

Fourier Analysis - 2

The a_n amplitudes can be computed for any given g(t) by multiplying both sides of Eq. (2-1) by $\sin(2\pi kft)$ and then integrating from 0 to T. Since

 $\int_{0}^{T} \sin(2\pi k ft) \sin(2\pi n ft) dt = \begin{cases} 0 \text{ for } k \neq n \\ T/2 \text{ for } k = n \end{cases}$

only one term of the summation survives: a_n . The b_n summation vanishes completely. Similarly, by multiplying Eq. (2-1) by $\cos(2\pi kft)$ and integrating between 0 and T, we can derive b_n . By just integrating both sides of the equation as it stands, we can find c. The results of performing these operations are as follows:

$$a_n = \frac{2}{T} \int_0^T g(t) \sin(2\pi n f t) dt \qquad b_n = \frac{2}{T} \int_0^T g(t) \cos(2\pi n f t) dt \qquad c = \frac{2}{T} \int_0^T g(t) dt$$

Fourier Analysis - 3

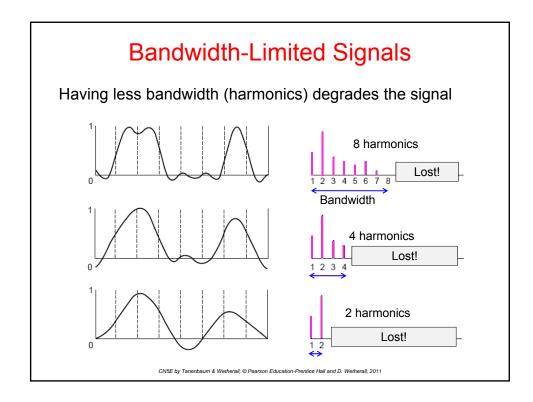
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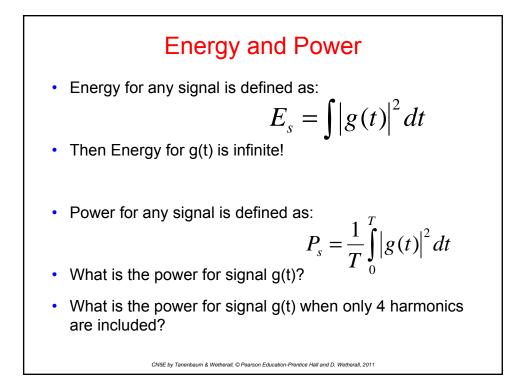
voltage output by the transmitting computer. The Fourier analysis of this signal yields the coefficients:

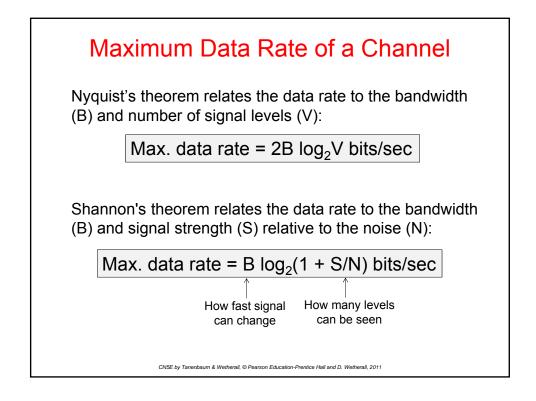
$$a_n = \frac{1}{\pi n} \left[\cos(\pi n/4) - \cos(3\pi n/4) + \cos(6\pi n/4) - \cos(7\pi n/4) \right]$$
$$b_n = \frac{1}{\pi n} \left[\sin(3\pi n/4) - \sin(\pi n/4) + \sin(7\pi n/4) - \sin(6\pi n/4) \right]$$

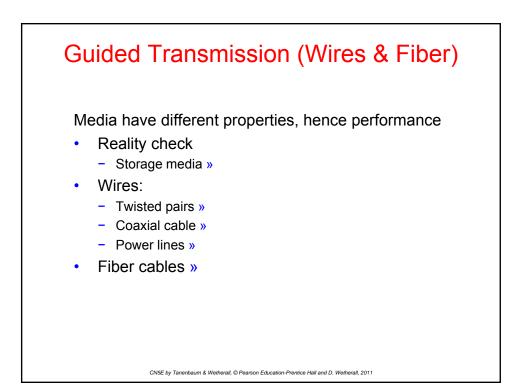
$$c = 3/4$$

The root-mean-square amplitudes, $\sqrt{a_n^2 + b_n^2}$, for the first few terms are shown on the right-hand side of Fig. 2-1(a). These values are of interest because their squares are proportional to the energy transmitted at the corresponding frequency.

