## Basic Concepts

## COE 205

## Computer Organization and Assembly Language

Computer Engineering Department
King Fahd University of Petroleum and Minerals

## Overview

* Welcome to COE 205
* Assembly-, Machine-, and High-Level Languages
* Assembly Language Programming Tools
* Programmer's View of a Computer System
- Data Representation


## Welcome to COE 205

* Course Web Page:
$\triangleleft$ http://www.ccse.kfupm.edu.sa/~mudawar/coe205/index.htm
* Course Lab Page
$\diamond$ http://www.ccse.kfupm.edu.sa/~mudawar/coe205/lab/index.htm
$\triangleleft$ Check with the Lab Instructor for more information about the new lab experiments
* Software Tools
« Microsoft Macro Assembler (MASM) version 6.15
$\triangleleft$ Link Libraries provided by Author (Irvine32.lib and Irivine16.lib)
« Microsoft Windows debugger
$\diamond$ ConTEXT Editor


## Textbook

* Kip Irvine: Assembly Language for Intel-Based Computers
$\diamond 4^{\text {th }}$ edition (2003) is now available in the bookstore
$\diamond 5^{\text {th }}$ edition (2007) is coming soon but not available this semester
* Read the textbook!
$\diamond$ Key for learning and obtaining a good grade



## Goals and Required Background

* Goals: broaden student's interest and knowledge in ...
$\diamond$ Basic organization of a computer system
\& Intel IA-32 processor architecture
$\diamond$ How to write assembly language programs
২ How high-level languages translate into assembly language
$\diamond$ Interaction between the assembly language programs, libraries, the operating system, and the hardware

২ How interrupts, system calls, and handlers work
২ How to debug a program at the machine level

* Required Background
$\diamond$ The student should already be able to program confidently in at least one high-level programming language, such as Java or C.


## Grading Policy

* Laboratory 20\%
* Assignments and Quizzes 25\%
* Midterm Exam I 15\%
* Midterm Exam II 20\%
* Final Exam 20\%


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## Some Important Questions to Ask

* What is Assembly Language?
* Why Learn Assembly Language?
* What is Machine Language?
* How is Assembly related to Machine Language?
* What is an Assembler?
* How is Assembly related to High-Level Language?
* Is Assembly Language portable?


## A Hierarchy of Languages



## Assembly and Machine Language

* Machine language
$\triangleleft$ Native to a processor: executed directly by hardware
$\diamond$ Instructions consist of binary code: 1s and 0s
* Assembly language
$\diamond$ Slightly higher-level language
$\diamond$ Readability of instructions is better than machine language
$\triangleleft$ One-to-one correspondence with machine language instructions
* Assemblers translate assembly to machine code
* Compilers translate high-level programs to machine code
$\diamond$ Either directly, or
$\diamond$ Indirectly via an assembler


## Compiler and Assembler



## Translating Languages

English: D is assigned the sum of A times B plus 10 .

High-Level Language: D = A * B + 10
A statement in a high-level language is translated typically into several machine-level instructions

| Intel Assembly Language: |  | Intel Machine Language: |
| :---: | :---: | :---: |
| mov eax, A |  | A1 00404000 |
| mul B | $\dagger$ | F7 2500404004 |
| add eax, 10 |  | 83 CO OA |
| mov D, eax |  | A3 00404008 |

## Advantages of High-Level Languages

* Program development is faster
$\triangleleft$ High-level statements: fewer instructions to code
* Program maintenance is easier
$\diamond$ For the same above reasons
* Programs are portable
$\checkmark$ Contain few machine-dependent details
- Can be used with little or no modifications on different machines
$\triangleleft$ Compiler translates to the target machine language
$\triangleleft$ However, Assembly language programs are not portable


