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....

*(Granger)*

*(cointegration)*

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[mabenbouziane@yahoo.fr](mailto:mabenbouziane@yahoo.fr) :

*(cointegration)*

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**-1**

*(Cambridge)*

*(Milton Friedman)*

*(Don Patinkin)*

:

**1-1**

*1563*

*(Malestroit)*

*(Malestroit)*

*1968*

*(Bodin)*

*(Plutarque)*

*(Pline)*

(William Petty)

(David Hume)

1752

4/5

(Richard Cantillon, 1755)

:

**2-1**

(Jean B. Say, 1803)

(SAY)

(Ricardo, 1817)

(Jean S.

(Richard Cantillon)

Mill, 1817)

(Jean S. Mill)

(Ricardo)

(Jean B. Say)

:(Fisher)

:

**3-1**

(Irving Fisher, 1911)

$$MV = PT$$

:V , :T , :P , :M

(Fisher) . P

.V T M

: (Cambridge)

4-1

(ALFRED Marshall, 1922)

(Fisher)

(PT)

.(MV)

(Artur Cecil Pigou, 1917)

:R

)

:C

:P

:K

:H (

: (1-C)

)

:

(Pigou)

(

$$P = \frac{k \times R}{M} (C + (1-C) h)$$

:

(Don Patinkin)

5-1

: , M/P :  
 : P . : M  
 :  
 :  

$$\frac{M_1}{P_1} = \frac{M_2}{P_2}$$

$$\frac{M_1}{P_1} = \frac{M_2}{P_2}$$

: **(Milton Friedman)** **6-1**

: **(Friedman)** **1 -6 -1**

(Milton Friedman, 1956)

:  
.  
: \_\_\_\_\_ -  
,  
,  
,  
.Y:  
: \_\_\_\_\_ -

:  
. p -  
.r<sub>b</sub> -  
.r<sub>e</sub> -  
.w -  
(1/p)\*(dp/dt) : -  
u : \_\_\_\_\_ -

$$M=f(p,r_b,r_e,(1/p)*(dp/dt),w,u)$$

:  
: M

7-1

: Δy

· :  $\Delta(y/p)$

· :  $\Delta p$

· :  $\Delta M$

$$\Delta y = \Delta(y/p) + \Delta p \quad :$$

$$\Delta y = \Delta M \quad :$$

$$\Delta M = \Delta(y/p) + \Delta p \quad :$$

$(\Delta M_s)$

:

*(Friedman)*

$$\Delta M_s = \Delta(y/p) + \Delta p$$

$$\Delta p = \Delta M_s - \Delta(y/p) \quad :$$

:

\*

· p

$(y/p)$

*(Anna.J.Schwartz)*

*(Friedman)*

*(cointegration)*

-2

: 1-2

...

? (n ) 1

. *(cointegration)*

*(Granger,1981)*

( )

*(Granger and Engle,1987)*

*(Granger and Weiss,1983)*

. *(Stock and Watson,1988)*

*(Hendry,1986)*

:

2-2



(Yule, 1926)

(white noise  $I(0)$ )  $I(0)$

:(A)

. $I(1)$

:(B)

. $I(2)$

:(C)

(B) (C)

(Yule)

( $R^2$ )

(Granger and Newbold, 1974)

$I(0)$

(Yule)

(DW) (Durbin-Watson)

. DW  $R^2$

(Box and Jenkins, 1970)

Error )

(Sargan, 1964) (Correcting Model, ECM

. ( ) ( )

,  $I(0)$

(ECM)

(Student)

(Granger, 1983)

1983

(ECM)

, (Cointegration)

,1985 .(Granger and Weiss,1983)  
(Granger and Engle,1985)  
(ECM) (ECM)

(Granger,1986) 1986 .

(Dickey and (Fuller,1976)  
(Nelson and (Evans and Savin,1981) Fuller,1979,1981)  
... (Phillips and Peron,1981) (Bhargava,1983) Plosser,1982)

-3

)  
(Taylor M.P and McMahon PC,1988)

6

( - )

(Taylor M.P,1988)

.1985

1973

5

(Taylor)

(Arturo

1979

*Brillembourg and Mohsin S.Khan,1979)*

1975 1870

( )

*.(Sims,1972)*

( )

*(Granger)*

*(Jones, 1989)*

1989

1986– 1950

(CPI) )

(M2 M1)

(WPI)

*.(WPI, CPI)*

(M2 M1)