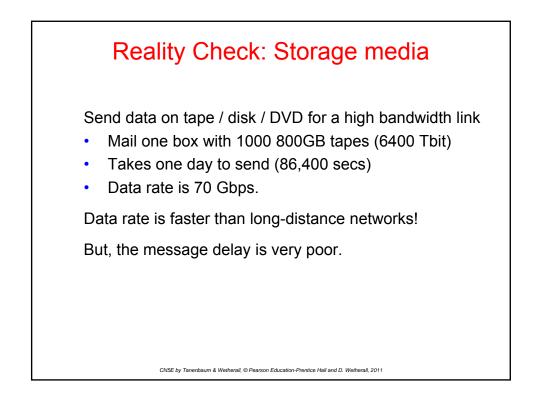


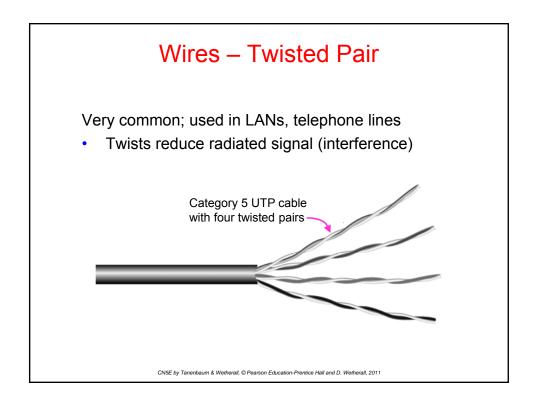


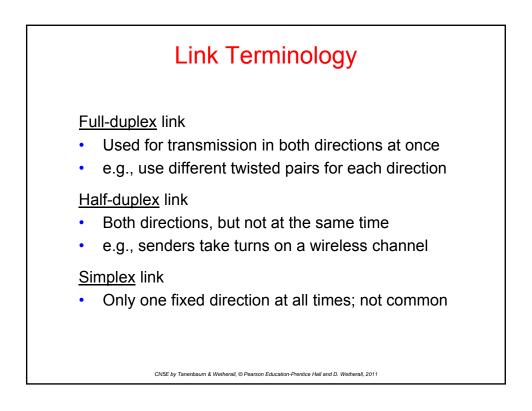


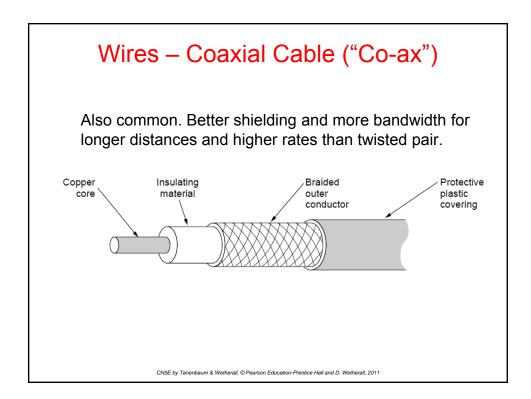


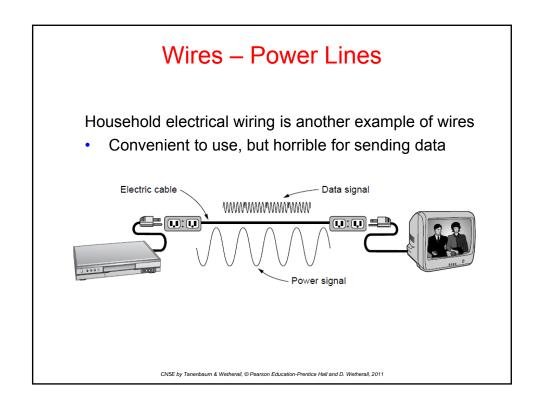
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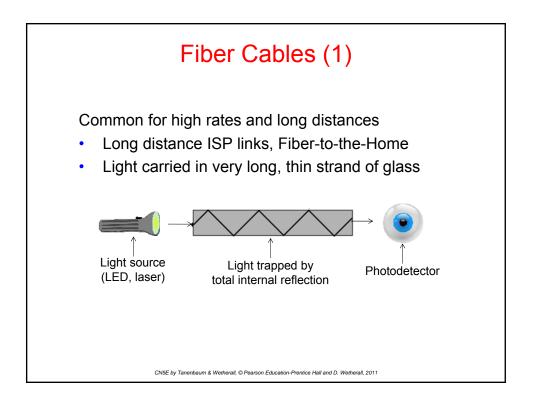