## Why Learn Assembly Language?

* Two main reasons:
$\diamond$ Accessibility to system hardware
$\diamond$ Space and time efficiency
Accessibility to system hardware
$\triangleleft$ Assembly Language is useful for implementing system software
২ Also useful for small embedded system applications
* Space and Time efficiency
$\triangleleft$ Understanding sources of program inefficiency
$\diamond$ Tuning program performance
$\triangleleft$ Writing compact code


## Assembly vs High-Level Languages

*Some representative types of applications:

| Type of Application | High-Level Languages | Assembly Language |
| :--- | :--- | :--- |
| Business application soft- <br> ware, written for single <br> platform, medium to large <br> sizc. | Formal structures make it easy to <br> organize and maintain large sec- <br> tions of code. | Minimal formal structure, so one <br> must be imposed by program- <br> mers who have varying levels of <br> experience. This <br> ties maintaining existing coder. |
| Hardware device driver. | Language may not provide for <br> direct hardware access. Even if it <br> docs, awkward coding techniques <br> must often be used, resulting in <br> maintenance difficulties. | Hardware access is straightfor- <br> ward and simple. Easy to main- <br> tain when programs are short and <br> well documented. |
| Businessapplication written <br> for multiple platforms (dif- <br> ferent operating systems). | Usually very portable. The source <br> code can be recompiled on cach <br> target operating system with mini- <br> mal changes. | Must be recoded separately for <br> each platform, often using an <br> assembler with a different syn- <br> tax. Difficult to maintain. |
| Embedded systems and <br> computer games requiring <br> direct hardware access. | Produces too much exccutable <br> code, and may not run efficiently. | Ideal. because the exccutable <br> code is small and runs quickly. |

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## Assembler

* Software tools are needed for editing, assembling, linking, and debugging assembly language programs
* An assembler is a program that converts source-code programs written in assembly language into object files in machine language
* Popular assemblers have emerged over the years for the Intel family of processors. These include ..
$\diamond$ TASM (Turbo Assembler from Borland)
$\diamond$ NASM (Netwide Assembler for both Windows and Linux), and
$\diamond$ GNU assembler distributed by the free software foundation
* You will use MASM (Macro Assembler from Microsoft)


## Linker and Link Libraries

* You need a linker program to produce executable files
* It combines your program's object file created by the assembler with other object files and link libraries, and produces a single executable program
* LINK32.EXE is the linker program provided with the MASM distribution for linking 32-bit programs
* We will also use a link library for input and output
* Called Irvine32.lib developed by Kip Irvine
$\diamond$ Works in Win32 console mode under MS-Windows


## Debugger

* Allows you to trace the execution of a program
* Allows you to view code, memory, registers, etc.
* You will use the 32-bit Windows debugger



## Editor

* Allows you to create assembly language source files
* Some editors provide syntax highlighting features and can be customized as a programming environment



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## Programmer's View of a Computer System



## Programmer's View - 2

## Application Programs (Level 5)

$\diamond$ Written in high-level programming languages
$\diamond$ Such as Java, C++, Pascal, Visual Basic . . .
$\diamond$ Programs compile into assembly language level (Level 4)

* Assembly Language (Level 4)
$\diamond$ Instruction mnemonics are used
$\checkmark$ Have one-to-one correspondence to machine language
$\diamond$ Calls functions written at the operating system level (Level 3)
$\diamond$ Programs are translated into machine language (Level 2)
* Operating System (Level 3)
$\diamond$ Provides services to level 4 and 5 programs
$\diamond$ Translated to run at the machine instruction level (Level 2)


## Programmer's View - 3

Instruction Set Architecture (Level 2)
$\triangleleft$ Specifies how a processor functions
$\diamond$ Machine instructions, registers, and memory are exposed
$\diamond$ Machine language is executed by Level 1 (microarchitecture)

* Microarchitecture (Level 1)
$\triangleleft$ Controls the execution of machine instructions (Level 2)
$\triangleleft$ Implemented by digital logic (Level 0)
* Digital Logic (Level 0)
\& Implements the microarchitecture
$\diamond$ Uses digital logic gates
$\diamond$ Logic gates are implemented using transistors