*(Darrat, 1986)*

1986

*(Sargant,1964)*

.1980 1960

-4

1-4

1995

84

. 2001

:CPI

:M

(Unit

(ADF) (Dickey Fuller)

. roots)

$$CPI_t = a_1 * M_t + a_0 + \varepsilon_t$$

(ADF) (Dickey Fuller)

$$\varepsilon_t = CPI_t - a_1 * M_t - a_0$$

\*\*

, (ADF) (Dickey Fuller)

: (M) \_\_\_\_\_ :

$$\Delta M_t = a * M_{t-1} - \sum_{j=2}^p b_j * \Delta M_{t-j+1} + \varepsilon_t$$

$$\Delta M_t = a * M_{t-1} - \sum_{j=2}^p b_j * \Delta M_{t-j+1} + c + \varepsilon_t$$

$$\Delta M_t = a * M_{t-1} - \sum_{j=2}^p b_j * \Delta M_{t-j+1} + c + d * t + \varepsilon_t$$

: (CPI) \_\_\_\_\_ :

$$\Delta CPI_t = a * CPI_{t-1} - \sum_{j=2}^p b_j * \Delta CPI_{t-j+1} + \varepsilon_t$$

$$\Delta CPI_t = a * CPI_{t-1} - \sum_{j=2}^p b_j * \Delta CPI_{t-j+1} + c + \varepsilon_t$$

$$\Delta CPI_t = a * CPI_{t-1} - \sum_{j=2}^p b_j * \Delta CPI_{t-j+1} + c + d * t + \varepsilon_t$$

. :  $\Delta M$  :  
 . :  $\Delta CPI$   
 . 4 : P

: (ADF) (Dickey Fuller)

$$b_j = 1 : H_0$$

$$|b_j| < 1 : H_1$$

$$b_j = 1 : H_0$$

$$b_j - 1 = 0 : H_0$$

$t_{bj}$

(Student)

$b_j$

$t_{bj}$

(Student)

(ADF)  $t_{bj}$

1

, 10% 5% 1%

2

.10% 5%

. I(1) :

, 10% 5%

CPI

2

.1

,1%

. I(1) :

,1%

1

| 10%   | 5%    | 1%    | ADF   |     |  |
|-------|-------|-------|-------|-----|--|
| -1.61 | -1.94 | -2.51 | 2.32  | M   |  |
|       |       |       | -2.10 | CPI |  |
|       |       |       | 2.21  | M   |  |
|       |       |       | 4.76  | CPI |  |

2

| 10%   | 5%    | 1%    | ADF   |      |  |
|-------|-------|-------|-------|------|--|
| -1.61 | -1.94 | -2.59 | -5.06 | ΔM   |  |
|       |       |       | -8.78 | ΔCPI |  |
|       |       |       | -5.06 | ΔM   |  |
|       |       |       | -3.64 | ΔCPI |  |

:

\*\*

:

:

$$CPI_{t=100} = 100 \cdot 0.85 + 0.25 * M_t + \varepsilon_t$$

(0.043)            (6.33)

R<sup>2</sup>=0.8

:

$$CPI_{t=110} = 110 \cdot 0.94 + 0.002 * M_t + \varepsilon_t$$

(6.76<sup>E</sup>-05)            (32.18)

R<sup>2</sup>=0.9

(ADF)  $t_{bj}$  3  
 , 10% 5% 1%  
 I(0) , I(0)  
 . 10% 5%

3

| 10%   | 5%    | 1%    | ADF   |  |
|-------|-------|-------|-------|--|
| -1.16 | -1.94 | -2.59 | -5.13 |  |
|       |       |       | -2.57 |  |

1% ,  
 10% 5%

**2-4**

.(Granger)

( $\Delta$ CPI)

.( $\Delta$ M )

: (Granger)

$$\Delta CPI_t = \sum_{i=1}^n a_i * \Delta M_{t-i} + \varepsilon_t \dots\dots (1)$$

$$\Delta M_t = \sum_{i=1}^n b_i * \Delta CPI_{t-i} + \varepsilon_t \dots\dots (2)$$

$$\Delta CPI_t = \sum_{i=1}^n c_i * \Delta CPI_{t-i} + \sum_{i=1}^n d_i * \Delta M_{t-i} + \varepsilon_t \dots\dots (3)$$

$$\Delta M_t = \sum_{i=1}^n e_i \Delta M_{t-i} + \sum_{i=1}^n h_i \Delta CPI_{t-i} + \varepsilon_t \dots \dots \dots (4)$$

$$\begin{pmatrix} \Delta M \\ \Delta CPI \end{pmatrix} = \begin{pmatrix} e_1 & h_1 \\ e_2 & h_2 \\ \vdots & \vdots \\ e_n & h_n \end{pmatrix} \begin{pmatrix} \Delta M \\ \Delta CPI \end{pmatrix} + \varepsilon_t$$

