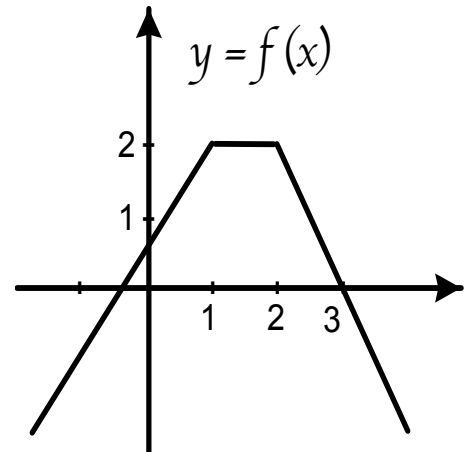
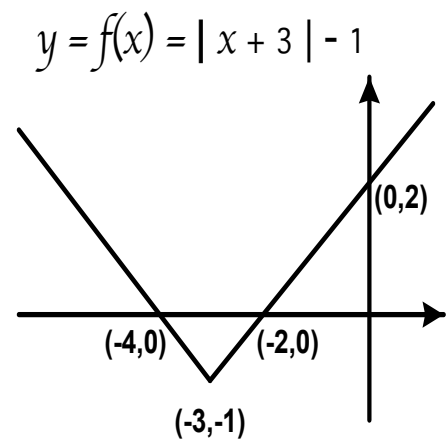


- Q1)** (a) Domain =  $(-\infty, \infty)$  (b) Range =  $(-\infty, 2]$   
 (c)  $f$  is increasing on  $(-\infty, 1]$ , decreasing on  $[2, \infty)$  and constant on  $[1, 2]$   
 (d) the adjacent graph represents a function, because every vertical line intersects the graph at only one point.



- Q2)** (a)  $f(x) = |x+3|-1 \implies f(-1) = |-1+3|-1 = 2-1 = 1$   
 (b) Domain =  $(-\infty, \infty)$ , range =  $[-1, \infty)$   
 (c) If  $y = 0$ , then  $|x+3| = 1 \implies x+3 = \pm 1 \implies x = -4, -2 = x$ -intercepts. If  $x = 0$ , then  $y = 3 - 1 = 2 = y$ -intercept.  
 (d)  $f$  is increasing on  $[-3, \infty)$ , decreasing on  $(-\infty, -3]$



- Q3)** (a) The set  $\{(1, \sqrt{2}), (2, \sqrt{2}), (3, \sqrt{2}), (3, -\sqrt{2}), (5, \sqrt{2})\}$  is a relation, but not function, because when  $x = 3, y = \pm\sqrt{2}$   
 (b) The set  $\{(-\sqrt{2}, 5), (-\sqrt{2}, 4), (-\sqrt{2}, 3), (-\sqrt{2}, 2)\}$  is also a relation, but not function, because when  $x = -\sqrt{2}, y$  has four values.  
 (c)  $y = \sqrt{3-x}$  represents a function, because for each  $x = a \in$  the domain, there is only one  $y$  value ( $= \sqrt{3-a}$ ) in the range. (notice that  $y^2 = 3-x$  is not function while  $y = \sqrt{3-x}$  is)  
 (d)  $x = |y| + 6$  does not represent a function, for  $x = 7, y = \pm 1$  (while  $y = |x| + 6$  is a function)  
 (e) Surely  $x = -5$  is only a relation but not function, because when  $x = -5, y$  has many many values. (the equation of any h. line  $y = b$  represents a function while a v. line  $x = a$  doesn't)

- Q4)** Find the domain of (a)  $f(x) = -\sqrt{|x|-5}$  (b)  $f(x) = -\sqrt{\frac{7}{5-|x|}}$  (c)  $f(x) = -\sqrt{\frac{7}{5+|x|}}$

(a)  $|x| - 5 \geq 0 \implies |x| \geq 5 \implies x \leq -5$  or  $x \geq 5 \implies$  domain =  $(-\infty, -5] \cup [5, \infty)$

(b)  $5 - |x| > 0 \implies |x| < 5 \implies -5 < x < 5 \implies$  domain =  $(-5, 5)$

(c)  $\frac{7}{5+|x|}$  is never negative, also  $5 + |x| \neq 0 \implies$  domain =  $(-\infty, \infty)$