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## Data Representation

* Binary Numbers
* Hexadecimal Numbers
* Base Conversions
* Integer Storage Sizes
* Binary and Hexadecimal Addition
* Signed Integers and 2's Complement Notation
* Binary and Hexadecimal subtraction
* Carry and Overflow
* Character Storage


## Binary Numbers

$\star$ Digits are 1 and 0
$\triangleleft 1=$ true
४ $0=$ false

* MSB - most significant bit
* LSB - least significant bit
* Bit numbering:

| MSB | LSB |
| :--- | ---: |
| 1011001010011100 |  |
| 15 | 0 |

## Binary Numbers

* Each digit (bit) is either 1 or 0
* Each bit represents a power of 2 :

| 1 | 1 | 1 | 1 | 1 | 1 | 1 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $2^{7}$ | $2^{6}$ | $2^{5}$ | $2^{4}$ | $2^{3}$ | $2^{2}$ | $2^{1}$ | $2^{0}$ |

Table 1-3 Binary Bit Position Values.
Every binary number is a sum of powers of 2

| $2^{\text {n }}$ | Decimal Value | $2^{\text {n }}$ | Decimal Value |
| :---: | :---: | :---: | :---: |
| $2^{0}$ | 1 | $2^{8}$ | 256 |
| $2^{1}$ | 2 | $2^{9}$ | 512 |
| $2^{2}$ | 4 | $2^{10}$ | 1024 |
| $2^{3}$ | 8 | $2^{11}$ | 2048 |
| $2^{4}$ | 16 | $2^{12}$ | 4096 |
| $2^{5}$ | 32 | $2^{13}$ | 8192 |
| $2^{6}$ | 64 | $2^{14}$ | 16384 |
| $2^{7}$ | 128 | $2^{15}$ | 32768 |

## Converting Binary to Decimal

Weighted positional notation shows how to calculate the decimal value of each binary bit:

Decimal $=\left(d_{n-1} \times 2^{n-1}\right)+\left(d_{n-2} \times 2^{n-2}\right)+\ldots+\left(d_{1} \times 2^{1}\right)+\left(d_{0} \times 2^{0}\right)$ $d=$ binary digit
binary $00001001=$ decimal 9 :

$$
\left(1 \times 2^{3}\right)+\left(1 \times 2^{0}\right)=9
$$

## Convert Unsigned Decimal to Binary

* Repeatedly divide the decimal integer by 2 . Each remainder is a binary digit in the translated value:

| Division | Quotient | Remainder |  |
| :---: | :---: | :---: | :---: |
| $37 / 2$ | 18 | 1 |  |
| $18 / 2$ | 9 | 0 |  |
| $9 / 2$ | 4 | 1 |  |
| $4 / 2$ | 2 | 0 |  |
| $2 / 2$ | 1 | 0 |  |
| $1 / 2$ |  |  |  |
|  |  |  |  |
| $37=100101$ |  |  |  |

## Hexadecimal Integers

Binary values are represented in hexadecimal.

Table 1-5 Binary, Decimal, and Hexadecimal Equivalents.

| Binary | Decimal | Hexadecimal | Binary | Decimal | Hexadecimal |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0000 | 0 | 0 | 1000 | 8 | 8 |
| 0001 | 1 | 1 | 1001 | 9 | 9 |
| 0010 | 2 | 2 | 1010 | 10 | $A$ |
| 0011 | 3 | 3 | 1011 | 11 | $B$ |
| 0100 | 4 | 4 | 1100 | 12 | $C$ |
| 0101 | 5 | 5 | 1101 | 13 | $D$ |
| 0110 | 6 | 6 | 1110 | 14 | $E$ |
| 0111 | 7 | 7 | 1111 | 15 | $F$ |

## Converting Binary to Hexadecimal

- Each hexadecimal digit corresponds to 4 binary bits.
- Example: Translate the binary integer 000101101010011110010100 to hexadecimal:

| 1 | 6 | A | 7 | 9 | 4 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0001 | 0110 | 1010 | 0111 | 1001 | 0100 |

## Converting Hexadecimal to Decimal

* Multiply each digit by its corresponding power of 16:

Decimal $=\left(d_{3} \times 16^{3}\right)+\left(d_{2} \times 16^{2}\right)+\left(d_{1} \times 16^{1}\right)+\left(d_{0} \times 16^{0}\right)$
$d=$ hexadecimal digit

* Examples:
$\diamond \operatorname{Hex} 1234=\left(1 \times 16^{3}\right)+\left(2 \times 16^{2}\right)+\left(3 \times 16^{1}\right)+\left(4 \times 16^{0}\right)=$ Decimal 4,660

Hex 3BA4 $=\left(3 \times 16^{3}\right)+\left(11^{*} 16^{2}\right)+\left(10 \times 16^{1}\right)+\left(4 \times 16^{0}\right)=$ Decimal 15,268

## Converting Decimal to Hexadecimal

* Repeatedly divide the decimal integer by 16 . Each remainder is a hex digit in the translated value:

| Division | Quotient | Remainder |
| :---: | :---: | :---: |
| $422 / 16$ | 26 | 6 |
| $26 / 16$ | 1 | A |
| $1 / 16$ | 0 | 1 |

Decimal $422=1$ A 6 hexadecimal

## Integer Storage Sizes



Table 1-4 Ranges of Unsigned Integers.

| Storage Type | Range (low-high) | Powers of 2 |
| :--- | :--- | :--- |
| Unsigned byte | 0 to 255 | 0 to $\left(2^{8}-1\right)$ |
| Unsigned word | 0 to 65,535 | 0 to $\left(2^{16}-1\right)$ |
| Unsigned doubleword | 0 to $4,294,967,295$ | 0 to $\left(2^{32}-1\right)$ |
| Unsigned quadword | 0 to $18,446,744,073,709,551,615$ | 0 to $\left(2^{64}-1\right)$ |

What is the largest unsigned integer that may be stored in 20 bits?

## Binary Addition

Start with the least significant bit (rightmost bit)
Add each pair of bits
Include the carry in the addition, if present


## Hexadecimal Addition

* Divide the sum of two digits by the number base (16). The quotient becomes the carry value, and the remainder is the sum digit.


Important skill: Programmers frequently add and subtract the addresses of variables and instructions.

## Signed Integers

Several ways to represent a signed number
$\triangleleft$ Sign-Magnitude
$\checkmark$ Biased
$\diamond 1$ 's complement
$\triangleleft$ 2's complement

* Divide the range of values into 2 equal parts
$\triangleleft$ First part corresponds to the positive numbers ( $\geq 0$ )
$\diamond$ Second part correspond to the negative numbers (<0)
* Focus will be on the 2's complement representation
$\diamond$ Has many advantages over other representations
$\diamond$ Used widely in processors to represent signed integers


## Two's Complement Representation

* Positive numbers
$\diamond$ Signed value = Unsigned value
* Negative numbers
$\triangleleft$ Signed value $=$ Unsigned value $-2^{n}$
$\diamond n=$ number of bits
* Negative weight for MSB
$\diamond$ Another way to obtain the signed value is to assign a negative weight to most-significant bit

| 1 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| -128 | 64 | 32 | 16 | 8 | 4 | 2 | 1 |
| $-\mathbf{- 1 2 8}+32+16+4=-76$ |  |  |  |  |  |  |  |


| $8-$ bit Binary <br> value | Unsigned <br> value | Signed <br> value |
| :---: | :---: | :---: |
| 00000000 | 0 | 0 |
| 00000001 | 1 | +1 |
| 00000010 | 2 | +2 |
| $\ldots$ | $\ldots$ | $\ldots$ |
| 01111110 | 126 | +126 |
| 01111111 | 127 | +127 |
| 10000000 | 128 | -128 |
| 10000001 | 129 | -127 |
| $\ldots$ | $\ldots$ | $\ldots$ |
| 11111110 | 254 | -2 |
| 11111111 | 255 | -1 |

