* SOLUTIONS*

King Fahd University of Petroleum & Minerals Department of Mathematical Science

STAT-212-Term051-II -Quiz #4

Name:

ID

Serial:

Question One (5-Points)

Toy city opens four hours daily, the following table represents a sample of children who came during one hour:

Hour	Number of children	e;
1	125	152.5
2	145	152.5
3	160	152-5
4	180	152.5

Using a significance level of 0.05 is there sufficient evidence to conclude that the distribution of children over the four hours is uniformly distributed?

The hypotheses are:

Ho: The dist. of children over the four hours is uniformly distributed.
$$H_{A}$$
: H_{A} : H

The test statistic value:
$$e_i = \frac{610}{9} = \frac{152.5}{152.5} + \frac{(145 - 152.5)^2}{152.5} + \frac{(160 - 152.5)^2}{152.5} + \frac{(180 - 152.5)^2}{152$$

Decision Rule:
$$\alpha = 1.05 \Rightarrow \chi_{\alpha, \kappa-1}^{1} = \chi_{.05, 3}^{2} = 7.8147$$

Reject Ho if $\chi_{c}^{2} > \chi_{\alpha, \kappa-1}^{2} \Rightarrow 10.6558 > 7.8147$

Reject Ho

Reject Ho

Conclusion: The dist. of the children over the four hours is NOT uniformly distributed.

* SOLUTIONS II & QUIZ-4

Question Two (5-Points)

A study was made about smoking and drinking-Coffee habits, a sample of 200 persons were asked to answer the following two questions:

- 1. About the smoking habit, I considered my self as:
 - a. Heavy smoker (HS) b. Light smoker (LS) c. Nonsmoker (NS)
- 2. About the drinking-Coffee habit, I considered my self as:
 - c. Nondrinker (ND) a. Heavy drinker (HD) b. Light drinker (LD)

The results are summarized in the following table:

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Smoking		Total				
	ND	LD	HD	Total		
NS	40	42	10	92		
	28-52	49.22	14-26			
LS	15	38	10	63		
	19.53	33.705	9.765			
HS	7	27	11	45		
	13.95	24-075	6-975			
Total	62	107	31	200		

Based on these data, can we conclude that the drinking and smoking habits are independent? Use $\alpha = 0.05$

The hypotheses are:
$$H_0$$
: Drinking and Smoking habits are indep. H_A : $\#$ not indep. H_A :

The test statistic value: $\chi_c^2 = \sum_{i=1}^{\infty} \sum_{j=1}^{\infty} \frac{(9ij - 6ij)^2}{6ij} = \frac{(40 - 28.52)^2}{28.52} + \frac{(42 - 49.22)^2}{49.22} + \cdots + \frac{(11 - 6.975)^2}{6.975}$ _ 14.69698 }

Decision Rule:
$$\alpha = .05 = \chi_{\alpha,(w-1)(c-1)}^2 = \chi_{.05}^2, 4 = 9.4877$$

Reject Ho if $\chi_e^2 > \chi_{\alpha,(w-0)(c-1)}^2$

14.69698 > 9.4817 \sim

Reject Ho.

Drinking and Smoking habits are NOT indep. } Conclusion: