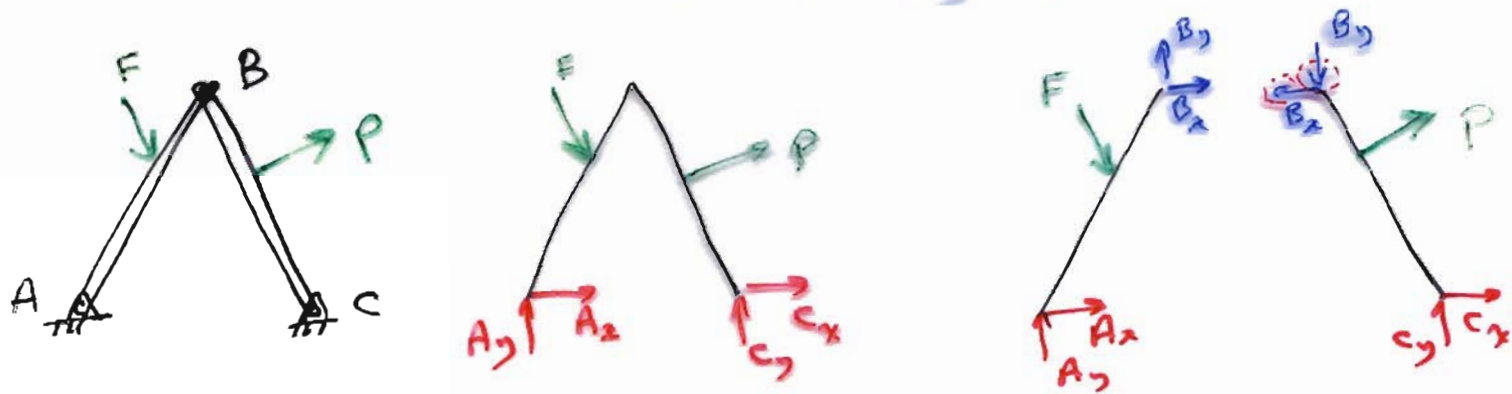


Structural Analysis

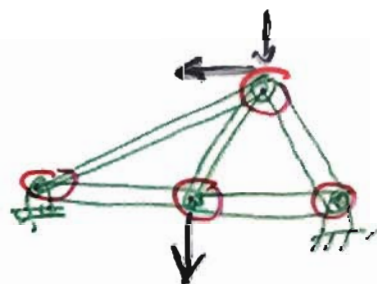


You may need to dismember \equiv disassemble \equiv separate or take the members apart in the structure.

By doing so, you can then analyze (i.e., find the reactions, the internal forces, ... etc.) the structure.

* If a system/structure is in equilibrium, then any part of it must be in equilibrium.

TRUSS



- ① Straight members
- ② Connected at their extremities (ends) at joints.
- ③ Loads applied at joints only
- ④ Weights are neglected or assumed to be applied to the joints ($\frac{1}{2}w$ / joint).
- ⑤ Joints are ^{smooth} pins (thus no moment).

{ thus no member is continuous through a joint }

From the assumptions above, it can be concluded that all truss members are TWO-FORCE members which are under tension (T) $\left\{ \begin{array}{l} \rightarrow \\ \leftarrow \end{array} \right\} \equiv$ compression (C).

* Simple Truss

$$m = 2n - 3$$

$n = \#$ of members

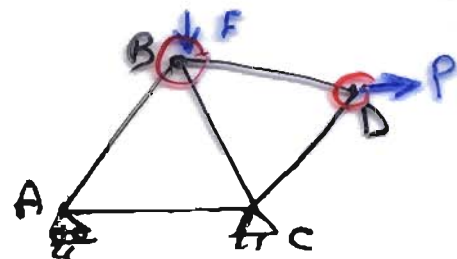


... etc.



Truss Analysis by the method of Joints:

To design a truss, the internal forces in all members are needed.



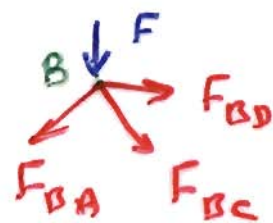
One way to find these forces is to write the equilibrium equations for each joint (particle).

$$\sum F_x = 0 \quad (1)$$

$$\sum F_y = 0 \quad (2)$$

2-D particles \Rightarrow

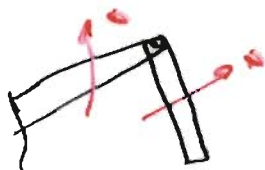
2 eq. \Rightarrow max 2 unknowns



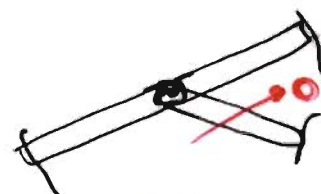
The reactions may or may NOT be needed!

* Zero-Force Members

In some members, it may be possible to know that the member carries no force by inspection. These are called **Zero-force members**.



- two members
 - not on the same line
 - no load on the joint
- \Rightarrow Both are zero-force members



- three members
 - two on the same line and one inclined
 - no load on the joint
- \Rightarrow The inclined member is zero-force member

Think about special cases!

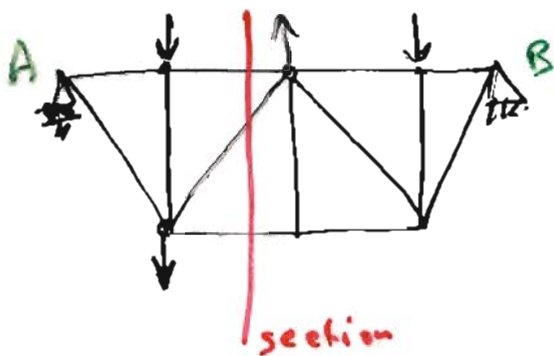
Analysis of Truss by the method of **Sections**

How? :

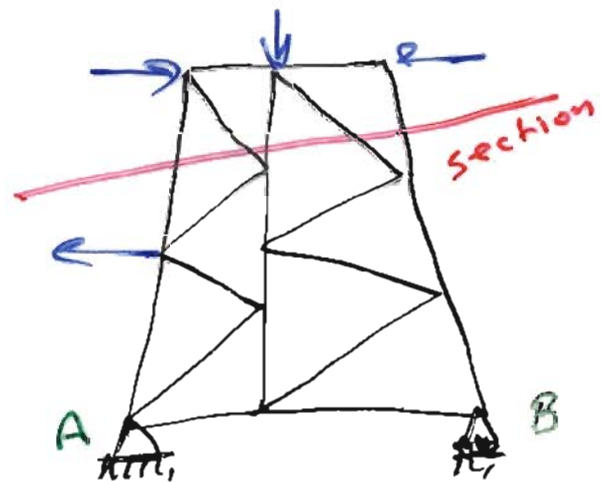
Pass a **{section cut}** through the truss which intersects not more than 3 members, if possible; then 3 eq. & 3 unknowns can be solved for one of the two parts of the truss; it is a rigid body. \Rightarrow

$$\Sigma F_x = 0 \text{ ①}; \quad \Sigma F_y = 0 \text{ ②}; \quad \Sigma M = 0 \text{ ③}$$

This method is usually used when the force(s) in one or a few members is (are) desired.



Either of the reaction(s) at A & B is needed.



If the upper section is chosen, then no need to find the reactions at A and B.

If the lower portion is selected, then the reactions at A & B are needed.