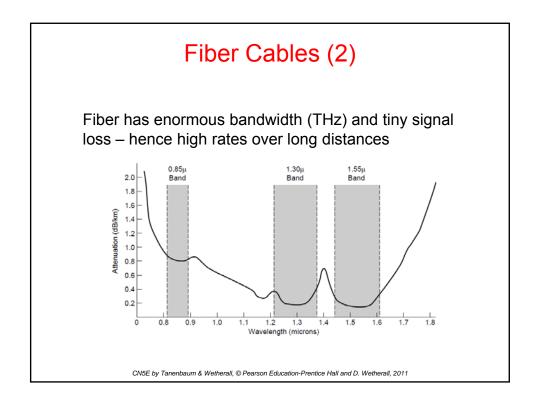


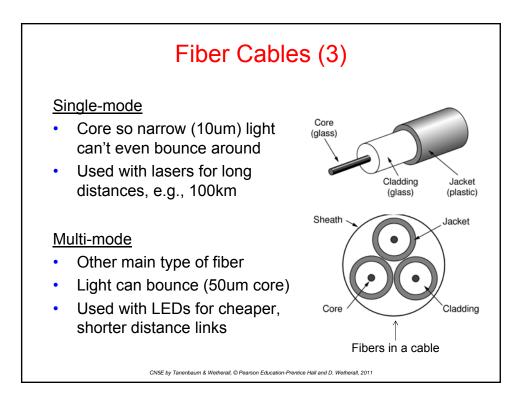




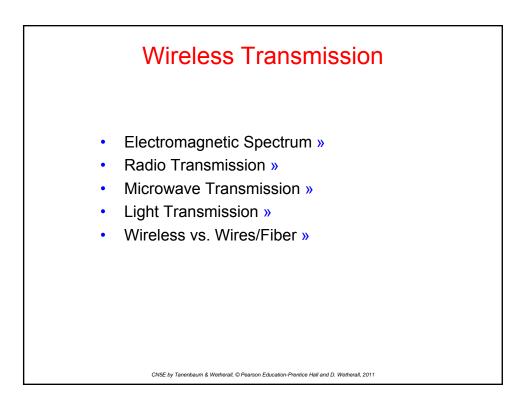


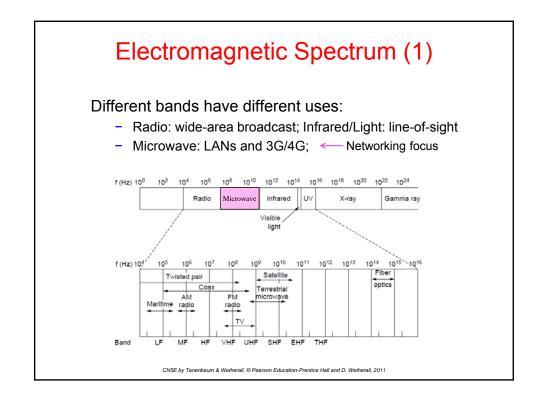


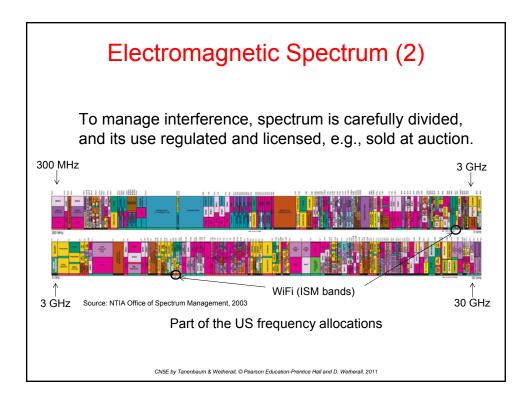


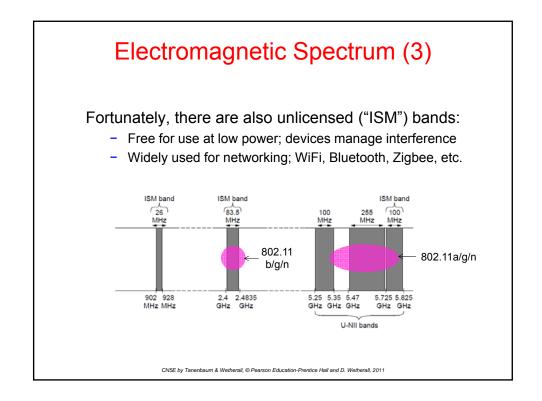


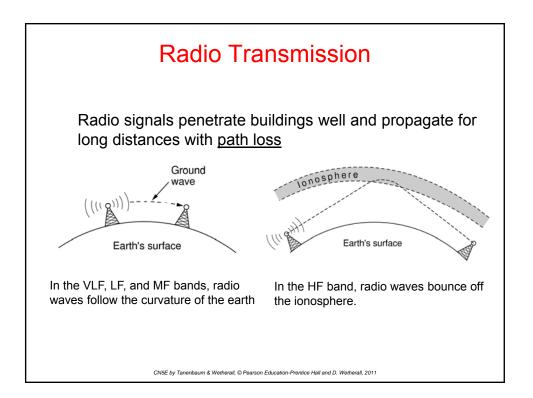
Property	Wires	Fiber
Distance	Short (100s of m)	Long (tens of km)
Bandwidth	Moderate	Very High
Cost	Inexpensive	Less cheap
Convenience	Easy to use	Less easy
Security	Easy to tap	Hard to tap

