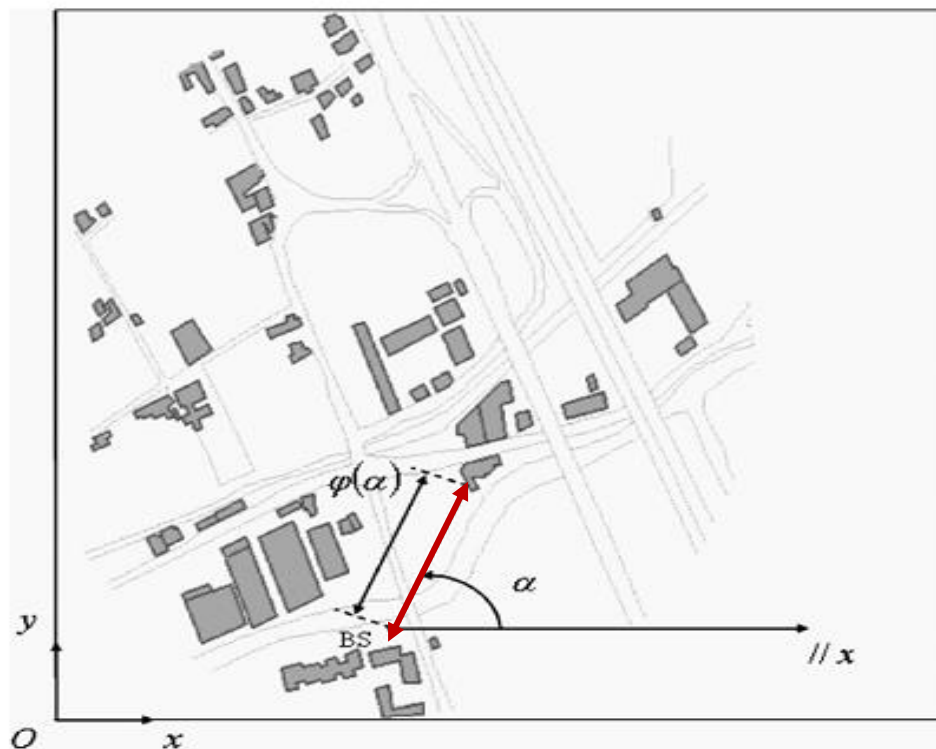
# Single BS Location Technique

- ❖ The technique is depending on a sentinel function (SF), which is defined as the distance between the BS and the nearest obstacle found along the azimuth direction



# Single BS Location Technique

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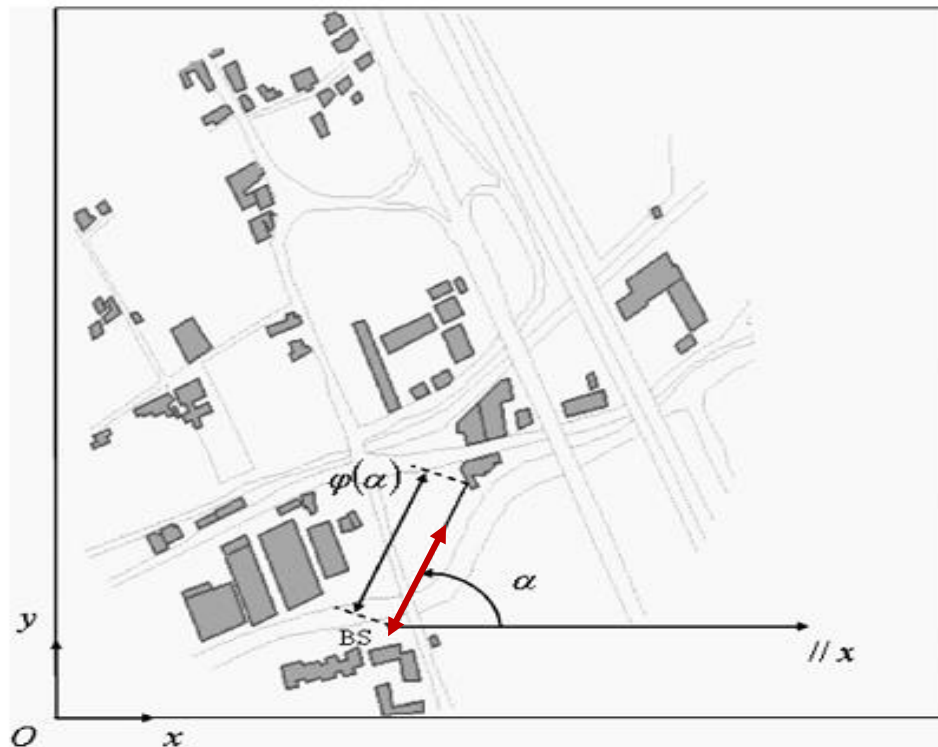


