

**Math 595: Reading and Research I**  
**Quasi-Projective Modules over Commutative Rings**

Proposed for Semester 082

by  
**Jawad Abuhlail**

**Text-book:**

F. Anderson and K. Fuller, *Rings and categories of modules*. Graduate Texts in Mathematics, Vol. 13. Springer-Verlag, New York-Heidelberg, 1974.

**Further Reading:**

T. Y. Lam, *A first Course in Noncommutative Rings*, 2<sup>nd</sup> edition, Springer Verlag, 2001.

R. Wisbauer, *Foundations of Ring and Module Theory*, Gordon and Breach Science Publishers, Philadelphia, PA, 1991.

**Articles:**

1) D. Alexeev, *Quasi-projectivity over domains*, Bull. Austral. Math. Soc. 60 (1999), 129-135.

2) J. S. Golan, *Characterization of rings using quasiprojective modules*, Israel J. Math. 8 (1970) 34-38.

3) L. E. Wu and J. P. Jans, *On quasi projectives*, Illinois J. Math. 11 (1967) 439-448.

4) S. Singh and A. Mohammad, *Rings in which every finitely generated left ideal is quasi-projective*, J. Indian Math. Soc. 40 (1-4) (1976) 195-205.

**Grading Policy:**

<b>Midterm</b>	30 %
<b>Final</b>	40 %
<b>Presentations</b>	30 %

## Detailed Syllabus

Topic	Details	Week(s)
<b>Section 16</b>	The Hom Functors and Exactness-Projectivity and Injectivity	1-2
<b>Section 17</b>	Projective Modules and Generators	3
<b>Section 18</b>	Injective Modules and Cogenerators	4
<b>Section 19</b>	The Tensor Functors and Flat Modules	5
<b>Section 20</b>	Natural Transformations	6
<b>MIDTEREM</b>		
<b>Section 27</b>	Semiperfect Rings	7
<b>Section 28</b>	Perfect Rings	8
<b>Section 29</b>	Modules with Perfect Endomorphism Rings	9
<b>Article I</b>	L. E. Wu and J. P. Jans, <i>On quasi projectives</i> , Illinois J. Math. 11 (1967) 439-448.	10
<b>Article II</b>	J. S. Golan, <i>Characterization of rings using quasiprojective modules</i> , Israel J. Math. 8 (1970) 34-38.	11-12
<b>Article III</b>	S. Singh and A. Mohammad, <i>Rings in which every finitely generated left ideal is quasi-projective</i> , J. Indian Math. Soc. 40 (1-4) (1976) 195-205.	13-14
<b>Article IV</b>	D. Alexeev, <i>Quasi-projectivity over domains</i> , Bull. Austral. Math. Soc. 60 (1999), 129-135.	15-16
<b>FINAL</b>		