## Forming the Two's Complement

| starting value | $00100100=+36$ |
| :--- | :--- |
| step1: reverse the bits (1's complement) | $\mathbf{1 1 0 1 1 0 1 1}$ |
| step 2: add 1 to the value from step 1 | $+\quad 1$ |
| sum = 2's complement representation | $\mathbf{1 1 0 1 1 1 0 0}=\mathbf{- 3 6}$ |

Sum of an integer and its 2's complement must be zero:
$00100100+11011100=00000000$ (8-bit sum) $\Rightarrow$ Ignore Carry
The easiest way to obtain the 2's complement of a binary number is by starting at the LSB, leaving all the 0 s unchanged, look for the first occurrence of a 1. Leave this 1 unchanged and complement all the bits after it.

## Sign Bit

Highest bit indicates the sign. $1=$ negative, $0=$ positive


If highest digit of a hexadecimal is $>7$, the value is negative Examples: 8 A and C 5 are negative bytes

A21F and 9D03 are negative words
B1C42A00 is a negative double-word

## Sign Extension

Step 1: Move the number into the lower-significant bits
Step 2: Fill all the remaining higher bits with the sign bit

* This will ensure that both magnitude and sign are correct


## * Examples

$\triangleleft$ Sign-Extend 10110011 to 16 bits
$10110011=-77 \quad 11111111$ 10110011 $=-77$
$\diamond$ Sign-Extend 01100010 to 16 bits
$01100010=+98 \Rightarrow 0000000001100010=+98$
Infinite 0s can be added to the left of a positive number
Infinite 1s can be added to the left of a negative number

## Two's Complement of a Hexadecimal

* To form the two's complement of a hexadecimal
$\diamond$ Subtract each hexadecimal digit from 15
» Add 1
* Examples:

2's complement of 6A3D $=95 \mathrm{C} 2+1=95 \mathrm{C} 3$
2 's complement of 92F0 $=6 \mathrm{D} 0 \mathrm{~F}+1=6 \mathrm{D} 10$
2 's complement of FFFF $=0000+1=0001$

* No need to convert hexadecimal to binary


## Binary Subtraction

* When subtracting A - B, convert B to its 2's complement
* Add A to (-B)

* Carry is ignored, because
$\diamond$ Negative number is sign-extended with 1's
$\diamond$ You can imagine infinite 1's to the left of a negative number
$\diamond$ Adding the carry to the extended 1's produces extended zeros
Practice: Subtract 00100101 from 01101001.


## Hexadecimal Subtraction

- When a borrow is required from the digit to the left, add 16 (decimal) to the current digit's value


Last Carry is ignored

Practice: The address of var1 is 00400B20. The address of the next variable after var1 is 0040A06C. How many bytes are used by var1?

## Ranges of Signed Integers

The unsigned range is divided into two signed ranges for positive and negative numbers

| Storage Type | Range (low-high) | Powers of 2 |
| :--- | :--- | :--- |
| Signed byte | -128 to +127 | $-2^{7}$ to $\left(2^{7}-1\right)$ |
| Signed word | $-32,768$ to $+32,767$ | $-2^{15}$ to $\left(2^{15}-1\right)$ |
| Signed doubleword | $-2,147,483,648$ to $2,147,483,647$ | $-2^{31}$ to $\left(2^{31}-1\right)$ |
| Signed quadword | $-9,223,372,036,854,775,808$ <br>  | $-2^{63}$ to $\left(2^{63}-1\right)$ |

Practice: What is the range of signed values that may be stored in 20 bits?