(2) (3) (restricted) (1) (4) (restricted)

$$d_i = 0 : H_0$$

$$h_i = 0 : H_0$$

$\Delta M$   $\Delta CPI$

$$F = \frac{(RSS_R - RSS_U) / d}{RSS_U / (N - K)}$$

:  $RSS_R$

:  $RSS_U$

:  $K$

:  $d$

:  $N$

: (Fisher)  $F$

: (Fisher)  $F$

: (Fisher)

1.59 : 1%



1.81 : 5%

2.30 : 10%

(Fisher)

F , 4

. 1% ,5% ,10%

4

|                    |              |              |
|--------------------|--------------|--------------|
| <b>F</b>           |              |              |
| 0.00035<br>0.00064 | $\Delta$ CPI | $\Delta$ M   |
|                    | $\Delta$ M   | $\Delta$ CPI |
| 0.019<br>0.783     | $\Delta$ CPI | $\Delta$ M   |
|                    | $\Delta$ M   | $\Delta$ CPI |

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- Box, G.E.P. and Jenkins, G.M. (1970), *'Time series analysis : forecasting and control'*, San Fransisco, :Holden day.
- Brillembourg, A. and Mohsin S Khan (1979), 'The Relationship between Money, Income, and Prices: Has Money Mattered Historically? A Note', *Journal of Money, Credit and Banking*, vol. 11, issue 3, pages 358-65.
- Cantillon, Richard, (1952), *'Essai sur la nature du commerce en général' Texte de l'édition originale de 1755.* [Paris]: Institut National d'Études Démographiques.
- Darrat. A. F. (1986), 'The Demand of Money in Some Major OPEC Members: Regression Estimates and Stability Results.', *Applied Economics* 18, February 1986, pp. 127-142.
- Davidson, J. E. H., Hendry, D., Srba, F., And Yeo, S., (1978), 'Econometric Modeling of the Aggregate Time series Relationship between consumer's Expenditure and Income in the United Kingdom', *Economic Journal*, 88, 661-692.
- Dickey, D. A. and Fuller, W. A. (1981), 'Likelihood ratio statistics for autoregressive time series with a unit root', *Econometrica*, 49, 1057-72.
- Dickey, D. and Fuller, W.A. (1979). 'Distribution of the estimators for autoregressive time series with a unit root', *Journal of American Statistical Association*. Vol. 74, 427-431.
- Drobny A. and S. Hall (1987), 'An investigation of the long-run properties of aggregate non-durable consumers expenditure in the United Kingdom', *Mimeo*.
- Engle, R. F. and Granger, C. W. J. (1987). 'Cointegration and error correction representation : estimation and testing', *Econometrica*, 55(2), p. 250-276.
- Evans, G.B.A. and N.E. Savin (1984), 'Testing for Unit Roots: 1,' *Econometrica*, 49.
- Friedman, Milton, (1953), 'The Case for Flexible Exchange rates', in *Essays in Positive Economics*, University of Chicago, 157-203.
- Fuller, W.A. (1976/1996) *Introduction to Statistical Time Series*. New York: Wiley.
- Granger W.J. and Engle R. (1985), 'Two-step modelling for short term forecasting,' with R. Ramanathan and R. Engle. *'Comparative Models for Electrical Load Forecasting'*, edited by D.W. Bunn and E.D. Farmer, Wiley and Sons.
- Granger W.J. and P. Newbold, (1974), 'Experience with statistical forecasting and with combining forecasts', with P. Newbold, *Journal of the Royal Statistical Society*.
- Granger W.J. and Weiss A., (1983), 'Time series analysis of error-correction models', with A. Weiss, *'Studies in Econometrics, Time Series and Multivariate Statistics'*, in honor of T.W. Anderson. Edited by S. Karlin, T. Amemiya, and L.A. Goodman, Academic Press.
- Granger W.J., (1981), 'Some properties of time series data and their use in econometric model specification', *Journal of Econometrics*, supplement, *Annals of Econometrics*, edited by G.S. Maddala, 16 1981, 121-130.

