

KFUPM - COMPUTER ENGINEERING DEPARTMENT

COE-543 – Mobile Computing and Wireless Networking

Assignment 2 – Due June 7th, 2009.

Problem 1: (20 points) HSPA is an extension to UMTS 3G system to provide broadband data services. It can be considered as a system which is integrating data services on top of a voice oriented network.

- (a) Summarize the capabilities of HSPA in terms of provided bits rates and services.
- (b) Explain briefly the medium access protocol supported by HSPA that allows a terminal to transmit and receive data using this system.

Problem 2: (20 points) Mobile WiMax is a system designed with broadband data as the core requirement. However, there are examples where operators are trying to utilize Mobile WiMAX for providing voice services.

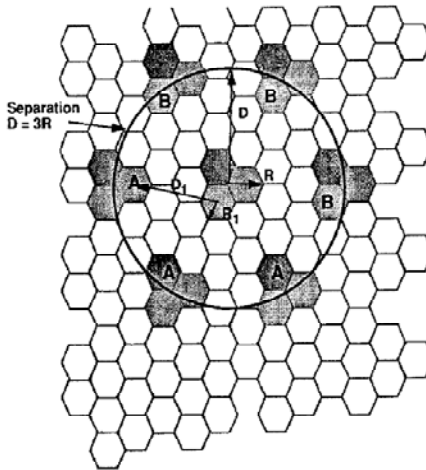
- (a) Cite some of these examples by providing a title, a few lines description, and the url (reference) for each of the examples.
- (b) What is the medium access protocol within Mobile WiMAX that would be used to provide voice service? Explain.

Problem 3: (20 points) Explain *briefly* how can Lee’s Microcell Zone technique provides capacity enhancement for cellular deployments.

Refer to slide 36 of the Cellular Concept Package.

Lee’s Microcell Method – cont’d

- Figure from Lee’s paper on the subject
- For $K = 7 \rightarrow$ number of channels/cell = $395/7 = 56$
- With the new model $K = 3$ still provides 18 dB, and number of channels/cell = $395/3 = 131$
- Capacity increase = $7/3 = 131/56 = 2.33$



Microcell Utilizes $D_1/R_1 \sim 4.6$ for Active Zone Separation

This Provides a $D/R = 3$ for Microcell Cell Separation

This Yields a $K = 3$ Which Provides $m = 131$ channels per cell

This is a 2.33 Capacity Increase

$$D/R = \sqrt{3K}$$

$$m = 395/k$$

6/6/2009

Reference: W. C. Lee, "Smaller Cells for Greater Performance," IEEE Communications Magazine, November 1991, pp. 19-23.

Problem 4.7:

(a) Probability that none of lines are available

$$\text{From (4.6): } B(N, \rho) = \frac{\rho^N / N!}{\sum_{i=0}^N \rho^i / i!}$$

$$\lambda = 0.5 \text{ (call / hour)} \times 100 \text{ (passengers)} = 50 \text{ (calls / hour)} = 50/60 \text{ (calls/mn)}$$

$$\mu = 1 \text{ (call) / 3 (mn)} = \frac{1}{3} \text{ (call / mn)}$$

$$\text{and } \rho = \frac{\lambda}{\mu} = \frac{50}{20} = 2.5$$

For $N = 6$, and $\rho = 2.5$, we have $B(6, 2.5) = 0.0282$

(b) Average delay for accessing the line

$$\text{From (4.7): } P[\text{delay} > 0] = \frac{\rho^N}{\rho^N + N! \left(1 - \frac{\rho}{N}\right) \sum_{k=0}^{N-1} \frac{\rho^k}{k!}}$$

$$\text{From (4.9): } D = P[\text{delay} > 0] \frac{1}{\mu(N - \rho)}$$

For $N = 6$, and $\rho = 2.5$, we have $P[\text{delay} > 0] = 0.0474$ and with $\mu = 1/3$, we have $D = 2.44$ seconds

(c) Probability of waiting more than 3 mn to access the line

$$\text{From 4.8: } P[\text{delay} > t] = P[\text{delay} > 0] e^{-(N-\rho)\mu t}$$

For $N = 6$, $\rho = 2.5$, $\mu = 1/3$ and $P[\text{delay} > 0] = 0.0474$, we have $P[\text{delay} > 3\text{mn}] = 0.0014$

(d) Average delay for accessing the line for 200 passengers rather than 100 passengers

Using (4.7) and (4.9) again, N remaining at 6, but with λ doubling to 50, we have $P[\text{delay} > 0] = 0.58752$, and with $\mu = 1/3$, we have $D = 105.753$ seconds**Problem 4.8:**

