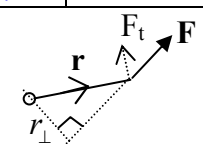


Chapter 11 – Summary

Definitions

$\theta = \frac{s}{r}$	Angular position – θ in rad	$K = \frac{1}{2} I \omega^2$	Rotational Kinetic Energy			
$\Delta\theta = \theta_2 - \theta_1$	Angular displacement	$I = \sum m_i r_i^2$ or $\int r^2 dm$	Rotational Inertia or Moment of Inertia r_i (r) is the perpendicular distance to the axis of rotation			
$\omega_{avg} = \frac{\Delta\theta}{\Delta t}$; $\omega = \frac{d\theta}{dt}$	Angular velocity	Some useful results for I_{com}	object	thin hoop (ring)	disk	sphere
			$\frac{I_{com}}{mR^2}$	1	1/2	2/5
$\alpha_{avg} = \frac{\Delta\omega}{\Delta t}$; $\alpha = \frac{d\omega}{dt}$	Angular acceleration	$\tau = rF \sin\phi = r_{\perp} F = rF_t$				
ω and α are vectors: +ve - counterclockwise -ve - clockwise		$W = \int_{\theta_i}^{\theta_f} \tau d\theta$	Work done by a torque as the object is rotating from θ_1 to θ_2			
$P = \frac{dW}{dt} = \tau\omega$ Power delivered by the torque		$W = \tau\Delta\theta$	For constant torque			

Theorems/Laws/Equations

Kinematic Equation for constant α	Linear \leftrightarrow Angular relationship	Parallel Axis Theorem
$\omega = \omega_o + \alpha t$	$s = \theta r$	$I = I_{com} + Mh^2$
$\theta - \theta_o = \omega_o t + \frac{1}{2} \alpha t^2$	$v = \omega r$	Newton's 2 nd Law for rotational motion
$\omega^2 = \omega_o^2 + 2\alpha(\theta - \theta_o)$	$a_t = \alpha r \dots\dots$ (tangential acceleration)	$\sum \tau_{ext} = I\alpha$
$\theta - \theta_o = \frac{1}{2}(\omega + \omega_o)t$	$a_r = \frac{v^2}{r} = \omega^2 r \dots\dots$ (radial acceleration)	Work-Kinetic Energy theorem for rotational motion
$\theta - \theta_o = \omega t - \frac{1}{2} \alpha t^2$	$T = \frac{2\pi r}{v} = \frac{2\pi}{\omega}$	$\Delta K = K_f - K_i = \frac{1}{2} I(\omega_f^2 - \omega_i^2) = W$