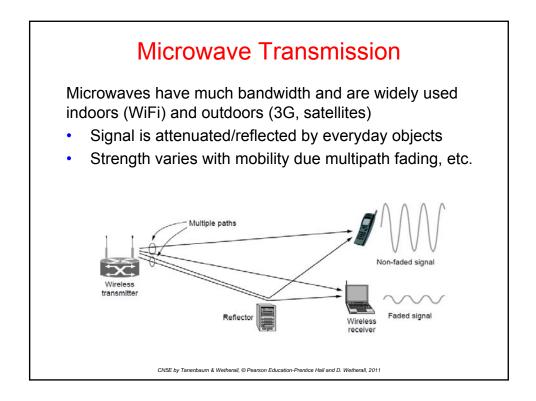


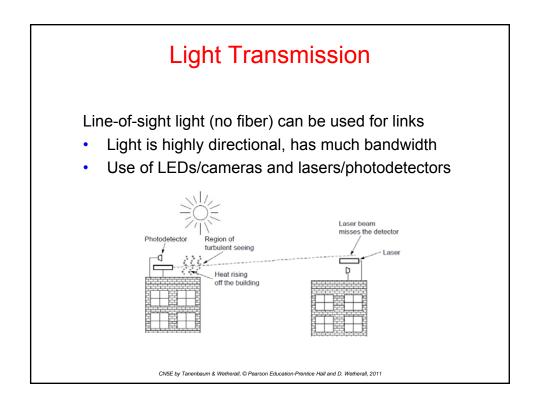




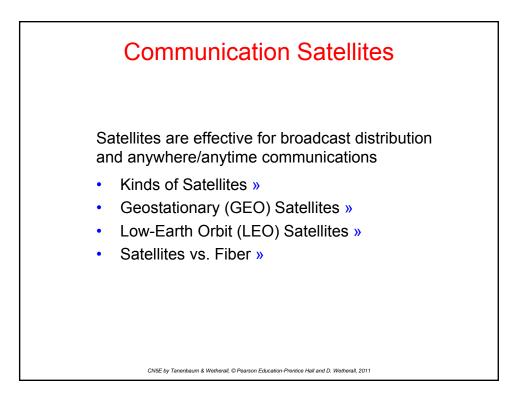


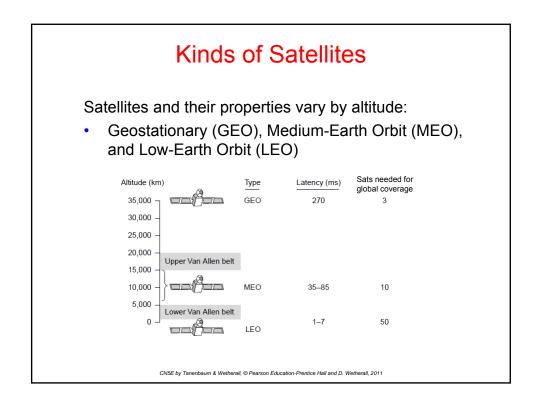


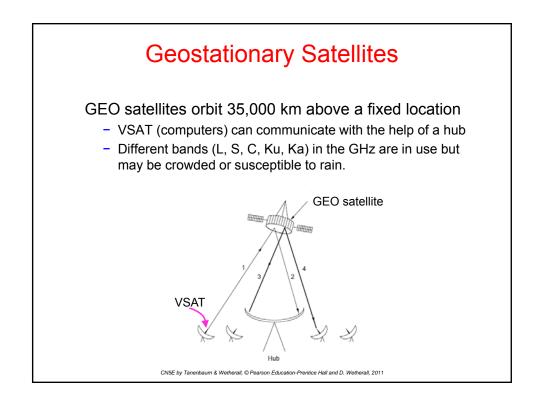


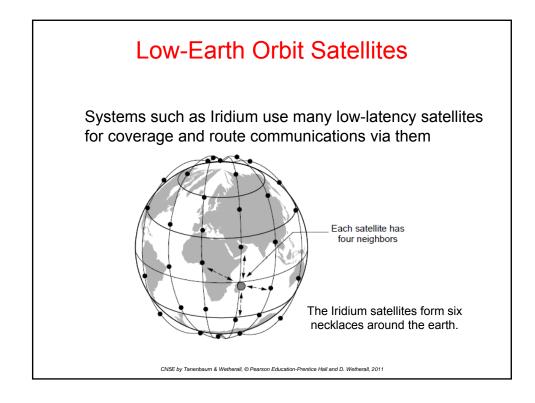


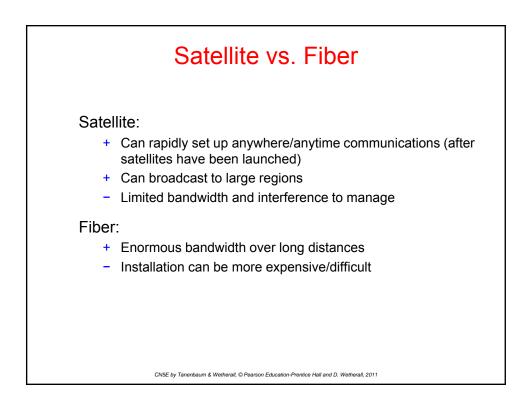
Wireless: Easy and inexpensive to deploy Naturally supports mobility Naturally supports broadcast Transmissions interfere and must be managed Signal strengths hence data rates vary greatly Wires/Fiber: Easy to engineer a fixed data rate over point-to-point links Can be expensive to deploy, esp. over distances Doesn't readily support mobility or broadcast