(a) Throughput versus offered traffic equation and maximum throughput in Erlang

$$S = G e^{-G} \text{ (slotted ALOHA)}$$

and $\frac{\partial S}{\partial G} = e^{-G} - G e^{-G}$ is equal to 0 for $G = 1$, so that the maximum throughput is equal to

$$S_{\max} = 1 e^{-1} = 0.36 \text{ Erlang}$$

(b) Maximum throughput in bits per second

$$S_{bps} = 0.36 \times 2 \text{ Mbps} = 720 \text{ kbps}$$

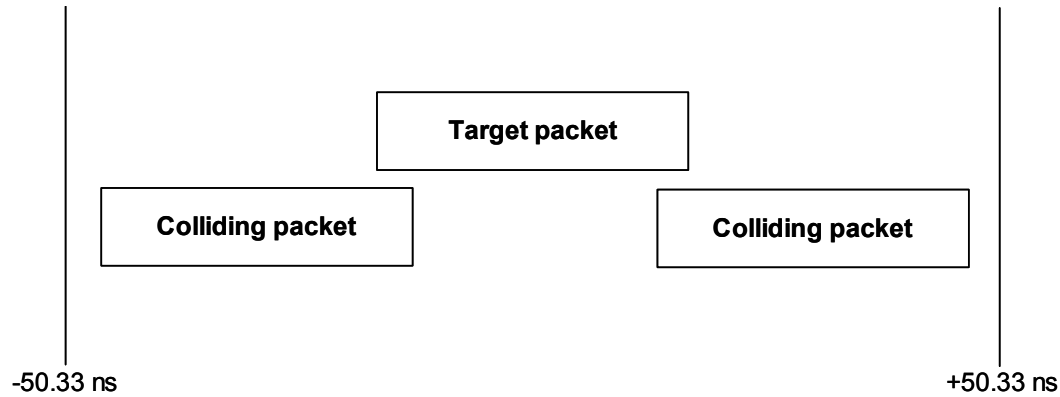
(c) Maximum throughput in bits per second for each terminal

If all 50 terminals work simultaneously, $S_{bps/terminal} = 720 \text{ kbps} / 50 = 14.4 \text{ kbps}$ If only one terminal works $S_{bps/terminal} = 720 \text{ kbps}$ Therefore $14.4 \text{ kbps} < S_{bps/terminal} < 720 \text{ kbps}$

Problem 4.11:

$$\text{Propagation delay} = \frac{0.1 \text{ km}}{300,000 \text{ km/s}} = 0.33 \text{ microseconds}$$

$$\text{Packet length} = \frac{100 \text{ bits}}{2 \text{ Mbps}} = 50 \text{ microseconds}$$



The packets are produced according to the Poisson distribution

$$P(K) = \frac{\lambda^K}{K!} e^{-\lambda T}$$

With in our case, $\lambda = 10$ packets/seconds, and $T = 2 \times 50.33$ microseconds = 100.66 microseconds

The probability of having no transmission from the other terminals is given by

$$P(0) = e^{-\lambda T} = 0.99899$$

and represents the probability of successful transmission

Problem 5.2:

(a) Required C/I for a bandwidth decrease of 2

The C/I will increase 4 times or 6 dB for dividing the band in two

$$\left(\frac{C}{I}\right)_{dB} = 18 + 6 = 24 \text{ dB}$$

(b) Required frequency reuse factor N for the 15 kHz system

From Equation (5.7): $S_r = 1.76 + 20 \log N$ And for $S_r = 24 \text{ dB}$, $N = 12.94$, and the closest higher integer fitting $i + ij + j$ is $N = 13$. Also see Figure 5.10

(c) Maximum number of simultaneous users

In each cell, we have $\frac{12.5 \text{ MHz}}{15 \text{ kHz}} = 833$ users with 30 antennas and a frequency reuse of 13.Therefore the total number of channels will be $\frac{833 \text{ (channels)}}{13 \text{ (cells)}} \times 30 \text{ (cells)} = 1,922$ simultaneous users.(d) For a bandwidth of 30 KHz, we have $\frac{12.5 \text{ MHz}}{30 \text{ kHz}} = 416$ channels and

$$\frac{416 \text{ (channels)}}{7 \text{ (cells)}} \times 30 \text{ (cells)} = 1,782 \text{ simultaneous users}$$

Note that the number of simultaneous users in (c) and (d) are close but the quality of service for the 30 KHz system is much better.

Problem 5.3(a) Number of channels per cell = $500 / 7 = 71$ Total number of channels available to the provider = $71 \times 100 = 7100$ Minimum carrier-to-interference ratio with frequency reuse factor $N = 7$

$$\left(\frac{C}{I}\right)_{dB} = 10 \log \left[\frac{1}{6} \left(\frac{D}{R}\right)^4 \right] = 10 \log \left[\frac{1}{6} (\sqrt{3N})^4 \right] = 18.7 \text{ dB}$$

(b) Number of cells assigned to inner and outer cells

$$\frac{D_0}{R_0} = \sqrt{3 \times 7} = 4.6 = \frac{D_1}{R_1} \text{ and } D_1 = 3 R_0 \text{ so that } \frac{3R_0}{R_1} = 4.6 \text{ and } R_0 = 1.53 R_1$$

$$\text{Area} = K R^2 \text{ and } \frac{A_0}{A_1} = \frac{K R_0^2}{K R_1^2} = (1.53)^2 \text{ and } A_1 = 0.43 A_0$$

If X is the number of channels, then

$$3(0.43 X) + 7(0.57 X) = 500 \text{ and } X = 94.7$$

For the inner cells: $0.43 X = 0.43 (94.7) = 40$ channelsFor the outer cells: $0.57 X = 0.57 (94.7) = 54$ channels