## Carry and Overflow

* Carry is important when ...
$\diamond$ Adding or subtracting unsigned integers
$\checkmark$ Indicates that the unsigned sum is out of range
$\triangleleft$ Either < 0 or >maximum unsigned $n$-bit value
* Overflow is important when ...
$\diamond$ Adding or subtracting signed integers
$\diamond$ Indicates that the signed sum is out of range
* Overflow occurs when
$\triangleleft$ Adding two positive numbers and the sum is negative
$\diamond$ Adding two negative numbers and the sum is positive
$\diamond$ Can happen because of the fixed number of sum bits


## Carry and Overflow Examples

* We can have carry without overflow and vice-versa
* Four cases are possible



## Character Storage

## * Character sets

$\diamond$ Standard ASCII: 7-bit character codes (0-127)
$\triangleleft$ Extended ASCII: 8-bit character codes ( $0-255$ )
$\triangleleft$ Unicode: 16-bit character codes (0-65,535)
২ Unicode standard represents a universal character set

- Defines codes for characters used in all major languages
- Used in Windows-XP: each character is encoded as 16 bits
$\diamond$ UTF-8: variable-length encoding used in HTML
- Encodes all Unicode characters
- Uses 1 byte for ASCII, but multiple bytes for other characters
* Null-terminated String
$\triangleleft$ Array of characters followed by a NULL character


## Printable ASCII Codes

|  | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | A | B | C | D | E | F |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | space | ! | " | \# | \$ | \% | \& |  | ( | ) | * | + | , | - |  | / |
| 3 | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | : | ; | < | = | $>$ | ? |
| 4 | @ | A | B | C | D | E | F | G | H | I | J | K | L | M | N | 0 |
| 5 | P | Q | R | S | T | U | V | W | X | Y | Z | [ | \} | ] | $\wedge$ |  |
| 6 |  | a | b | C | d | e | $f$ | g | h | i | j | k | 1 | m | n | 0 |
| 7 | p | q | $r$ | S | t | u | $v$ | W | X | y | z | \{ | \| | \} | $\sim$ | DEL |

* Examples:
$\triangleleft$ ASCII code for space character $=20$ (hex) $=32$ (decimal)
\& ASCII code for 'L' = 4C (hex) = 76 (decimal)
४ ASCII code for 'a' = 61 (hex) = 97 (decimal)


## Control Characters

* The first 32 characters of ASCII table are used for control
* Control character codes = 00 to 1F (hex)
$\triangleleft$ Not shown in previous slide
$\nLeftarrow$ Examples of Control Characters
$\triangleleft$ Character 0 is the NULL character $\Rightarrow$ used to terminate a string
$\triangleleft$ Character 9 is the Horizontal Tab (HT) character
$\triangleleft$ Character OA (hex) $=10$ (decimal) is the Line Feed (LF)
$\diamond$ Character OD (hex) = 13 (decimal) is the Carriage Return (CR)
$\triangleleft$ The LF and CR characters are used together
- They advance the cursor to the beginning of next line
* One control character appears at end of ASCII table
$\diamond$ Character 7F (hex) is the Delete (DEL) character


## Terminology for Data Representation

## * Binary Integer

$\diamond$ Integer stored in memory in its binary format
$\diamond$ Ready to be used in binary calculations

* ASCII Digit String
$\triangleleft$ A string of ASCII digits, such as "123"
* ASCII binary
$\triangleleft$ String of binary digits: "01010101"
* ASCII decimal
$\triangleleft$ String of decimal digits: "6517"
* ASCII hexadecimal
$\triangleleft$ String of hexadecimal digits: "9C7B"


## Summary

* Assembly language helps you learn how software is constructed at the lowest levels
* Assembly language has a one-to-one relationship with machine language
* An assembler is a program that converts assembly language programs into machine language
* A linker combines individual files created by an assembler into a single executable file
* A debugger provides a way for a programmer to trace the execution of a program and examine the contents of memory and registers
* A computer system can be viewed as consisting of layers. Programs at one layer are translated or interpreted by the next lower-level layer
* Binary and Hexadecimal numbers are essential for programmers working at the machine level.