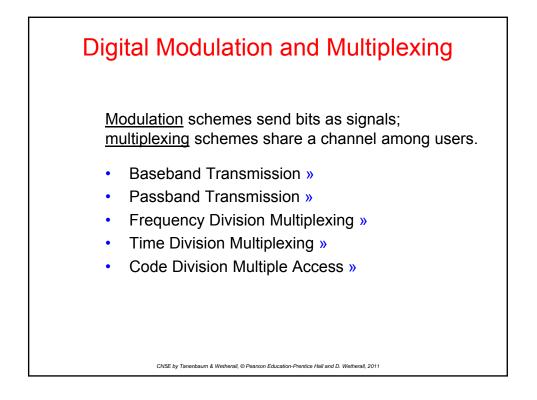


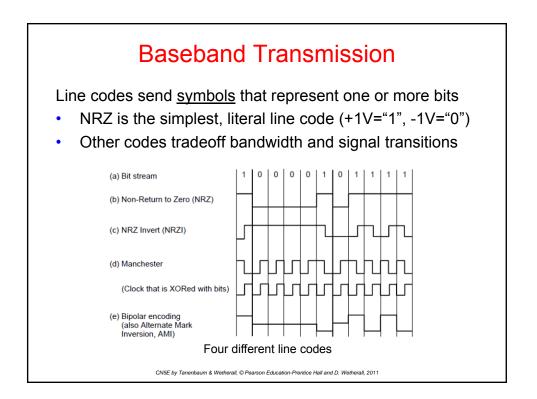


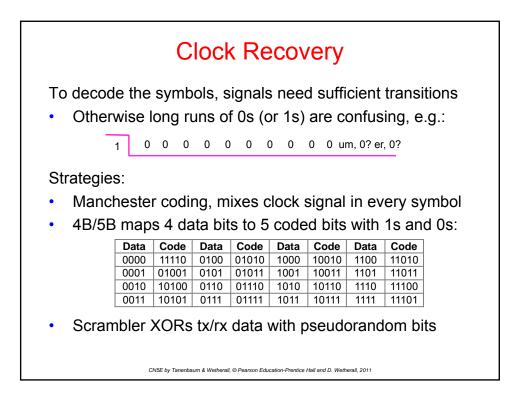


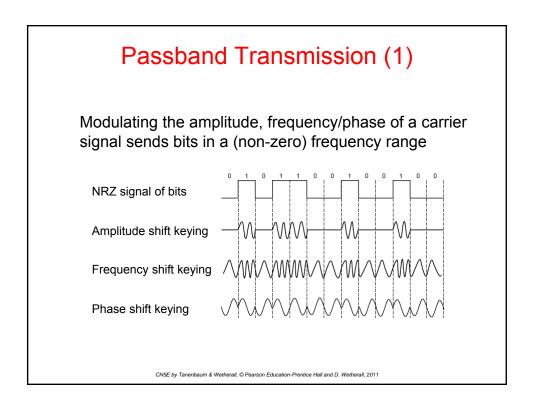


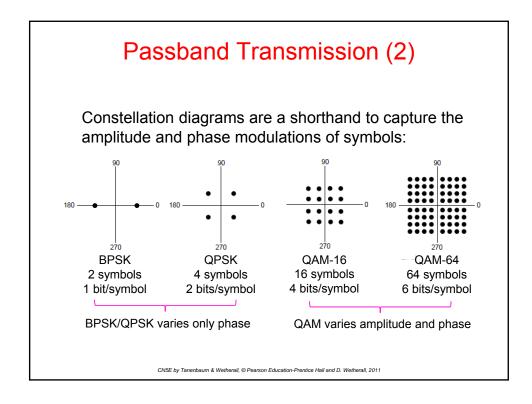


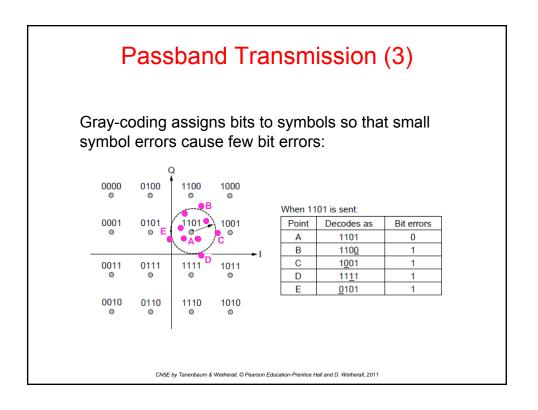


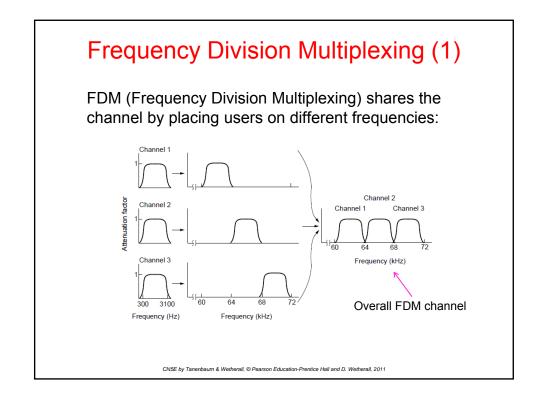


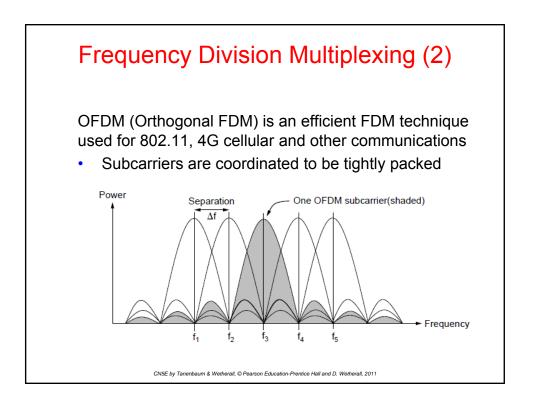


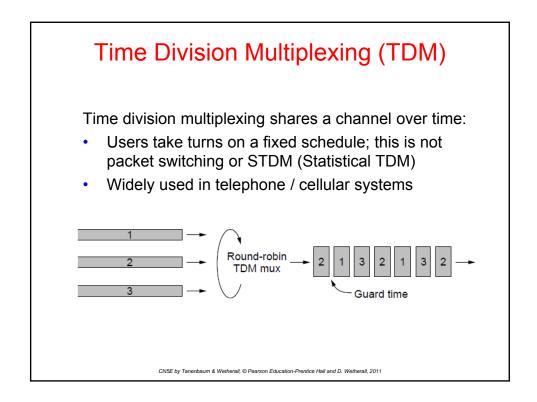


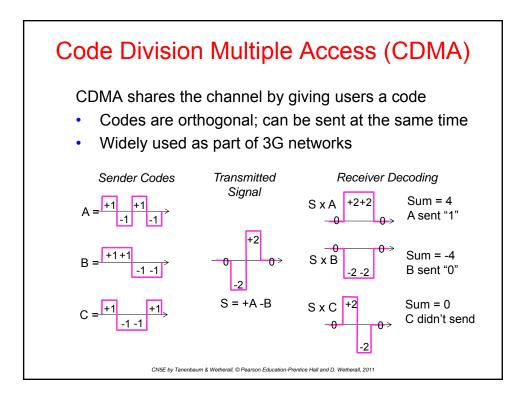


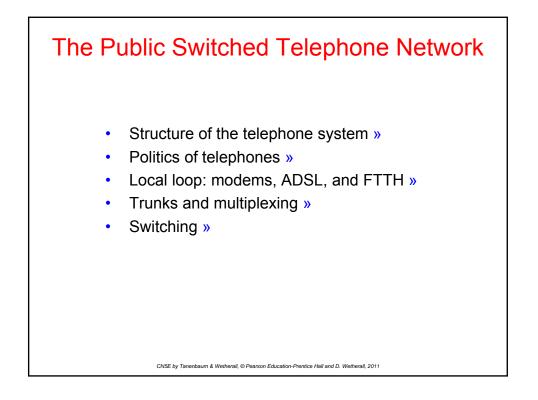


