

King Fahd University of Petroleum and Minerals
Mathematical Sciences Department

Instructor: Al-Absi, Bassam

Student's Name:.....

ID:SEC:....

Show All Necessary Steps

(1) The remainder of dividing $f(x) = x^{88} - 2x^5 + 1$ by $x + i$ is:

- a) $2 + 2i$
- b) 0
- c) 2
- d) $2i$
- e) $1 - 2i$

(2) The graph of the polynomial $f(x) = -5x^7 - 3x^4 + 2x - 1$:

- a) goes down to the far left and down to the far right
- b) down to the far left and up to the far right
- c) up to the far left and up to the far right
- d) up to the far left and down to the far right
- e) none of the above

(3) According to the Descartes's Rule, the polynomial $f(x) = 4x^4 - 12x^3 - 3x^2 + 12x - 7$ has:

- a) no positive real zeros
- b) one or three negative real zeros
- c) four positive real zeros
- d) one negative real zero only
- e) three negative real zeros

(4) The largest negative integer number that is a lower bound for the real zeros of the polynomial $f(x) = 4x^4 - 12x^3 - 3x^2 + 12x - 7$ is:

- a) 2
- b) -1
- c) 0
- d) -2
- e) 3

(5) The lowest degree of a polynomial with real coefficients, having zeros 3 of multiplicity 2, -5 , $4 + i$, $7 + i$ and $7 - i$, is:

- a) 5
- b) 6
- c) 7
- d) 8
- e) 9

(6) The polynomial $h(x) = 3x^3 + 7x^2 + 3x + 7$ has at least one real zero in the interval:

- a) $[-3, -2]$
- b) $[-2, -1]$
- c) $[-1, 0]$
- d) $[0, 1]$
- e) $[1, 2]$

(7) The set of all possible rational zeros of the polynomial $p(x) = 2x^4 - 21x^2 - 17x + 5$ is:

a) $\{\pm 1, \pm 2, \pm \frac{1}{5}, \pm \frac{2}{5}\}$

b) $\{\pm 1, \pm 5, \pm \frac{1}{2}, \pm \frac{5}{2}\}$

c) $\{\pm 1, \pm 5\}$

d) $\{\pm 1, \pm 2\}$

e) $\{\pm 1, \pm 2, \pm 5\}$

(8) If $x + 1$ is a factor of the polynomial $9x^4 - 6x^3 - 23x^2 - 4x + k$, then $k =$

a) 14

b) -4

c) -14

d) 5

e) 4

(9) The set of all zeros for the polynomial $x^4 - 14x^3 + 70x^2 - 150x + 125$ contains:

a) 5, 2, -1, $2 + i$ and $2 - i$

b) 5 and $2 + i$

c) 5 of multiplicity 2, $2 + i$ and $2 - i$

d) no real solutions

e) five real solutions