Mobile-Based Location Estimation



# Single BS Location Technique

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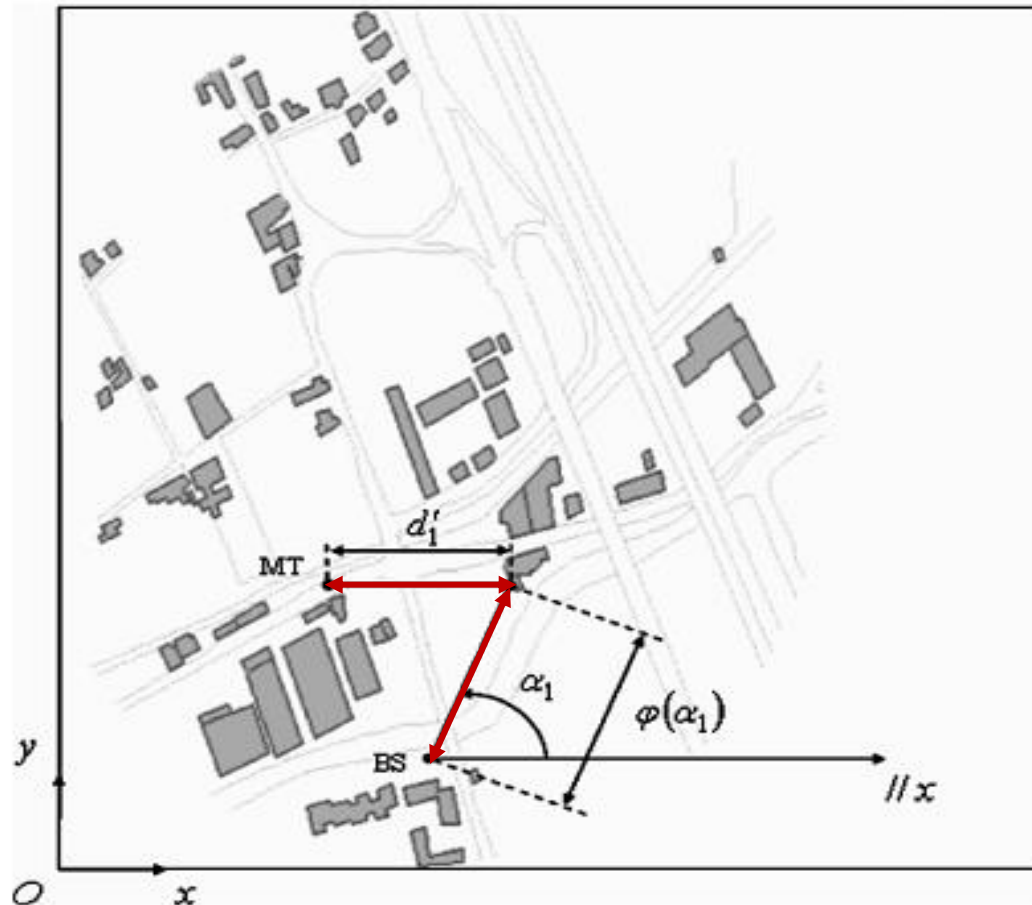
Mobile-Based Location Estimation





# Single BS Location Technique

GIS



Mobile-Based Location Estimation

# Estimation in LOS Conditions

The absolute distance traveled by the first MPC received at the BS can be calculated as

$$d_1 = \sqrt{(c\tau_1)^2 - (h_{BS} - h_{MT})^2}$$

If

$$\varphi(\alpha_1) \geq d_1$$

Then LoS

$$\begin{cases} \hat{x}_{MT} = x_{BS} + d_1 \cdot \cos(\alpha_1) \\ \hat{y}_{MT} = y_{BS} + d_1 \cdot \sin(\alpha_1) \end{cases}$$