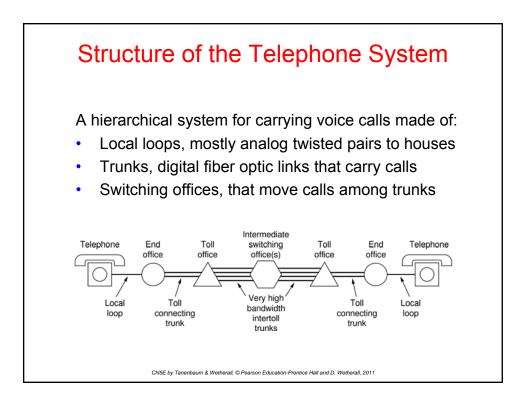


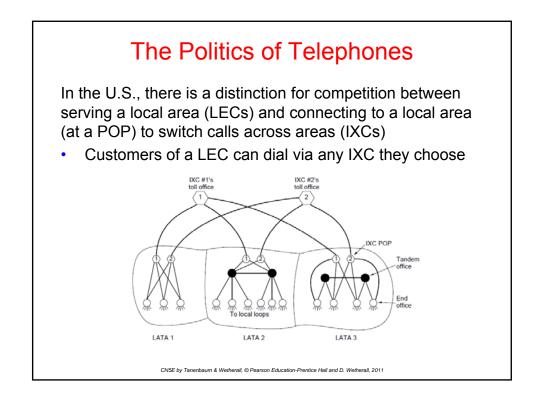


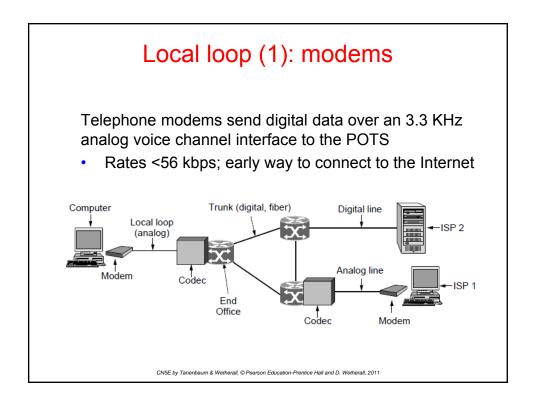


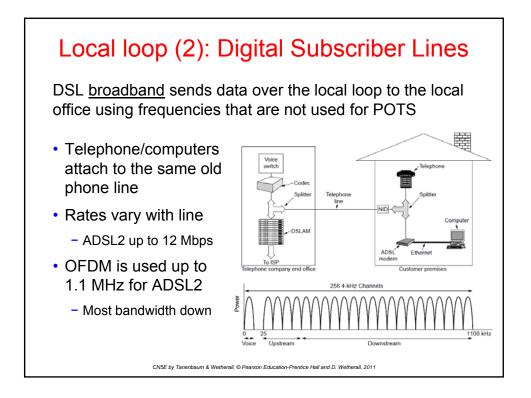


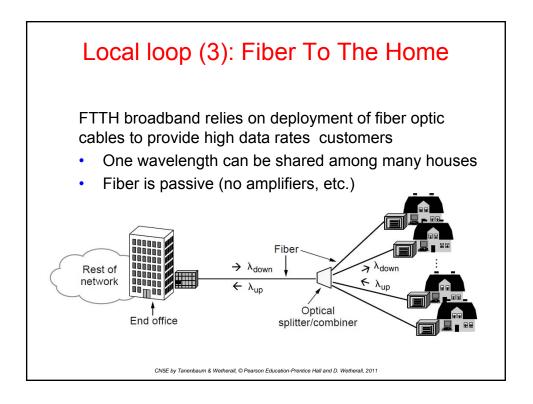


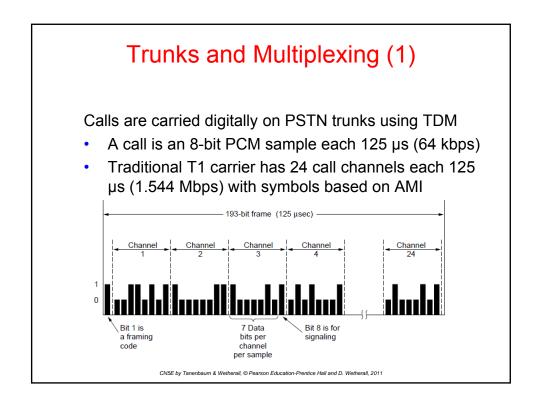


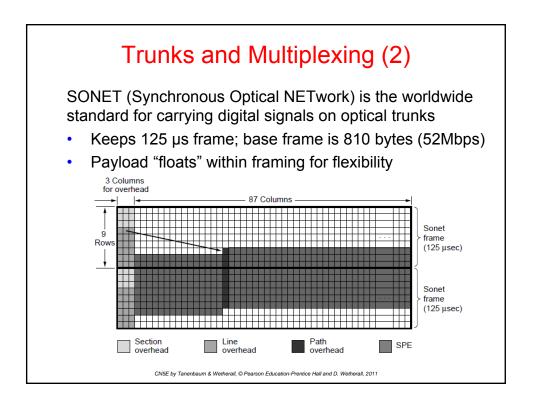






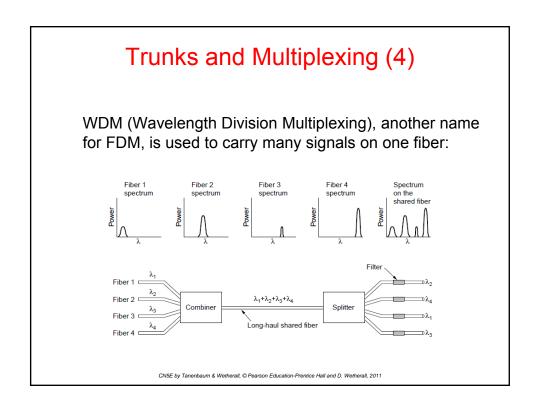


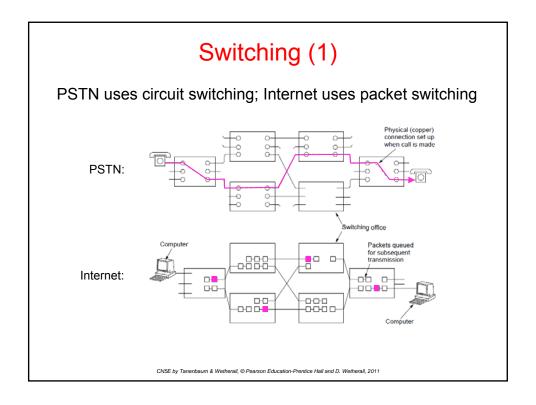


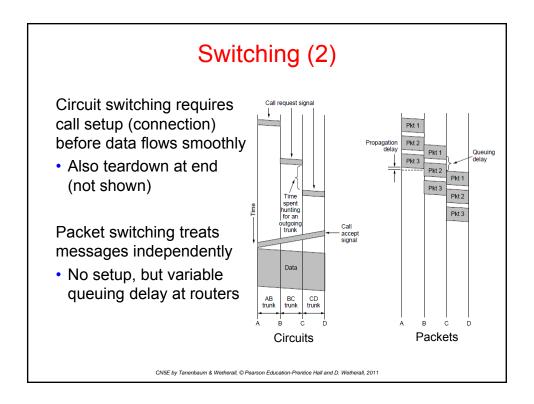


Trunks and Multiplexing (3) Hierarchy at 3:1 per level is used for higher rates Each level also adds a small amount of framing Rates from 50 Mbps (STS-1) to 40 Gbps (STS-768) SONET SDH Data rate (Mbps) Electrical Optical Optical Gross SPE User 49.536 STS-1 OC-1 51.84 50.112 STS-3 OC-3 STM-1 155.52 150.336 148.608 STS-12 OC-12 STM-4 622.08 601.344 594.432 STM-16 2405.376 2377.728 STS-48 OC-48 2488.32 STM-64 9953.28 9621.504 9510.912 STS-192 OC-192 STS-768 STM-256 38486.016 38043.648 OC-768 39813.12

SONET/SDH rate hierarchy







Switching (3)				
Comparison of circuit- and packet-switched networks				
Call setup	Required	Not needed		
Dedicated physical path	Yes	No		
Each packet follows the same route	Yes	No		
Packets arrive in order	Yes	No		
Is a switch crash fatal	Yes	No		
Bandwidth available	Fixed	Dynamic		
Time of possible congestion	At setup time	On every packet		
Potentially wasted bandwidth	Yes	No		
Store-and-forward transmission	No	Yes		
	Per minute	Per packet		

