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	 Laboratory 	20%
	Assignments and Quizzes	25%
	Midterm Exam I	15%
	Midterm Exam II	20%
	✤ Final Exam	20%
Basic Concepts	COE 205 – Computer Organization and Assembly Language –	KFUPM © Muhamed Mudawar – slide 6

















me	representativ	e types of appli	cations.
,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,			
	Type of Application	High-Level Languages	Assembly Language
	Business application soft- ware, written for single platform, medium to large size.	Formal structures make it easy to organize and maintain large sec- tions of code.	Minimal formal structure, so one must be imposed by program- mers who have varying levels of experience. This leads to difficul- ties maintaining existing code.
	Hardware device driver.	Language may not provide for direct hardware access. Even if it does, awkward coding techniques must often be used, resulting in maintenance difficulties.	Hardware access is straightfor- ward and simple. Easy to main- tain when programs are short and well documented.
	Business application written for multiple platforms (dif- ferent operating systems).	Usually very portable. The source code can be recompiled on each target operating system with mini- mal changes.	Must be recoded separately for each platform, often using an assembler with a different syn- tax. Difficult to maintain.
	Embedded systems and computer games requiring direct hardware access.	Produces too much executable code, and may not run efficiently.	Ideal, because the executable code is small and runs quickly.































Binary	values ar	e represente	ed in hex	adecima	al.
Table 1-5	5 Binary, De	ecimal, and Hexa	decimal Eqi	uivalents.	
Binary	Decimal	Hexadecimal	Binary	Decimal	Hexadecimal
0000	0	0	1000	8	8
0001	1	1	1001	9	9
0010	2	2	1010	10	А
0011	3	3	1011	11	В
0100	4	4	1100	12	С
0101	5	5	1101	13	D
0110	6	6	1110	14	Е
0111	7	7	1111	15	F







Standard si	Zes: word 16 doubleword 32 quadword 64	
Table 1-4 Ranges o	f Unsigned Integers.	
Storage Type	Range (low–high)	Powers of 2
Unsigned byte	0 to 255	0 to (2 ⁸ - 1)
	0 to 65 525	0 to $(2^{16} - 1)$
Unsigned word	0 10 05,555	0.00(2 1)
Unsigned word Unsigned doubleword	0 to 4,294,967,295	$0 \text{ to } (2^{32} - 1)$









starting value	00100100 = +36
step1: reverse the bits (1's complement)	11011011
step 2: add 1 to the value from step 1	+ 1
sum = 2's complement representation	11011100 = -36
	DIETHETIL HIUSL DE ZELO
00100100 + 11011100 = 00000000 (8	-bit sum) \Rightarrow Ignore Carry
00100100 + 11011100 = 00000000 (8 The easiest way to obtain the 2' binary number is by starting at the 0s unchanged, look for the first occ this 1 unchanged and complement	-bit sum) \Rightarrow Ignore Carry s complement of a s LSB, leaving all the currence of a 1. Leave at all the bits after it.











ned byte $-128 \text{ to } +127$ $-2^7 \text{ to } (2^7 - 1)$ ned word $-32,768 \text{ to } +32,767$ $-2^{15} \text{ to } (2^{15} - 1)^{15}$	torage Type	Range (low-high)	Powers of 2
ned word $-32,768 \text{ to } +32,767 \qquad -2^{15} \text{ to } (2^{15} -$	gned byte	-128 to +127	-2^7 to $(2^7 - 1)$
	gned word	-32,768 to +32,767	-2^{15} to $(2^{15}-1)$
ned doubleword $-2,147,483,648$ to $2,147,483,647$ -2^{31} to $(2^{31} - 2^{31})$	gned doubleword	-2,147,483,648 to 2,147,483,647	-2^{31} to $(2^{31}-1)$
ned quadword $-9,223,372,036,854,775,808$ to -2^{63} to $(2^{63} - 9,223,372,036,854,775,807)$	gned quadword	-9,223,372,036,854,775,808 to +9,223,372,036,854,775,807	-2^{63} to $(2^{63}-1)$







	0	1	2	3	4	5	6	7	8	9	Α	В	С	D	Е	F
2	space	!	"	#	\$	%	&	ı	()	*	+	,	-	•	/
3	0	1	2	3	4	5	6	7	8	9	:	;	<	=	>	?
4	@	Α	в	С	D	Е	F	G	н	I	J	к	L	м	N	0
5	Р	Q	R	S	т	U	v	W	x	Y	Z	Γ	١]	^	_
6	`	a	b	C	d	е	f	g	h	i	j	k	1	m	n	0
7	р	q	r	Ŋ	t	u	v	w	x	У	Z	{		}	~	DEL
*	Exa ⊹ ≁	mpl \SC	es: Il co	de fo	or sp	ace	char	acte	r = 2	0 (he	ex) =	- 32	(dec	imal)	
	\diamond	ASC	II co	de fo	or 'L'	= 40	C (he	ex) =	76 (deci	mal)					