# Single BS Location Technique

- The MT position is determined by minimizing a given cost function.

$$\begin{cases} x_{Si} = x_{BS} + \varphi(\alpha_i) \cdot \cos(\alpha_i) \\ y_{Si} = y_{BS} + \varphi(\alpha_i) \cdot \sin(\alpha_i) \end{cases} \quad (i = 1, \dots, N).$$

- Then, the following cost function is introduced:

$$F(x, y) = \sum_{i=1}^N f_i^2(x, y)$$

$$f_i(x, y) = c\tau_{Ri} - \sqrt{(x - x_{Si})^2 + (y - y_{Si})^2}.$$

# Simulation and Results

- The location techniques have been evaluated in terms of the location error:

$$\varepsilon_d = \sqrt{(x_{MT} - \hat{x}_{MT})^2 + (y_{MT} - \hat{y}_{MT})^2}$$



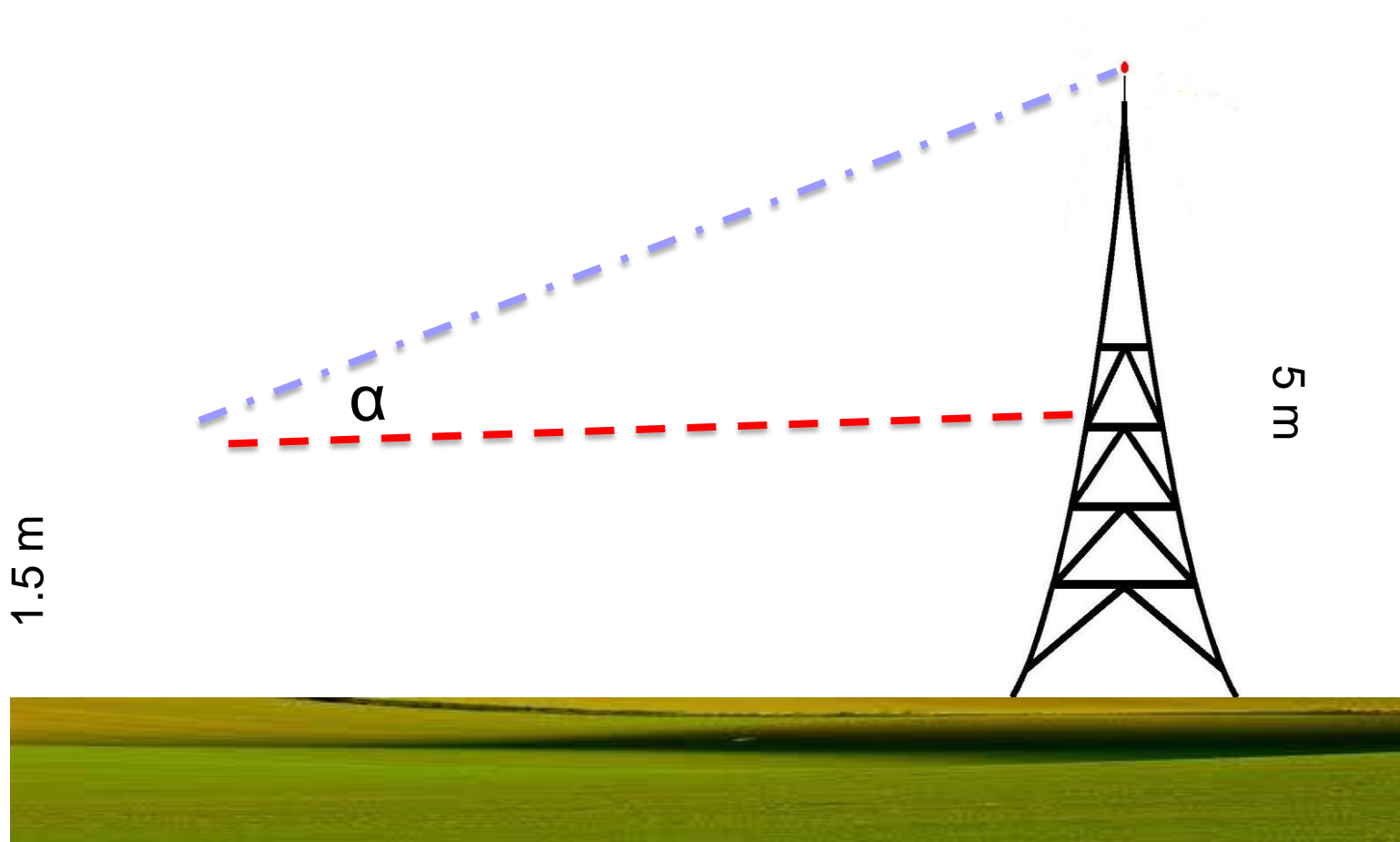


# Experimental Measures

- **The total area is 220 square meter**
- **64 buildings: 20m width, 40m height**
- **Streets: width 20m.**
- **Subscribers: 492 users, 1.5m height**
- **Base Stations: one or three , 5m height**

# The Calculations

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# The Calculations

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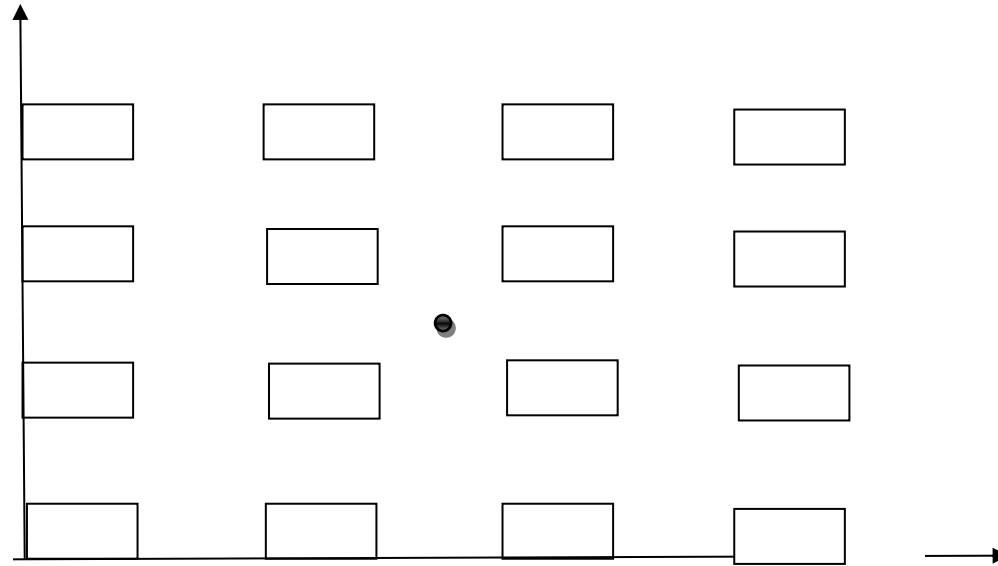