Granger W.J., (1983), 'Forecasting white noise', in *Applied Time Series Analysis of Economic Data*, Proceedings of the Conference on Applied Time Series Analysis of Economic Data (October 1981), edited by A. Zellner, U.S. Government Printing Office.

Granger W.J., (1986), 'Developments in the study of co-integrated economic variables,' *Oxford Bulletin of Economics and Statistics*, 48, 213-228. Special issue on economic modelling with co-integrated variables.

Hendry , D. F. and Mison, G. E. (1978). 'Serial Correlation as a convenient simplification not as a nuisance: a comment on a study of the demand for money by the Bank of England'. *Economic Journal*, Vol. 88m 549-63.

Hendry, David .F (1986), 'econometric modeling with cointegrated variables : An overview', *oxford bulletin of economics and statistics*, 48,3, 1986, 219-214.

Jones, Jonathan D (1989), 'A Comparison of Lag-Length Selection Techniques in Tests of Granger Causality between Money Growth and Inflation: Evidence for the U.S., 1959-86', *Journal of Applied Economics*, Volume 21, issue 12, 1989 pp. 809-22

Keynes, J. M. (1923), 'A Tract on Monetary Reform', 1st ed. 1923; vol IV in *The Collected Writings of J. M. Keynes*. MacMillan, London, 1971.

Leon, H. (1987), 'demand for money, existence and cointegrability', in *Economics Letters*, 22, 268-272.

Mac Donald R. and Taylor M (1988), 'Metal Prices, Efficiency and Cointegration: Some evidence From the London Metal Exchange', in *Bulletin of Economic Research* 40:3, 235-239.

Nelson, C.R. and C.I. Plosser (1982), 'Trends and Random Walks in Macroeconomic Time series: Some Evidence and Implications,' *Journal of Monetary Economics*, V(10).

Phillips, P. C. B. (1987), 'Time series regression with a unit root,' *Econometrica*, 55.

Phillips, P. C. B. et P. Perron (1988), 'Testing for a Unit Root in Time Series Regression,' *Biometrika*, 75, p. 335–346.

Phillips, P.C.B., McMahan, S. and Mcfarland, J.W., (1996), 'Robust tests of Forward Exchange market Efficiency with empirical evidence from 1920s', *Journal of Applied Econometrics*, VOL. 11, 1-22.

Pigou, A. C. (1920), 'Some Problems in Foreign Exchanges', *Economic Journal*,30, 460-472.

Sargan, J. D. and Bhargava, A. (1984), ' Testing Residuals from Least Squares regression for being generated by the Guassian Random Walk', *Econometrica*, Vol. 51, 153-174.

Sargan, J. D.(1964). 'Wages and Prices in the United Kingdom: A study in Econometric Methodology', in Hart et al. (eds), *Econometric Analysis for National Economic Planning*, Butterworths, London.

Say, Jean Baptiste, (1803), 'Le traité d'économie politique' in: [http://www.uqac.quebec.ca/zone30/Classiques\\_des\\_sciences\\_sociales/classiques/say\\_jean\\_baptiste/traite\\_eco\\_pol/traite\\_eco\\_pol.html](http://www.uqac.quebec.ca/zone30/Classiques_des_sciences_sociales/classiques/say_jean_baptiste/traite_eco_pol/traite_eco_pol.html)

Schwert, G.W. (1989) 'Tests for Unit Roots: A Monte Carlo Investigation,' *Journal of business and Economic Statistics*, 7:14-59.

Sims, C. A. (1972). 'Money, income and causality'. *American Economic Review*, 62, 540-552.

Stock, J.H. (1984), 'Asymptotic Properties of a Least Squares estimator of Cointegrating Vectors', *Mimeo*, Harvard University.

Taylor, M.P, (1988), 'An empirical investigation of long-run purchasing power parity using cointegration techniques', *Applied economics*, 20, 1969-81.

Taylor, M.P. and PC McMahon, (1988), 'Long-run purchasing power parity in the 1920s,' *European Economic Review*, vol.32 (1) January: 179-97.

Yule, G.U.(1926), 'Why do we Sometimes get Nonsense-correlations between Time-Series? A Study in Sampling and the Nature of Time-Series', *Journal of the Royal Statistical Society*, Vol. 89, 1-64.