King Fahd University of Petroleum & Minerals

Electrical Engineering Department EE205: Electric Circuits II (031)

Quiz 2

Name: $\not \leftarrow \not \vdash \not$ ID# Sec. 02

A balanced three-phase distribution line has an impedance of 1+j5 Ω /Ø. This line is used to supply two balanced three-phase loads that are connected in parallel. The two loads are L_I = 150 kVA at 0.8 pf lead, and L_2 = 336 kW and 72 kVAR (magnetizing). The magnitude of the line voltage at the terminals of the load is $2800\sqrt{3}$ V.

a) What is the magnitude of the line voltage at the sending end of the line?

$$S_1 = |S| \cos \theta_0 + \frac{1}{2}|S| \sin \theta_0 = 120 - \sqrt{90} \text{ kVA}$$
 $S_2 = 336 + \sqrt{72} \text{ kVA}$
 $S_7 = S_1 + S_2 = 456 - \sqrt{18} \text{ kVA}$
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b) What is the percentage of efficiency of the distribution line with respect to average power?

average power?

$$P_{44}/d = 152 \text{ kW}$$
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 $P_{44}/d = |I^2|R = (54.33)^2(1) = 2951.75 \text{ wath}$
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 $P_{44}/d = |I^2|R = (54.33)^2(1) = 2951.75 \text{ wath}$
 $P_{44}/d = 152 \text{ kW}$
 $P_{44}/d = 15$