# Simulation and Results

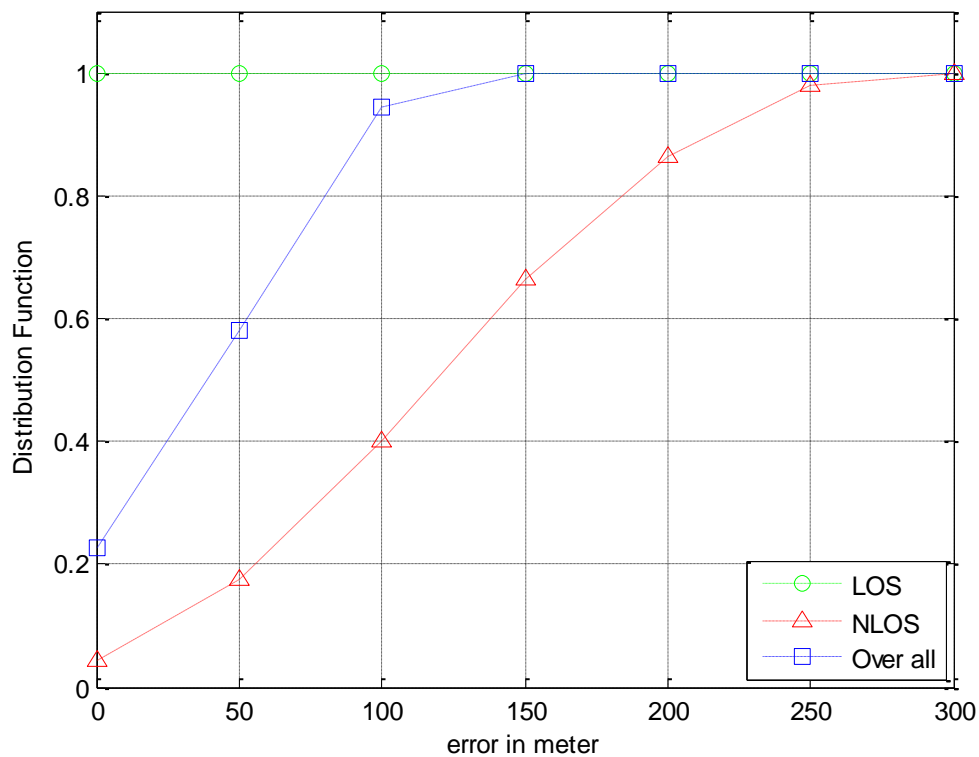
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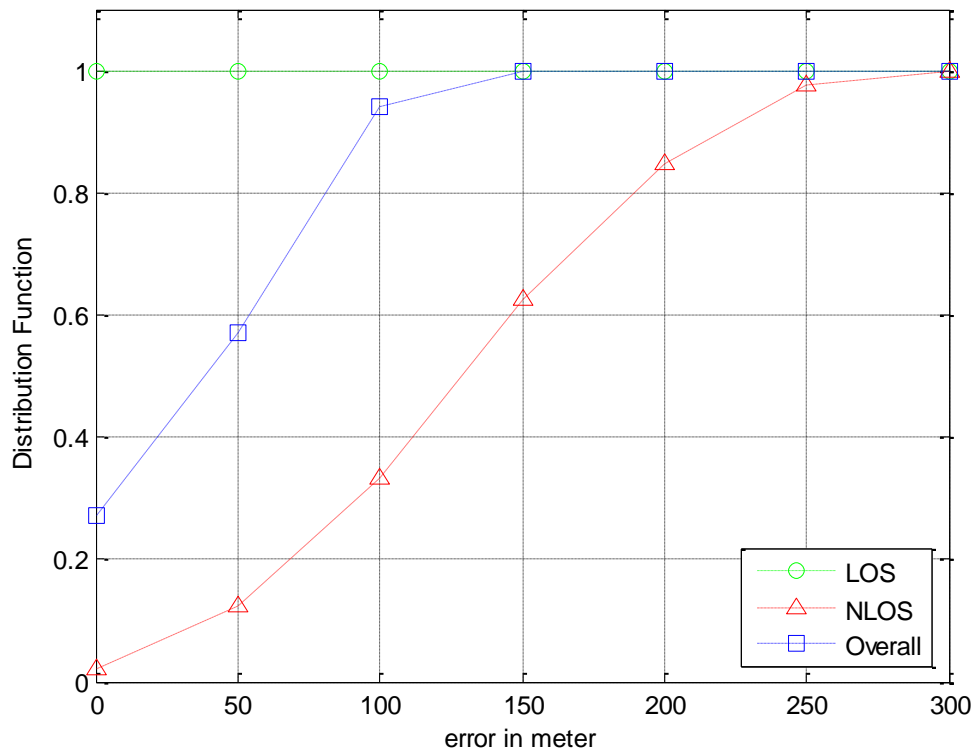


