

# Chapter 7

## Lecture # 3-3

- **Inflation**
- **Depreciation**
- **Taxation, Cash Flow, and Profit.**

# Inflation

Purchase power of cash drops with time due to the effect of **inflation**.

$$CEPCI(j + n) = (1 + f)^n CEPCI(j)$$

$n$  = time span in years

$f$  = Average inflation rate over the time span

$j$  = arbitrary year

# Inflation

## Example 7.18

What was the average rate of inflation for the costs associated with building a chemical plant over the following periods:

a) 1986-1992

b) 1992-1998

# Inflation

## Solution

Table 5.4

CEPCI (1986) = 318

CEPCI (1992) = 358

CEPCI (1998) = 390

a)  $358 = 318 \cdot (1+f)^6$   $\longleftrightarrow$   $f = 0.02$  (2.0 % p.a.)

b)  $390 = 358 \cdot (1+f)^6$   $\longleftrightarrow$   $f = 0.014$  (1.4 % p.a.)

# Inflation

Inflation has a negative effect on F.

$$F' = F/(1+f)^n$$

$$i' \cong i - f = \frac{i - f}{i + f}$$

**Resolve** all the previous example considering the inflation.

# Depreciation

- Total Capital Investment = Fixed Capital + Working Capital
  - ◆ Fixed Capital – All costs associated with new construction, but Land cannot be depreciated
  - ◆ Working Capital – Float of money to start operations

$$TCI = FCI_L + Land + WC$$

# Depreciation

- Salvage Value
  - ◆ Value of  $FCI_L$  at end of project
  - ◆ Often = 0
- Life of Equipment
  - ◆  $n$  – Set by IRS
    - ◆ Not related to actual equipment life
- Total Capital for Depreciation
  - ◆  $FCI_L - S$

# Depreciation

## 3 Basic Methods for Depreciation

- Straight Line (SL)
- Sum of the Years Digits (SOYD)
- Double Declining Balance (DDB)



# Depreciation

## Straight Line

$$d_k^{SL} = \left( \frac{FCI_L - S}{n} \right)$$

$n = \#$  of years

# Depreciation

## Sum of the Years Digits (SOYD)

$$d_k^{SOYD} = \frac{[(n+1-k)(FCI_L - S)]}{\frac{1}{2}n(n+1)}$$

# Depreciation

## Double Declining Balance (DDB)

$$d_k^{DDB} = \frac{2}{n} \left[ FCI_L - \sum_{j=0}^{k-1} d_j \right]$$

# Depreciation

## Example 7.21

The fixed capital investment (excluding the cost of land) of a new project is estimated to be \$150.0 million, and the salvage value of the plant is \$10.0 million. Assuming a seven-year equipment life, estimate the yearly depreciation allowances using:

- a. The straight line method
- b. The sum of the years digits method
- c. The double declining balance method.

# Depreciation

$$FCI_L = \$150 \times 10^6$$

$$S = \$10 \times 10^6$$

$$n = 7$$

*1<sup>st</sup> Year*

$$d_{SL} = \frac{150 - 10}{7} = 20$$

# Depreciation

$$d_{SOYD_1} = \frac{(7+1-1)}{\frac{1}{2}(7)(8)} [150-10] = \frac{7}{28} [150-10] = 35$$

$$d_{SOYD_2} = \frac{(7+1-2)}{\frac{1}{2}(7)(8)} [150-10] = \frac{6}{28} [150-10] = 30$$

$$d_{DDB_1} = \frac{2}{7} (150) = 42.9$$

$$d_{DDB_2} = \frac{2}{7} (150 - 42.9) = 30.6$$

# Depreciation

**Table E7.21** Calculations and Results for Example 7.21: The Depreciation of Capital Investment for a New Chemical Plant (all values in  $\$10^7$ ).

Year ( $k$ )	$d_k^{SL}$	$d_k^{SOYD}$	$d_k^{DDB}$	Book Value $FCI_L - Sd_k^{DDB}$
0				$(15 - 0) = 15$
1	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 1)(15 - 1)}{28^e} = 3.5$	$\frac{(2)(15)}{7} = 4.29$	$(15 - 4.29) = 10.71$
2	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 2)(15 - 1)}{28^e} = 3.0$	$\frac{(2)(10.71)}{7} = 3.06$	$(10.71 - 3.06) = 7.65$
3	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 3)(15 - 1)}{28^e} = 2.5$	$\frac{(2)(7.65)}{7} = 2.19$	$(7.65 - 2.19) = 5.46$
4	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 4)(15 - 1)}{28^e} = 2.0$	$\frac{(2)(5.46)}{7} = 1.56$	$(5.46 - 1.56) = 3.90$
5	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 5)(15 - 1)}{28^e} = 1.5$	$\frac{(2)(3.90)}{7} = 1.11$	$(3.90 - 1.11) = 2.79$
6	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 6)(15 - 1)}{28^e} = 1.0$	$\frac{(2)(2.79)}{7} = 0.80$	$(2.79 - 0.80) = 1.99$
7	$\frac{(15 - 1)}{7} = 2$	$\frac{(7 + 1 - 7)(15 - 1)}{28^e} = 0.5$	$1.99 - 1.0 = 0.99^b$	$(1.99 - 0.99) = 1.00$
Tot.	14.0	14.0	14.0	1.0 = Salvage Value <sup>b</sup>

# Taxation, Cash Flow, and Profit

- Tables 7.3 – 7.4
- Expenses =  $COM_d + d_k$
- Income Tax =  $(R - COM_d - d_k)t$
- After Tax (net)Profit =  
 $(R - COM_d - d_k)(1 - t)$
- After Tax Cash Flow =  
 $(R - COM_d - d_k)(1 - t) + d_k$