# BS located at the center

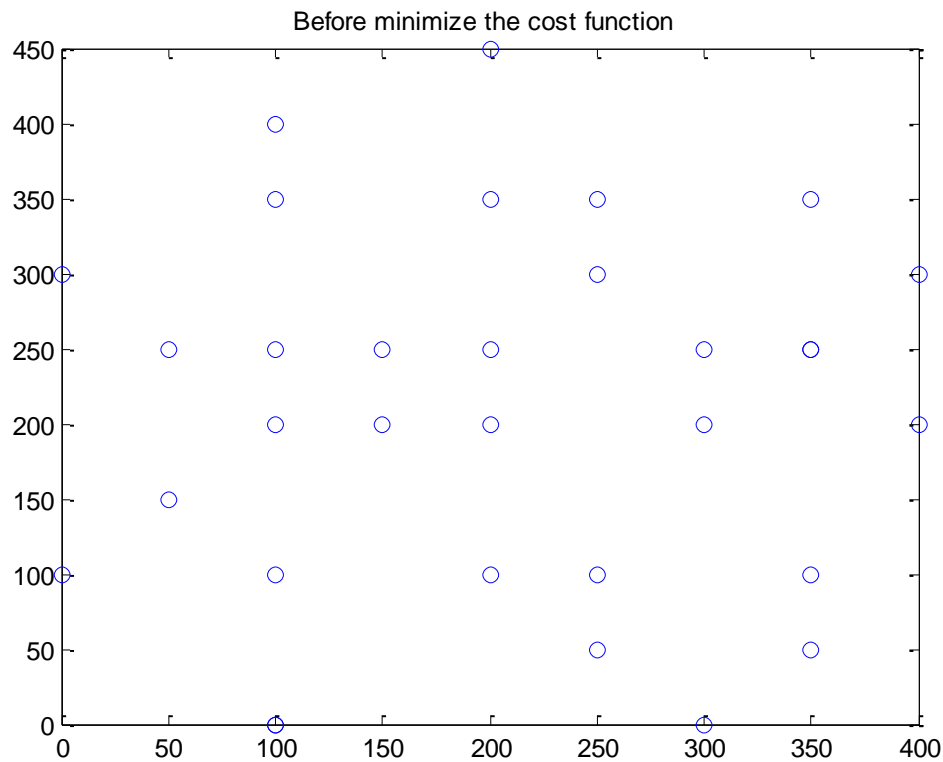


# BS located at the corner

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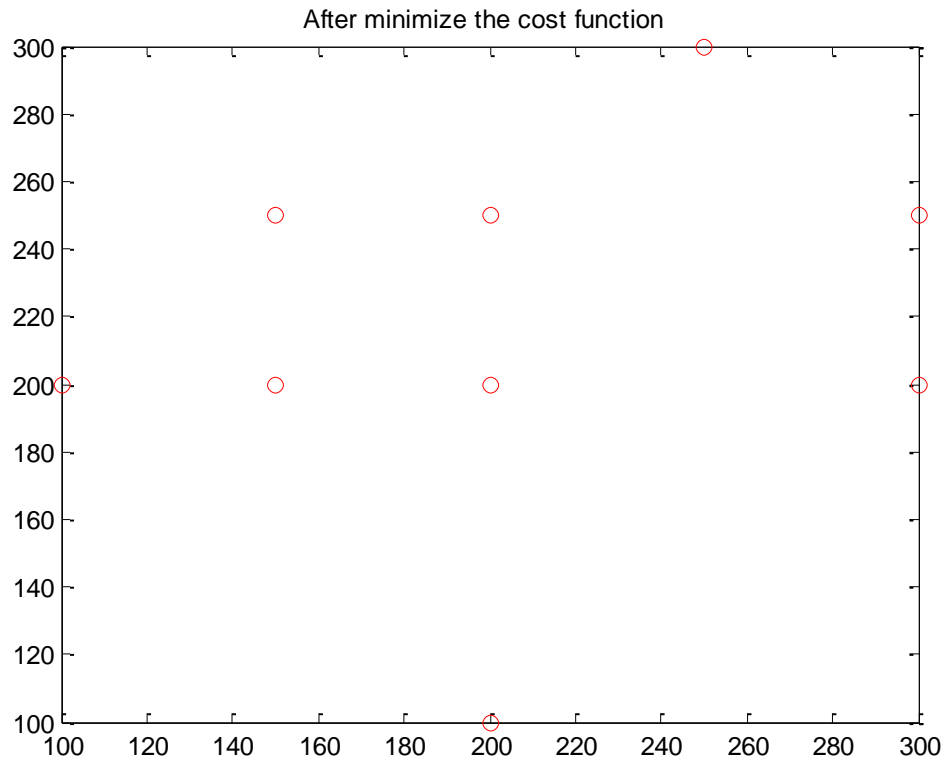


# Multipath Components



# GIS

# Minimization of Multipath Components



# Conclusion

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- ✓ **Identification of MT could be found using only a single-BS and some additional readily available data about the environment around the BS.**
- ✓ **The method is shown to predict the MT position with good accuracy.**
- ✓ **All simulation results comply with the U.S. FCC with an accuracy of 125 m in 67%**



**Thank You for The Attention**

# Mobile-Based Location Estimation For Emergency Call Situations

